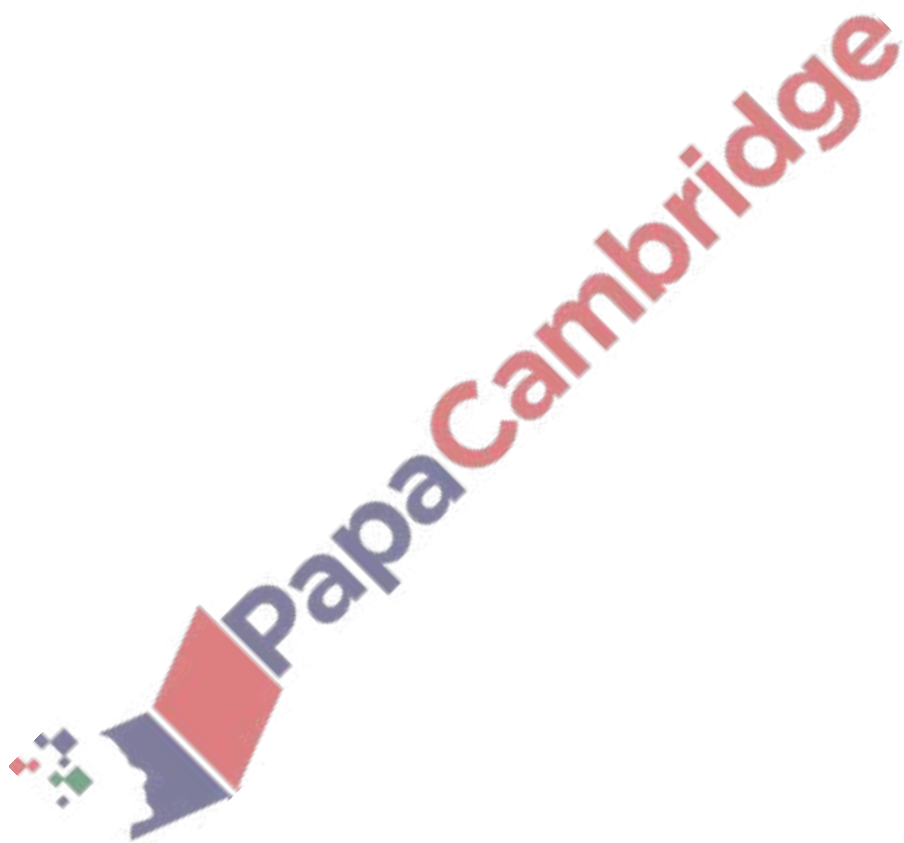


1. **Nov/2020/Paper_9709/11/No.1**

Find the set of values of m for which the line with equation $y = mx - 3$ and the curve with equation $y = 2x^2 + 5$ do not meet. [3]

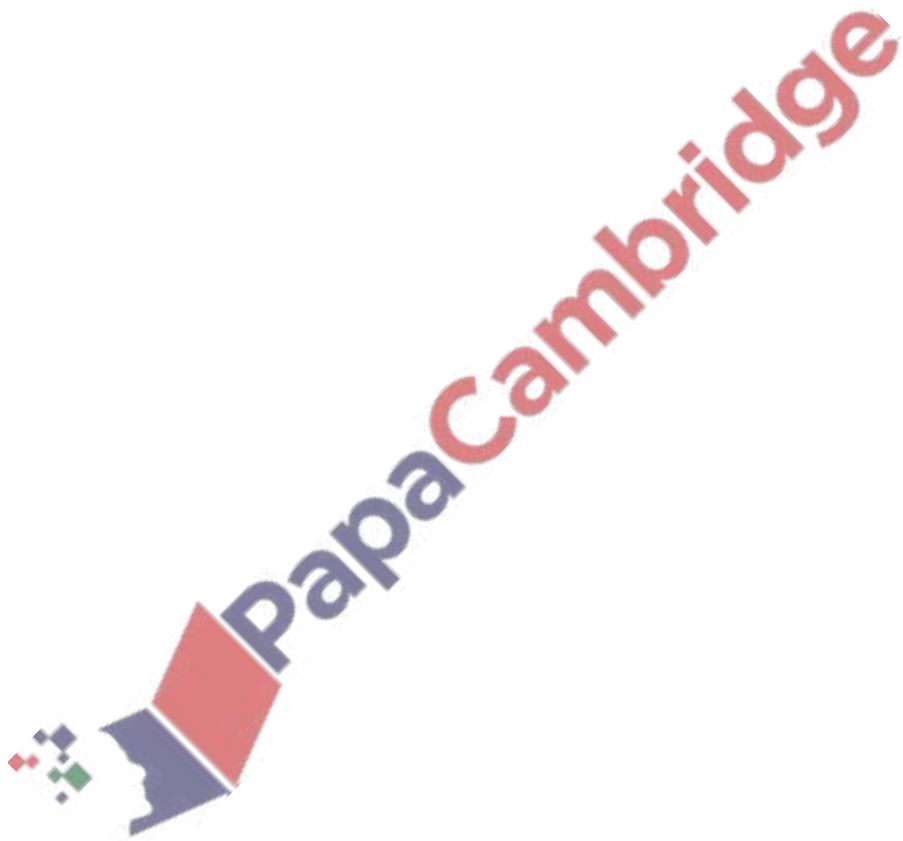


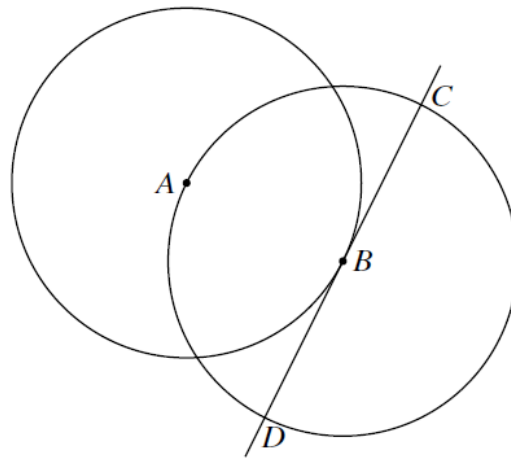
2. Nov/2020/Paper_9709/12/No.3

The equation of a curve is $y = 2x^2 + m(2x + 1)$, where m is a constant, and the equation of a line is $y = 6x + 4$.

Show that, for all values of m , the line intersects the curve at two distinct points.

[5]





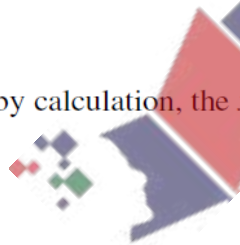
The diagram shows a circle with centre A passing through the point B . A second circle has centre B and passes through A . The tangent at B to the first circle intersects the second circle at C and D .

The coordinates of A are $(-1, 4)$ and the coordinates of B are $(3, 2)$.

(a) Find the equation of the tangent CBD . [2]

(b) Find an equation of the circle with centre B . [3]

(c) Find, by calculation, the x -coordinates of C and D . [3]



4. Nov/2020/Paper_9709/12/No.9

A circle has centre at the point $B(5, 1)$. The point $A(-1, -2)$ lies on the circle.

(a) Find the equation of the circle.

[3]

Point C is such that AC is a diameter of the circle. Point D has coordinates $(5, 16)$.

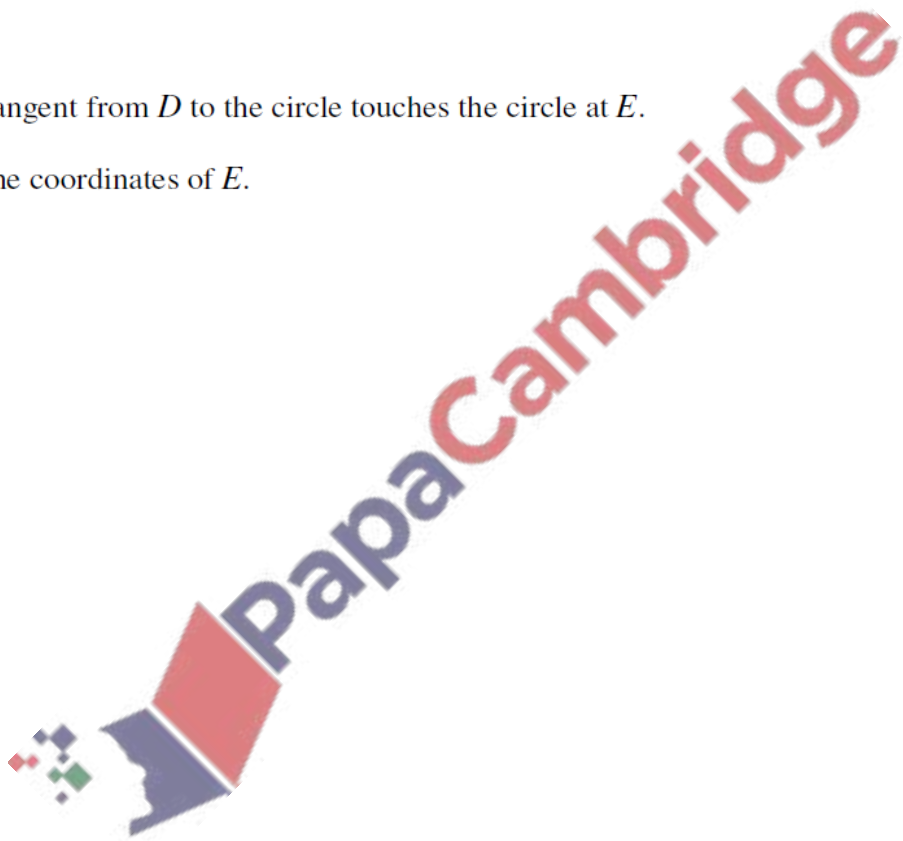
(b) Show that DC is a tangent to the circle.

[4]

The other tangent from D to the circle touches the circle at E .

(c) Find the coordinates of E .

[2]

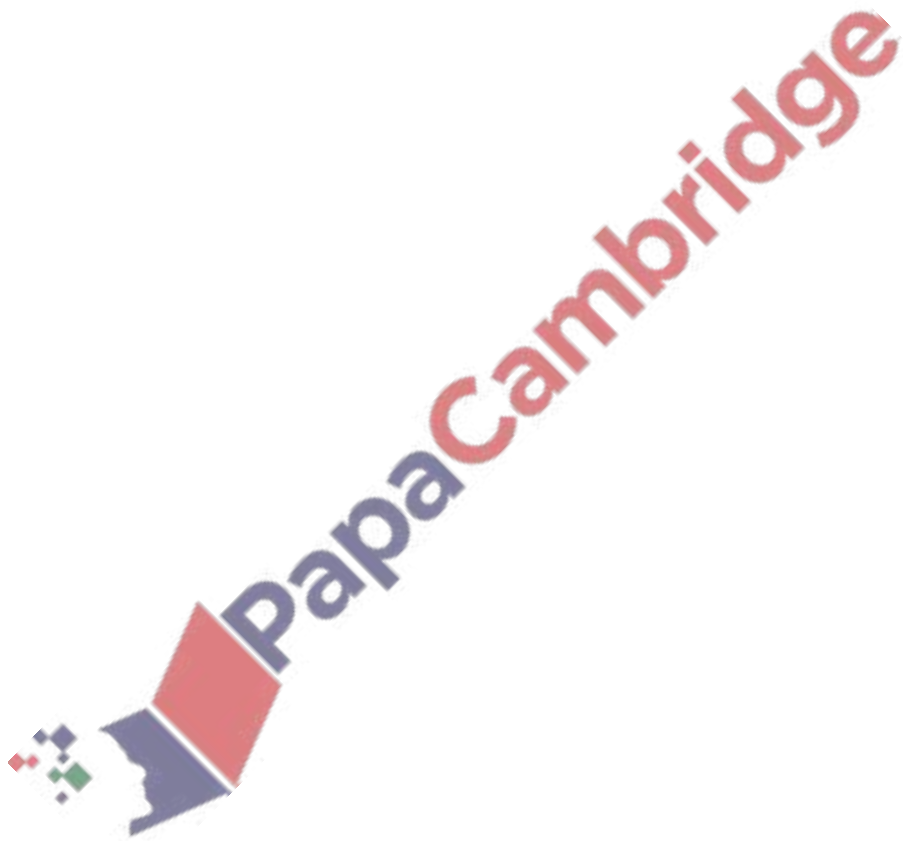


5. Nov/2020/Paper_9709/13/No.4

A curve has equation $y = 3x^2 - 4x + 4$ and a straight line has equation $y = mx + m - 1$, where m is a constant.

Find the set of values of m for which the curve and the line have two distinct points of intersection.

[5]



A circle with centre C has equation $(x - 8)^2 + (y - 4)^2 = 100$.

(a) Show that the point $T(-6, 6)$ is outside the circle. [3]

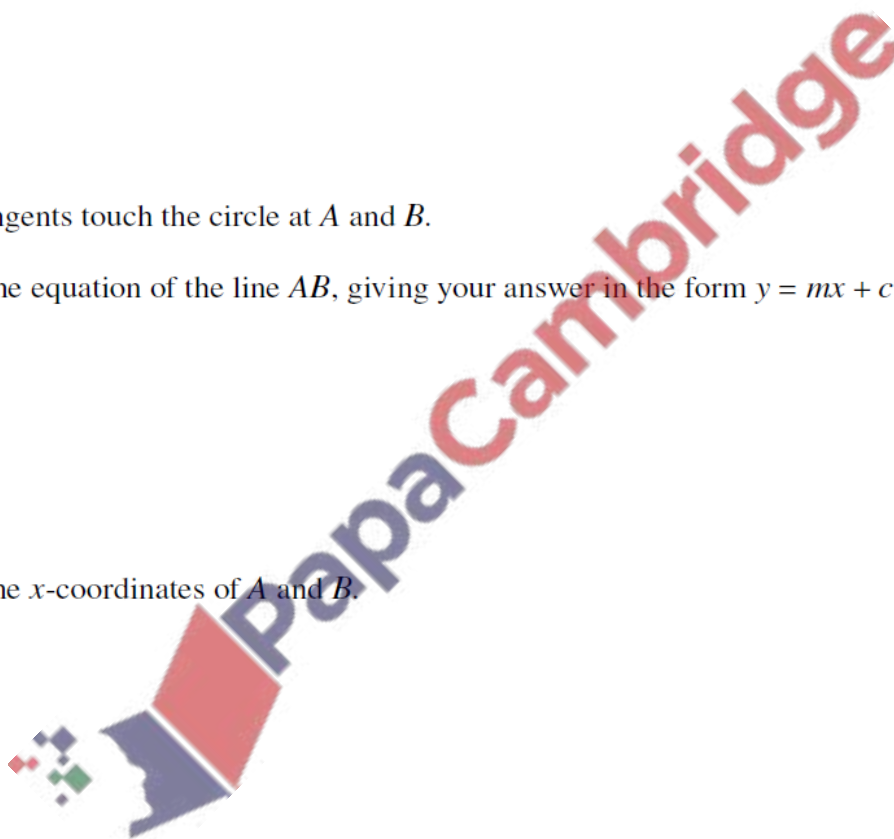
Two tangents from T to the circle are drawn.

(b) Show that the angle between one of the tangents and CT is exactly 45° . [2]

The two tangents touch the circle at A and B .

(c) Find the equation of the line AB , giving your answer in the form $y = mx + c$. [4]

(d) Find the x -coordinates of A and B . [3]

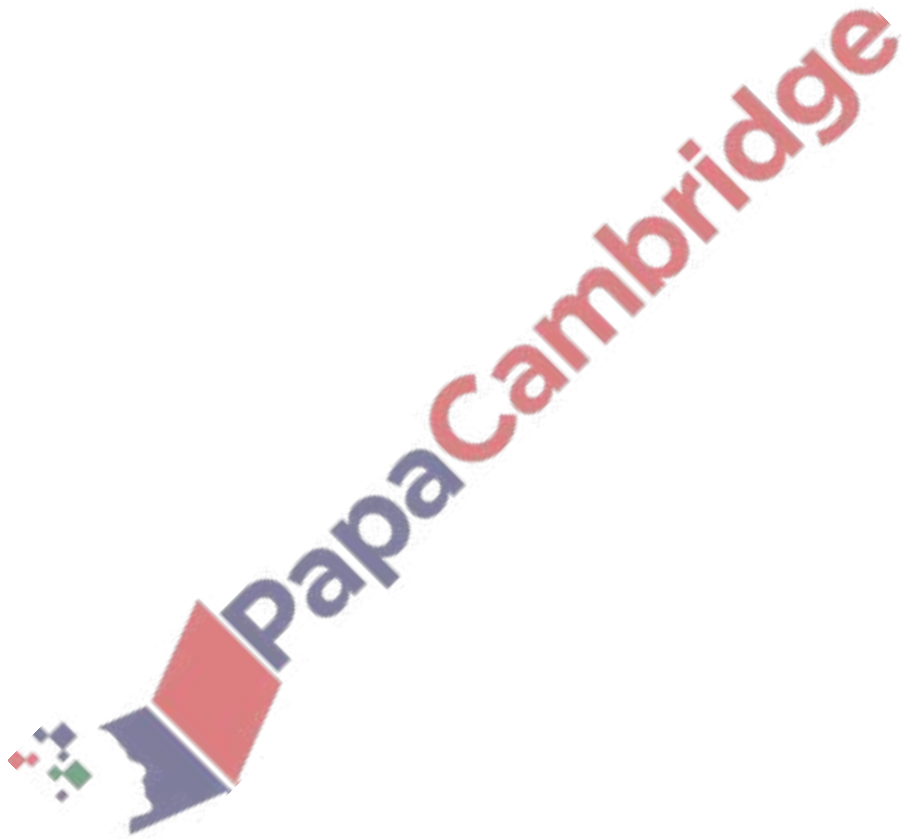


7. June/2020/Paper_9709/11/No.5

The equation of a line is $y = mx + c$, where m and c are constants, and the equation of a curve is $xy = 16$.

(a) Given that the line is a tangent to the curve, express m in terms of c . [3]

(b) Given instead that $m = -4$, find the set of values of c for which the line intersects the curve at two distinct points. [3]



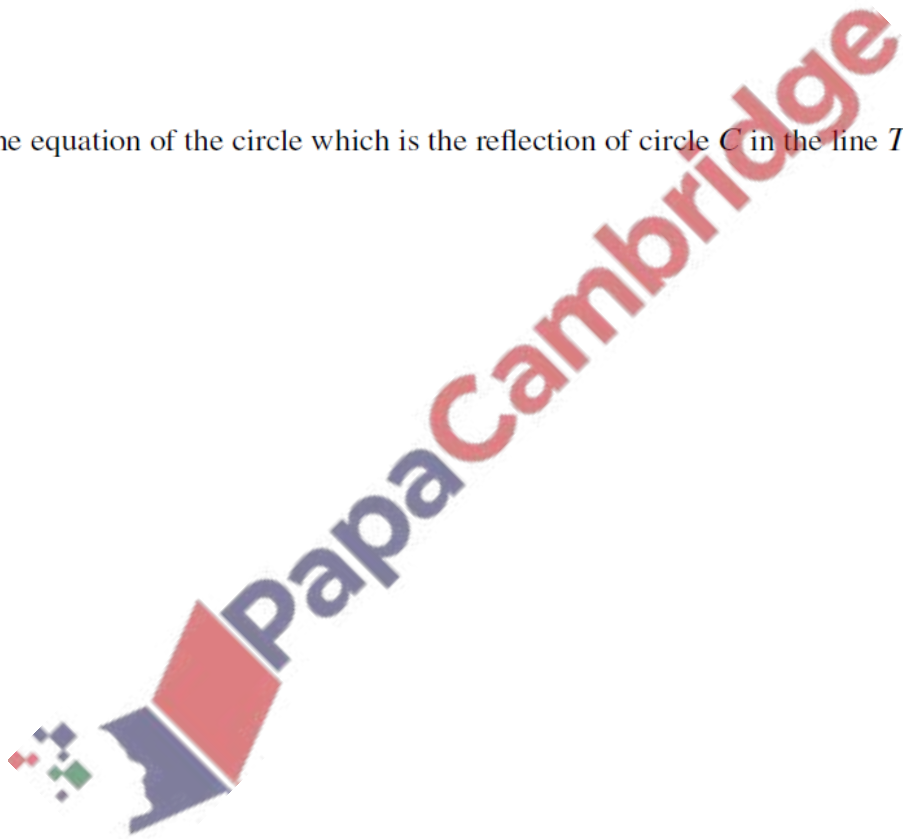
8. June/2020/Paper_9709/11/No.10

The coordinates of the points A and B are $(-1, -2)$ and $(7, 4)$ respectively.

(a) Find the equation of the circle, C , for which AB is a diameter. [4]

(b) Find the equation of the tangent, T , to circle C at the point B . [4]

(c) Find the equation of the circle which is the reflection of circle C in the line T . [3]



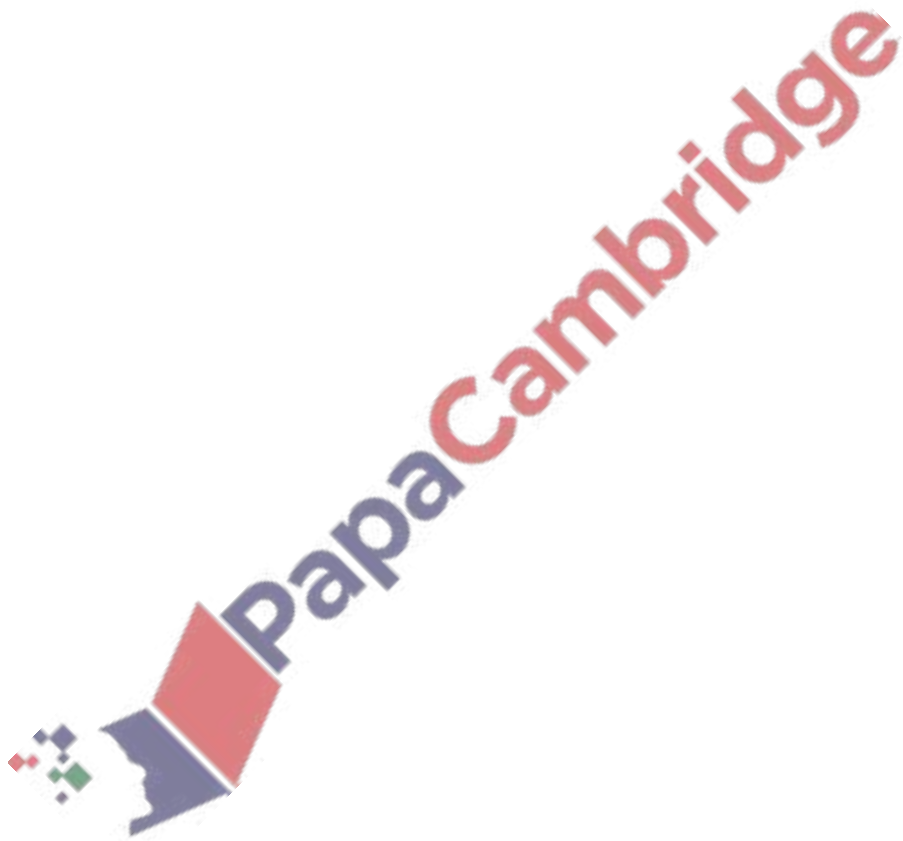
9. June/2020/Paper_9709/12/No.6

The equation of a curve is $y = 2x^2 + kx + k - 1$, where k is a constant.

(a) Given that the line $y = 2x + 3$ is a tangent to the curve, find the value of k . [3]

It is now given that $k = 2$.

(b) Express the equation of the curve in the form $y = 2(x + a)^2 + b$, where a and b are constants, and hence state the coordinates of the vertex of the curve. [3]



10. June/2020/Paper_9709/12/No.11

The equation of a circle with centre C is $x^2 + y^2 - 8x + 4y - 5 = 0$.

- (a) Find the radius of the circle and the coordinates of C . [3]

The point $P(1, 2)$ lies on the circle.

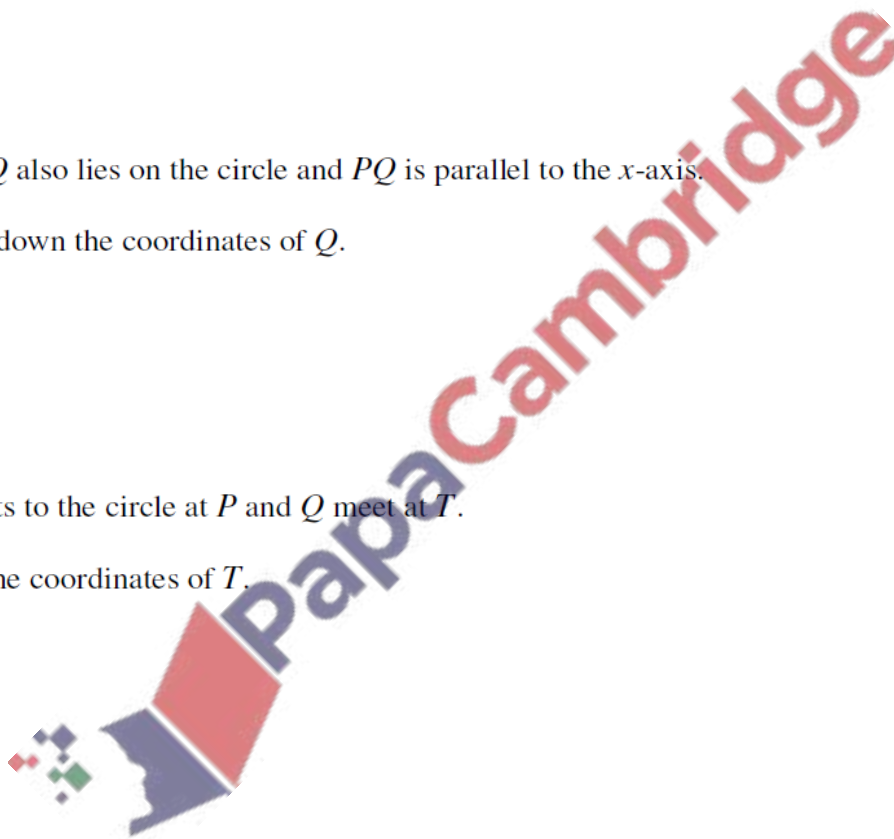
- (b) Show that the equation of the tangent to the circle at P is $4y = 3x + 5$. [3]

The point Q also lies on the circle and PQ is parallel to the x -axis.

- (c) Write down the coordinates of Q . [2]

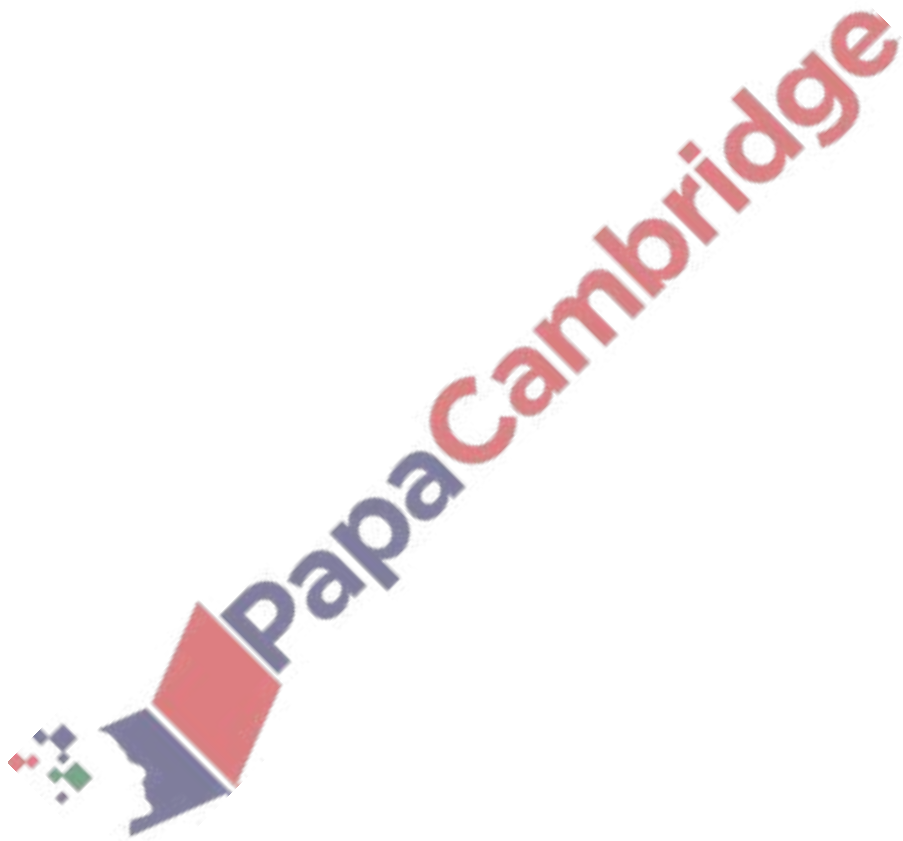
The tangents to the circle at P and Q meet at T .

- (d) Find the coordinates of T . [3]



11. June/2020/Paper_9709/13/No.1

Find the set of values of m for which the line with equation $y = mx + 1$ and the curve with equation $y = 3x^2 + 2x + 4$ intersect at two distinct points. [4]



12. June/2020/Paper_9709/13/No.10

- (a) The coordinates of two points A and B are $(-7, 3)$ and $(5, 11)$ respectively.

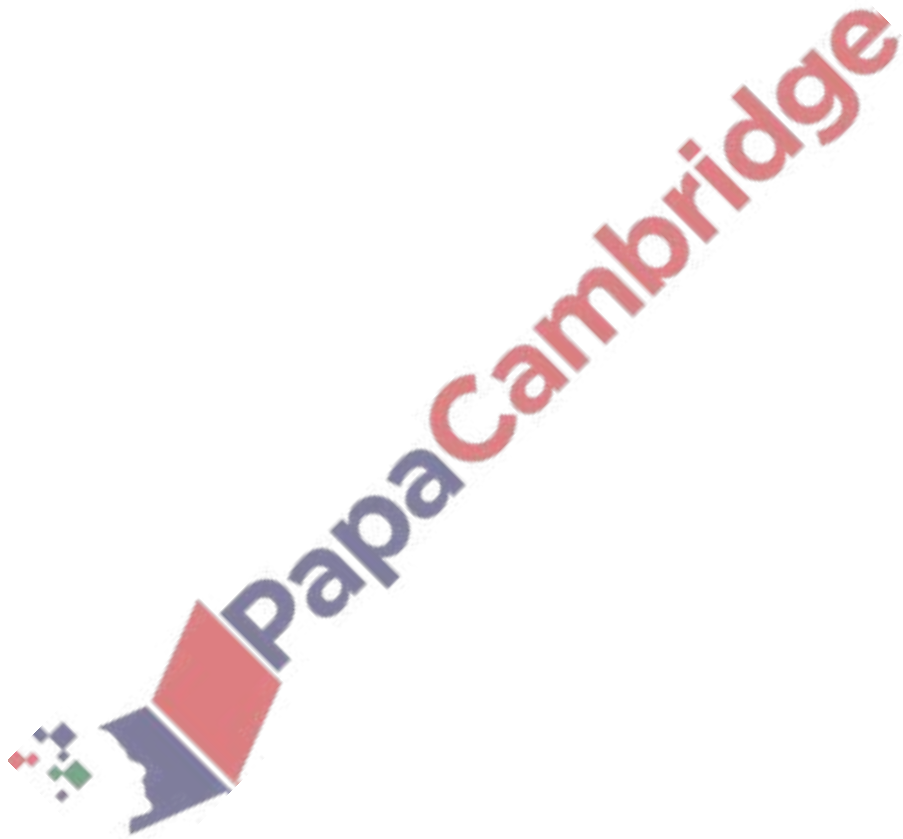
Show that the equation of the perpendicular bisector of AB is $3x + 2y = 11$.

[4]

- (b) A circle passes through A and B and its centre lies on the line $12x - 5y = 70$.

Find an equation of the circle.

[5]

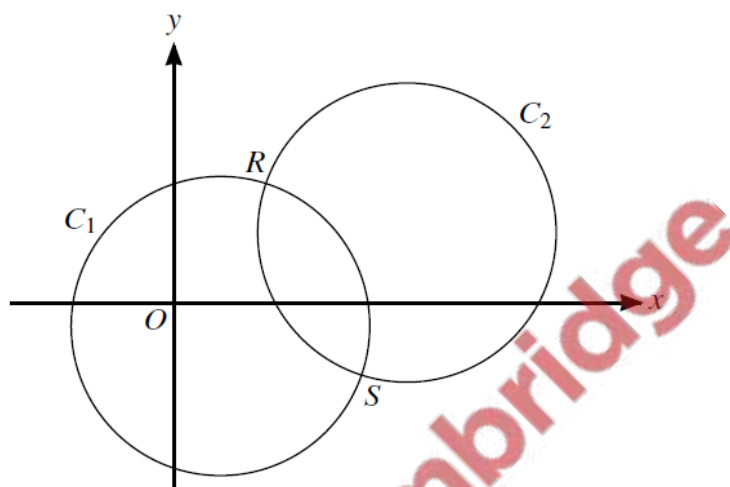


13. March/2020/Paper_9709/12/No.12

A diameter of a circle C_1 has end-points at $(-3, -5)$ and $(7, 3)$.

(a) Find an equation of the circle C_1 .

[3]



The circle C_1 is translated by $\begin{pmatrix} 8 \\ 4 \end{pmatrix}$ to give circle C_2 , as shown in the diagram.

(b) Find an equation of the circle C_2 .

[2]

The two circles intersect at points R and S .

(c) Show that the equation of the line RS is $y = -2x + 13$.

[4]

(d) Hence show that the x -coordinates of R and S satisfy the equation $5x^2 - 60x + 159 = 0$.

[2]