## $A Q A=$

Please write clearly in block capitals.

Centre number

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |

Candidate number

|  |  |  |  |
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## Surname

Forename(s)
Candidate signature

## GCSE

## COMPUTER SCIENCE

## Paper 1 Computational Thinking and Problem-Solving

Monday 11 May 2020

## Morning Time allowed: 1 hour 30 minutes

## Materials

There are no additional materials required for this paper.

## Instructions

- Use black ink or black ball-point pen. Use pencil only for drawing.
- Answer all questions.
- You must answer the questions in the spaces provided.
- If you need extra space for your answer(s), use the lined pages at the end of this book. Write the question number against your answer(s).
- Do all rough work in this book. Cross through any work you do not want to be marked.
- Unless the question states otherwise, you are free to answer questions that require a coded solution in whatever format you prefer as long as your meaning is clear and unambiguous.
- You must not use a calculator.


## Information

The total number of marks available for this paper is 80 .

## Advice



| For Examiner's Use |  |
| :---: | :---: |
| Question | Mark |
| $1-2$ |  |
| 3 |  |
| 4 |  |
| 5 |  |
| $6-7$ |  |
| 8 |  |
| 9 |  |
| 10 |  |
| 11 |  |
| 12 |  |
| TOTAL |  |

For the multiple-choice questions, completely fill in the lozenge alongside the appropriate answer.
CORRECT METHOD - WRONG METHODS $\otimes \odot \otimes$
If you want to change your answer you must cross out your original answer as shown.
 If you wish to return to an answer previously crossed out, ring the answer you now wish to select as shown.



| $\mathbf{0}$ | $\mathbf{1} .2$ |
| :--- | :--- |
| $\mathbf{2}$ State the maximum number of different colours that can be used if a bitmap image |  | has a colour depth of six bits.


| 0 | 1 | 3 | What is the minimum file size for an 800 pixel by 1000 pixel bitmap image that uses |
| :--- | :--- | :--- | :--- | 20 different colours? You should give your answer in kilobytes.

You should show your working.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Answer kB

| 0 | 1 | 4 | The algorithm shown in Figure 1 converts binary data entered as a string by the user |
| :--- | :--- | :--- | :--- | into a representation of a black and white image.

The algorithm uses the + operator to concatenate two strings.
Characters in the string are indexed starting at zero. For example bdata [2] would access the third character of the string stored in the variable bdata

The MOD operator calculates the remainder after integer division, for example 17 MOD 5 = 2

Figure 1

```
bdata }\leftarrow USERINPU
image \leftarrow ''
FOR i \leftarrow 0 TO LEN(bdata) - 1
    IF bdata[i] = '0' THEN
        image \leftarrow image + '*'
    ELSE
            image \leftarrow image + '/'
    ENDIF
    IF i MOD 3 = 2 THEN
        OUTPUT image
        image \leftarrow ''
    ENDIF
ENDFOR
```

Complete the trace table for the algorithm shown in Figure 1 when the variable bdata is given the following value from the user:

110101
You may not need to use every row in the table. The algorithm output is not required.
[3 marks]

| i | image |
| :---: | :---: |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |


| $\mathbf{0}$ | $\mathbf{2} \quad$ Describe how the linear search algorithm works. | [3 marks] |  |
| :--- | :--- | :--- | :--- |


| 0 | 3 | 1 | State the name of the logic gate represented by the following truth table. |
| :--- | :--- | :--- | :--- |


| Input A | Input B | Output |
| :---: | :---: | :---: |
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

Logic gate $\qquad$

A partially complete logic circuit is shown in Figure 2 that detects if a computer system has been set up correctly. There are two keyboard input devices, keyboard $\mathbf{A}$ and keyboard B, and either one can be connected to the computer system. However, if they are both connected then the computer system will not work.

Output $\mathbf{P}$ has the value 1 if either keyboard $\mathbf{A}$ or keyboard $\mathbf{B}$, but not both, is connected to the computer system and 0 otherwise.

Figure 2


| 0 | $\mathbf{3} .2$ | State the name of the logic gates that should be placed in the positions indicated by |
| :--- | :--- | :--- | the labels L1, L2, L3 and L4 in Figure 2.


| Label | Logic gate |
| :---: | :---: |
| L1 |  |
| L2 |  |
| L3 |  |
| L4 |  |

## Turn over for the next question

| 0 | $\mathbf{4}$ | The algorithm shown in Figure $\mathbf{3}$ is used to check if the start of an instruction for a |
| :--- | :--- | :--- | particular assembly language is valid.

The string representation of the assembly language instruction is stored in the variable instr

Characters in the string are indexed starting at zero. For example instr [2] would access the third character of the string stored in the variable instr

Figure 3

```
code \leftarrow ''
i}\leftarrow
WHILE instr[i] f ':' AND i < 4
    code \leftarrow code + instr[i]
    i }\leftarrow i + 1
ENDWHILE
valid \leftarrow False
IF code = 'ADD' OR code = 'SUB' OR code = 'HALT' THEN
    valid \leftarrow True
ENDIF
```

| $\mathbf{0}$ | $\mathbf{4} .1$ | Shade one lozenge to show the most appropriate data type of the variable $i$ in the |
| :--- | :--- | :--- | algorithm in Figure 3.

A Character $\square$
B Integer
C Real


D String $\square$

| $\mathbf{0}$ | $\mathbf{4}$. | $\mathbf{2}$ State the data type of the variable valid in the algorithm in Figure 3. |
| :--- | :--- | :--- |


| $\mathbf{0}$ | $\mathbf{4}$ | $\mathbf{3}$ State the final value of the variable valid in the algorithm in Figure $\mathbf{3}$ for the |
| :--- | :--- | :--- | :--- | following different starting values of instr


| Value of instr | Final value of valid |
| :--- | :--- |
| ADD R0, R1 |  |
| ADD : R0, R1 |  |
| HALT |  |


| $\mathbf{0}$ | $\mathbf{4} .4$ | State what an assembly language program must be translated into before it can be |
| :--- | :--- | :--- | :--- | executed by a computer.

$\qquad$
$\qquad$

| 0 | $\mathbf{4}$ | $\mathbf{5}$ State two reasons why a programmer, who can program in both high-level and |
| :--- | :--- | :--- | :--- | :--- | :--- | low-level languages, would usually choose to develop in a high-level language rather than a low-level language.

Reason 1
$\qquad$
$\qquad$
$\qquad$
$\qquad$
Reason 2 $\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

| $\mathbf{0}$ | $\mathbf{4}$ | 6 | Develop an algorithm, using either pseudo-code or a flowchart, that: |
| :--- | :--- | :--- | :--- |

- initialises a variable called regValid to False
- sets a variable called regValid to True if the string contained in the variable reg is an uppercase $R$ followed by the character representation of a single numeric digit.


## Examples:

- if the value of reg is R0 or R9 then regValid should be True
- if the value of reg is $r 6$ or Rh then regValid should be False

You may wish to use the subroutine isDigit (ch) in your answer. The subroutine isDigit returns True if the character parameter ch is a string representation of a digit and False otherwise.
$\qquad$
$\qquad$
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$\qquad$


| $\mathbf{0}$ | $\mathbf{5}$ | The algorithms shown in Figure $\mathbf{4}$ and Figure $\mathbf{5}$ both have the same purpose. |
| :--- | :--- | :--- |

The operator LEFTSHIFT performs a binary shift to the left by the number indicated.
For example, 6 LEFTSHIFT 1 will left shift the number 6 by one place, which has the effect of multiplying the number 6 by two giving a result of 12

Figure 4

```
result \leftarrow number LEFTSHIFT 2
```

result \leftarrow result - number

```
```

```
result \leftarrow result - number
```

```

Figure 5
```

```
result \leftarrow 
```

```
result \leftarrow 
FOR x < 1 TO 3
FOR x < 1 TO 3
    result \leftarrow result + number
    result \leftarrow result + number
ENDFOR
```

```
ENDFOR
```

```
\begin{tabular}{l|l|l|l}
\(\mathbf{0}\) & \(\mathbf{5} .1\) & Complete the trace table for the algorithm shown in Figure 4 when the initial value of
\end{tabular} number is 4

You may not need to use all rows of the trace table.

\begin{tabular}{|l|l|l|}
\hline 0 & 5 & \(\mathbf{2}\) Complete the trace table for the algorithm shown in Figure 5 when the initial value of
\end{tabular} number is 4

You may not need to use all rows of the trace table.
\begin{tabular}{|c|c|}
\hline\(x\) & result \\
\hline & \\
\hline & \\
\hline & \\
\hline & \\
\hline & \\
\hline
\end{tabular}
\begin{tabular}{lll}
0 & 5 & 3 \\
\hline
\end{tabular}
State this purpose.
\(\qquad\)
\(\qquad\)
\(\begin{array}{lllll}0 & 5 & 4 & \text { Explain why the algorithm shown in Figure } 4 \text { can be considered to be a more efficient }\end{array}\) algorithm than the algorithm shown in Figure 5.
\(\qquad\)
\(\qquad\)
\begin{tabular}{l|l}
0 & 6 \\
\hline
\end{tabular} algorithm, to sort the array shown in Figure \(\mathbf{6}\) so the result is \([1,4,5,8]\)

Figure 6
\[
[8,4,1,5]
\]

Circle the algorithm you have chosen:
Bubble sort
Merge sort
[4 marks]
Steps:

\begin{tabular}{l|l|l|l}
0 & \(\mathbf{7}\) & \(\mathbf{1}\) & Four subroutines are shown in Figure 7.
\end{tabular}
Figure 7
```

SUBROUTINE main(k)
OUTPUT k
WHILE k > 1
IF isEven(k) = True THEN
k}\leftarrow\mathrm{ decrease(k)
ELSE
k \leftarrow increase(k)
ENDIF
OUTPUT k
ENDWHILE
ENDSUBROUTINE
SUBROUTINE decrease(n)
result \leftarrow n DIV 2
RETURN result
ENDSUBROUTINE
SUBROUTINE increase(n)
result \leftarrow (3 * n) + 1
RETURN result
ENDSUBROUTINE
SUBROUTINE isEven(n)
IF (n MOD 2) = 0 THEN
RETURN True
ELSE
RETURN False
ENDIF
ENDSUBROUTINE

```

Complete the table showing all of the outputs from the subroutine call main (3)
The first output has already been written in the trace table. You may not need to use all rows of the table.

\begin{tabular}{l|l|l}
\hline \(\mathbf{0}\) & \(\mathbf{7} .2\) & Describe how the developer has used the structured approach to programming in
\end{tabular} Figure 7.
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\begin{tabular}{|l|l}
\hline \(\mathbf{0}\) & \(\mathbf{8}\) The subroutine CODE_TO_CHAR can be used to convert a character code into the
\end{tabular} corresponding Unicode character. For example:

CODE_TO_CHAR (97) will return the character 'a'
CODE_TO_CHAR (65) will return the character 'A'
The subroutine CHAR_TO_CODE can be used to convert a Unicode character into the corresponding character code. For example:

CHAR_TO_CODE ('a') will return the integer 97
CHAR_TO_CODE ('A') will return the integer 65
\begin{tabular}{l|l|l|l}
\hline 0 & 8 & 1 & Shade one lozenge to show what value would be returned from the subroutine call
\end{tabular} CODE_TO_CHAR (100)

A 'c'
B 'd'
C 'e'
D 'f'
○
\begin{tabular}{l|l|l}
\hline \(\mathbf{0}\) & \(\mathbf{8} .2\) & \(\mathbf{2}\) State the value that will be returned from the subroutine call:
\end{tabular}
CODE_TO_CHAR(CHAR_TO_CODE ('E') + 2)

Value returned \(\qquad\)
\begin{tabular}{l|l|l|l}
\hline \(\mathbf{0}\) & \(\mathbf{8} .3\) & \(\mathbf{3}\) Write a subroutine TO_LOWER, using either pseudo-code or a flowchart, that takes an
\end{tabular} upper case character as a parameter and returns the corresponding lower case character.

For example, if the subroutine TO_LOWER is passed the character 'A' as a parameter, the subroutine should return the character ' a '.

You should make use of the subroutines CODE_TO_CHAR and CHAR_TO_CODE in your answer.

You can assume that the parameter passed to the subroutine will be in upper case.
[5 marks]
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\(\qquad\)
\(\qquad\)
\begin{tabular}{l|l}
0 & 9
\end{tabular} A developer needs to store data about thousands of songs in a program. She needs to be able to hold information on every song's title, singer and year of release.

Explain how the developer could use a combination of an array and records to store this information.

In your answer you should refer to the data types that would be used by the developer.
[20
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
Turn over for the next question Turn over
\begin{tabular}{l|l}
\hline 1 & \(\mathbf{0}\) An application allows only two users to \(\log\) in. Their usernames are stated in Table 1.10
\end{tabular} along with their passwords.

Table 1
\begin{tabular}{|c|c|}
\hline username & password \\
\hline gower & \(9 F d g 3\) \\
\hline tuff & \(888 r G\) \\
\hline
\end{tabular}

Develop an algorithm, using either pseudo-code or a flowchart, that authenticates the user. The algorithm should:
- get the user to enter their username and password
- check that the combination of username and password is correct and, if so, output the string 'access granted'
- get the user to keep re-entering their username and password until the combination is correct.
[6 marks]
\(\qquad\)
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\(\qquad\)


Develop an algorithm, using either pseudo-code or a flowchart, that helps an ice cream seller in a hot country calculate how many ice creams they are likely to sell on a particular day. Your algorithm should:
- get the user to enter whether it is the weekend or a weekday
- get the user to enter the temperature forecast in degrees Celsius (they should enter a number between 20 and 45 inclusive; if the number falls outside of this range then they should be made to re-enter another number until they enter a valid temperature)
- calculate the number of ice creams that are likely to be sold using the following information:
- 100 ice creams are likely to be sold if the temperature is between 20 and 30 degrees inclusive,
- 150 ice creams are likely to be sold if the temperature is between 31 and 38 degrees inclusive,
- and 120 ice creams are likely to be sold if the temperature is higher than 38 degrees
- double the estimate if it is a weekend
- output the estimated number of ice creams that are likely to be sold.

\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
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\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\(\qquad\)
\begin{tabular}{l|l}
1 & 2
\end{tabular} A developer has written a set of subroutines to control an array of lights. The lights are indexed from zero. They are controlled using the subroutines in Table 2.

Table 2
\(\left.\begin{array}{|l|l|}\hline \text { Subroutine } & \text { Explanation } \\ \hline \text { SWITCH }(n) & \text { If the light at index } n \text { is on it is set to off. } \\ \text { If the light at index } n \text { is off it is set to on. }\end{array} \left\lvert\, \begin{array}{l}\text { If the light at index }(n+1) \text { is on, the light } \\ \text { at index } n \text { is also set to on. } \\ \text { If the light at index }(n+1) \text { is off, the light } \\ \text { at index } n \text { is also set to off. }\end{array}\right.\right\}\)

Array indices are shown above the array of lights.
For example, if the starting array of the lights is
\begin{tabular}{|c|c|c|c|}
\hline 0 & 1 & \multicolumn{1}{c}{2} & 3 \\
\hline off & on & off & on \\
\hline
\end{tabular}

Then after the subroutine call SWITCH (2) the array of lights will become
\begin{tabular}{|c|c|c|c|}
\hline \multicolumn{1}{c}{0} & 1 & 2 & 3 \\
\hline off & on & on & on \\
\hline
\end{tabular}

And then after the subroutine call NEIGHBOUR (0) the array of lights will become
\begin{tabular}{|c|c|c|c|}
\hline \multicolumn{1}{c}{0} & 1 & 2 & 3 \\
\hline on & on & on & on \\
\hline
\end{tabular}

Finally, after the subroutine call \(\operatorname{RANGEOFF}(0,3)\) the array of lights will become
\begin{tabular}{|c|c|c|c|}
\hline \multicolumn{1}{c}{0} & \multicolumn{1}{c}{1} & \multicolumn{1}{c}{2} & 3 \\
\hline on & off & off & on \\
\hline
\end{tabular}
\begin{tabular}{|l|l|l}
\hline 1 & 2 & 1 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline on & off & off & on & off & off & on \\
\hline
\end{tabular}

What will the array of lights become after the following algorithm has been followed?
```

a \leftarrow2
SWITCH(a)
SWITCH(a + 1)
NEIGHBOUR(a - 2)

```

Write your final answer in the following array

\begin{tabular}{l|l|l}
1 & 2 & 2 \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline off & off & on & off & on & on & on \\
\hline
\end{tabular}

What will the array of lights become after the following algorithm has been followed?
```

FOR a < 0 TO 2
SWITCH(a)
ENDFOR
b}\leftarrow
RANGEOFF((b / 2), 6)
NEIGHBOUR(b - 4)

```

Write your final answer in the following array
\begin{tabular}{|l|l|l|l|l|l|l|l|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline & & & & & & \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline off & on & off & on & off & on & off \\
\hline
\end{tabular}

What will the array of lights become after the following algorithm has been followed?
```

a}\leftarrow
WHILE a < 3
SWITCH (a)
b}\leftarrow
WHILE b \leq 6
SWITCH (b)
b}\leftarrow\textrm{b}+
ENDWHILE
a}\leftarrowa+
ENDWHILE

```

Write your final answer in the following array
\begin{tabular}{|l|l|l|l|l|l|l|l|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline & & & & & & \\
\hline
\end{tabular}
\begin{tabular}{|l|l|l|l}
\hline 1 & 2 & 4 & If the starting array of lights is \\
\hline
\end{tabular}
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline on & on & on & on & on & on & on \\
\hline
\end{tabular}

Write an algorithm, using exactly three subroutine calls, that means the final array of lights will be
\begin{tabular}{|c|c|c|c|c|c|c|}
0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\hline off & off & off & off & off & off & off \\
\hline
\end{tabular}

You must use each of the subroutines SWITCH, NEIGHBOUR and RANGEOFF exactly once in your answer. If you do not do this you may still be able to get some marks.
\(\qquad\)
\(\qquad\)

\section*{END OF QUESTIONS}






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