

1. Nov/2020/Paper_11/No.10

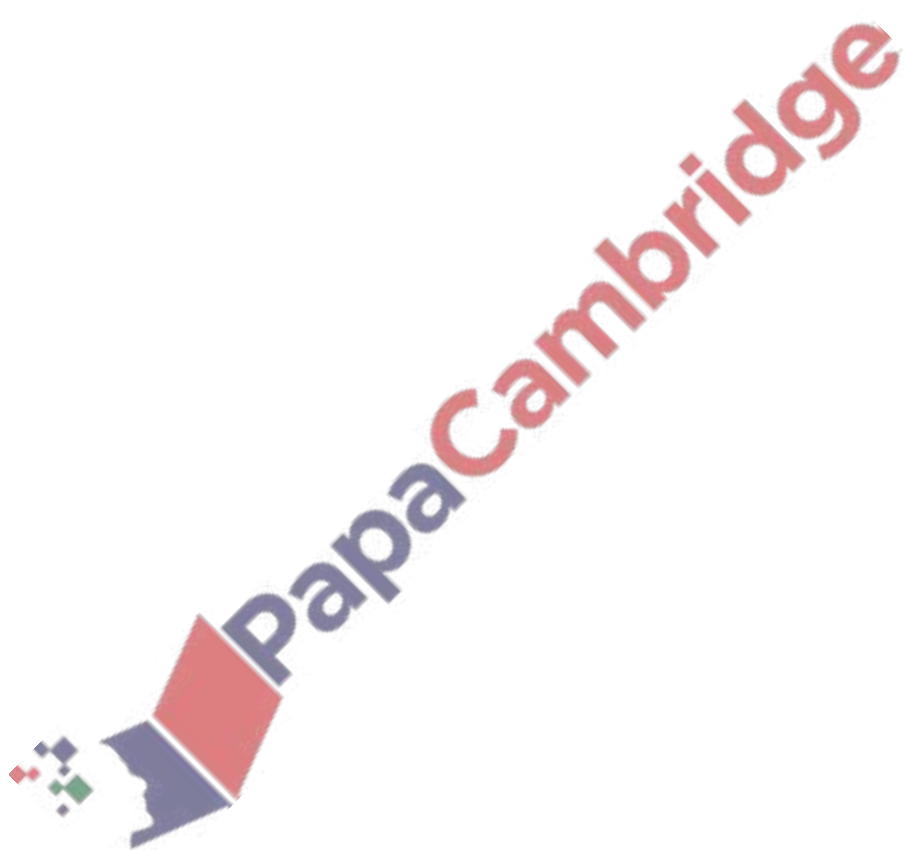
Work out.

(a) $\begin{pmatrix} 2 \\ -3 \end{pmatrix} + \begin{pmatrix} 5 \\ -1 \end{pmatrix}$

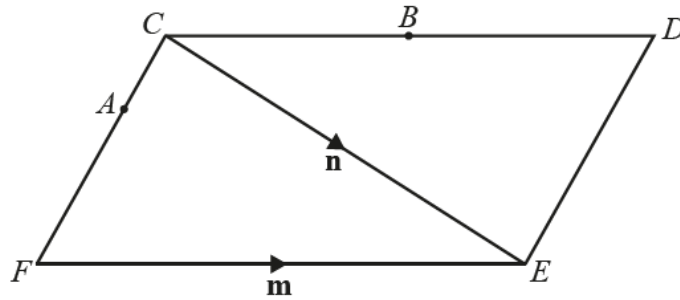
$\begin{pmatrix} \\ \end{pmatrix}$ [1]

(b) $4\begin{pmatrix} 2 \\ -5 \end{pmatrix}$

$\begin{pmatrix} \\ \end{pmatrix}$ [1]



(a)



NOT TO SCALE

The diagram shows a parallelogram $CDEF$.

$\vec{FE} = \mathbf{m}$ and $\vec{CE} = \mathbf{n}$.

B is the midpoint of CD .

$FA = 2AC$

Find an expression, in terms of \mathbf{m} and \mathbf{n} , for \vec{AB} .

Give your answer in its simplest form.

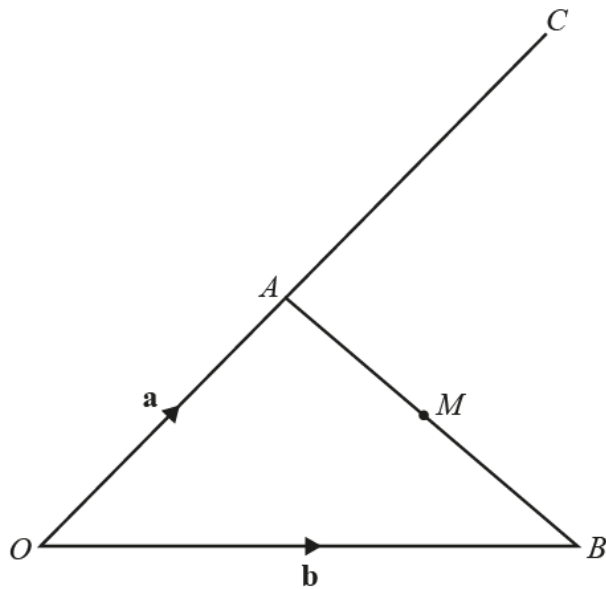
$\vec{AB} = \dots\dots\dots$ [3]

(b) $\vec{GH} = \frac{5}{6}(2\mathbf{p} + \mathbf{q})$ $\vec{JK} = \frac{5}{18}(2\mathbf{p} + \mathbf{q})$

Write down **two** facts about vectors \vec{GH} and \vec{JK} .

.....

..... [2]



NOT TO SCALE

The diagram shows a triangle OAB and a straight line OAC .
 $OA : OC = 2 : 5$ and M is the midpoint of AB .
 $\vec{OA} = \mathbf{a}$ and $\vec{OB} = \mathbf{b}$.

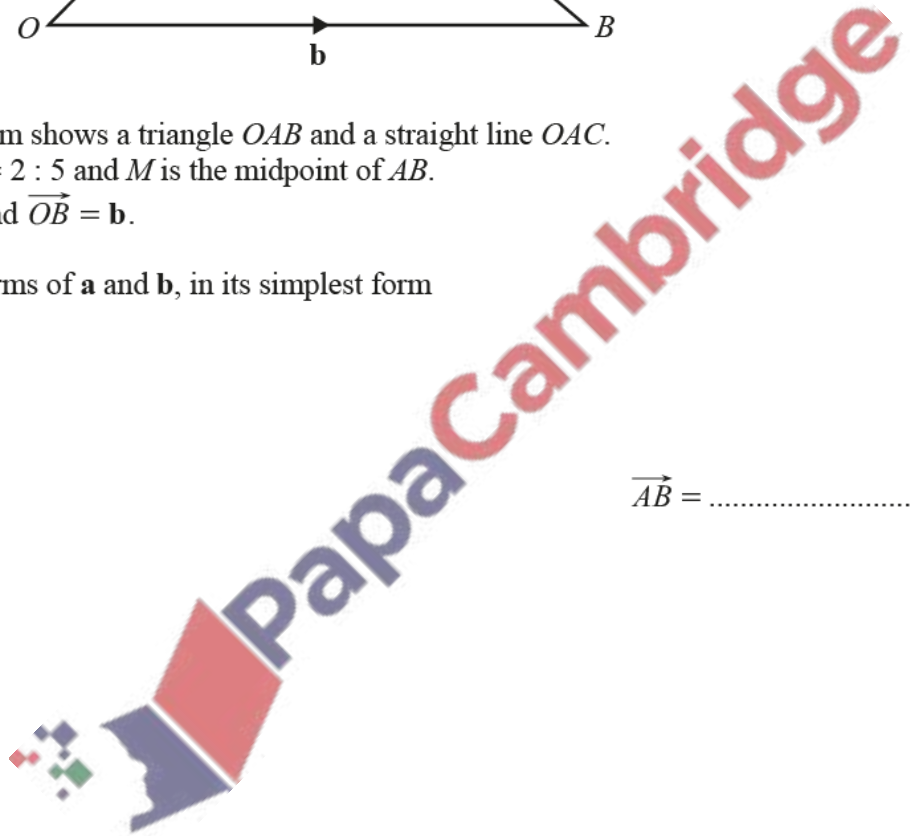
Find, in terms of \mathbf{a} and \mathbf{b} , in its simplest form

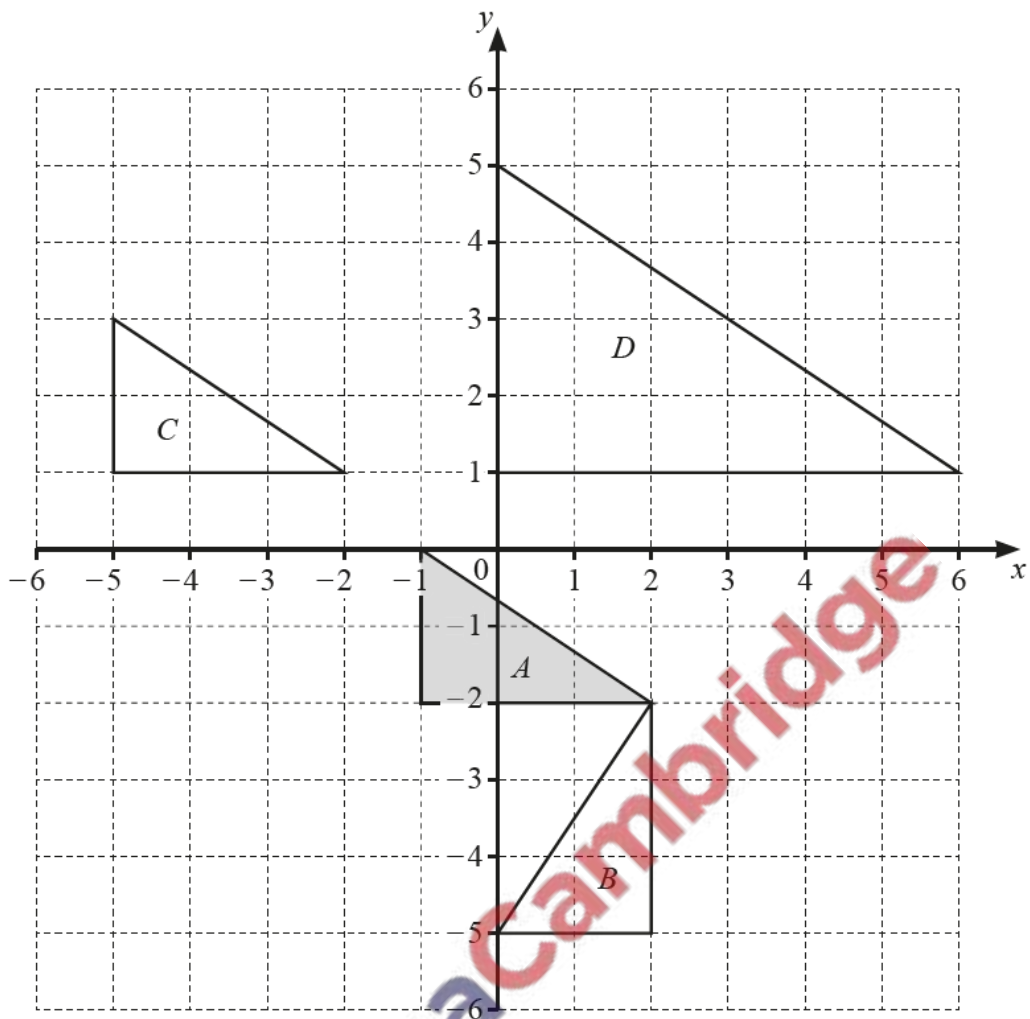
(a) \vec{AB} ,

$\vec{AB} = \dots\dots\dots$ [1]

(b) \vec{MC} .

$\vec{MC} = \dots\dots\dots$ [3]





(a) Describe fully the **single** transformation that maps

(i) triangle *A* onto triangle *B*,

..... [3]

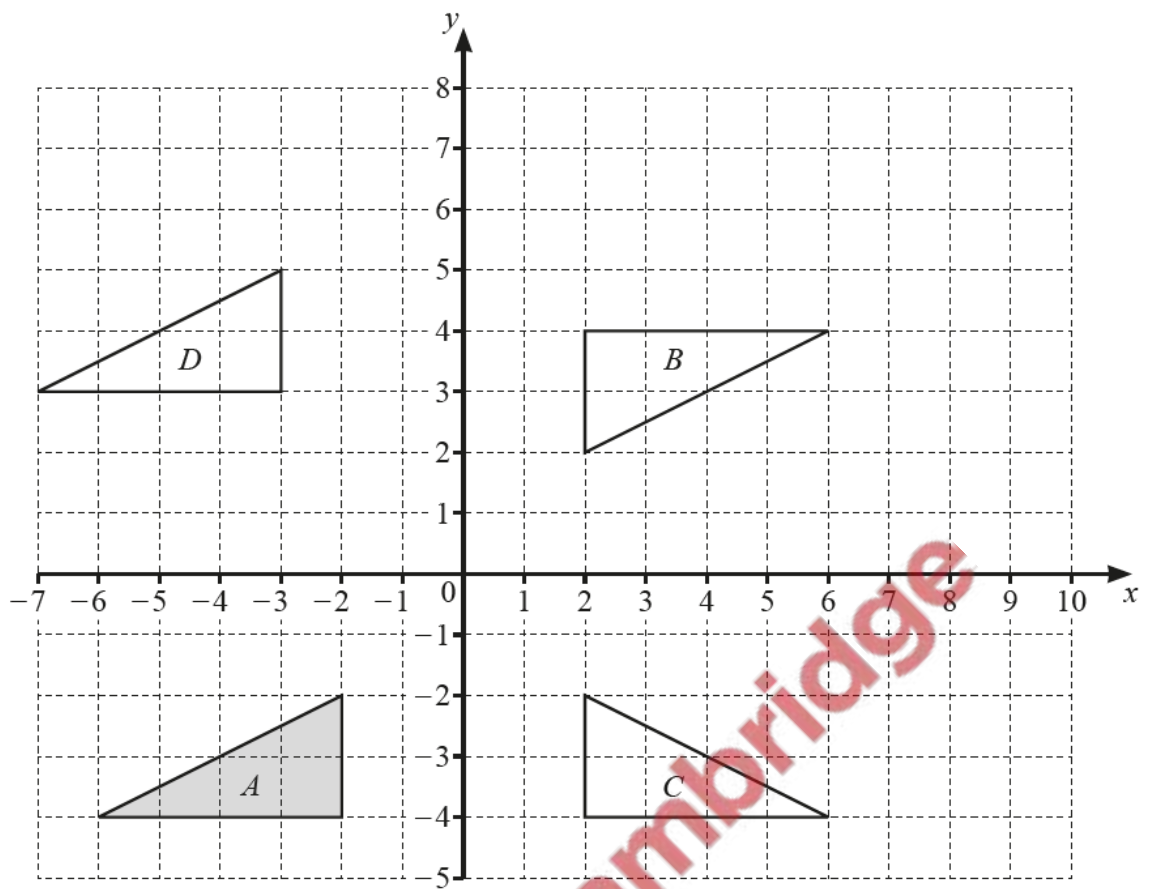
(ii) triangle *A* onto triangle *C*,

..... [2]

(iii) triangle *A* onto triangle *D*.

..... [3]

(b) On the grid, draw the image of triangle *A* after a reflection in the line $x = -2$. [2]



(a) Describe fully the **single** transformation that maps

(i) triangle *A* onto triangle *B*,

.....
 [3]

(ii) triangle *A* onto triangle *C*,

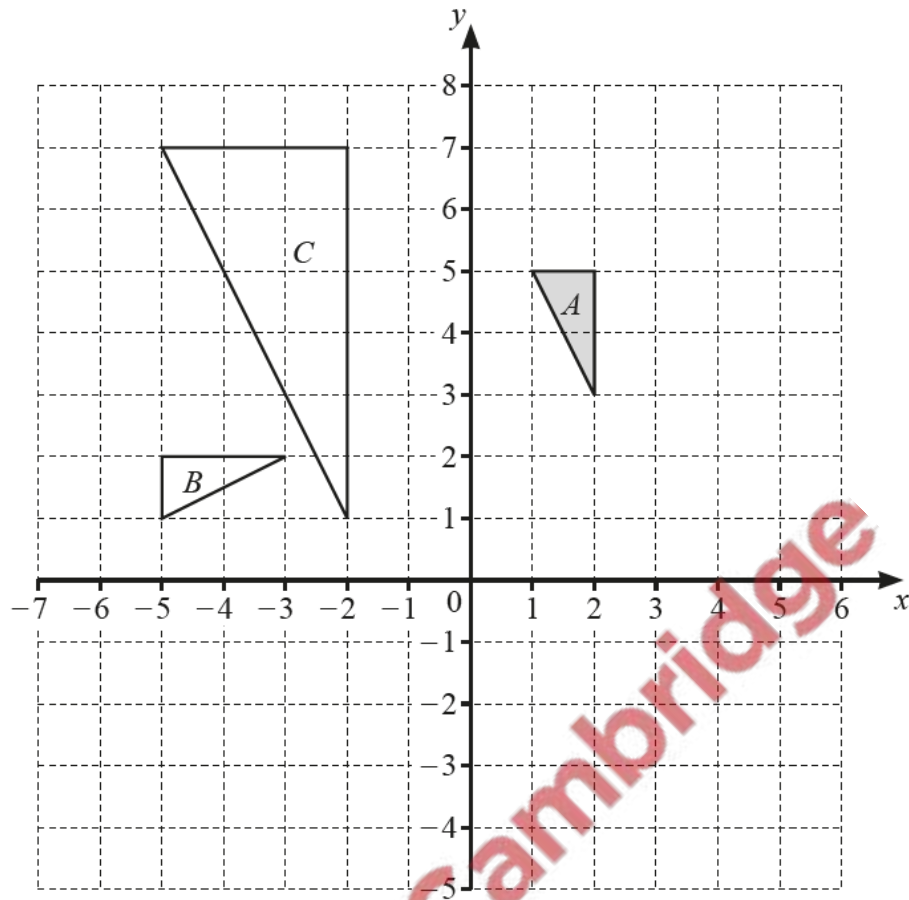
.....
 [2]

(iii) triangle *A* onto triangle *D*.

.....
 [2]

(b) On the grid, enlarge triangle *A* by scale factor 0.5, centre (4, 0). [2]

(a)



- (i) On the grid, draw the image of
- (a) triangle A after a translation by the vector $\begin{pmatrix} 3 \\ -7 \end{pmatrix}$, [2]
 - (b) triangle A after a reflection in the line $x = 3$. [2]
- (ii) Describe fully the **single** transformation that maps triangle A onto triangle B .

 [3]
- (iii) Describe fully the **single** transformation that maps triangle A onto triangle C .

 [3]

(b) $\mathbf{a} = \begin{pmatrix} 3 \\ -2 \end{pmatrix}$ $\mathbf{b} = \begin{pmatrix} 5 \\ 7 \end{pmatrix}$ $\mathbf{c} = \begin{pmatrix} -1 \\ 4 \end{pmatrix}$

Work out.

(i) $\mathbf{a} + \mathbf{b}$

$\begin{pmatrix} \\ \end{pmatrix}$ [1]

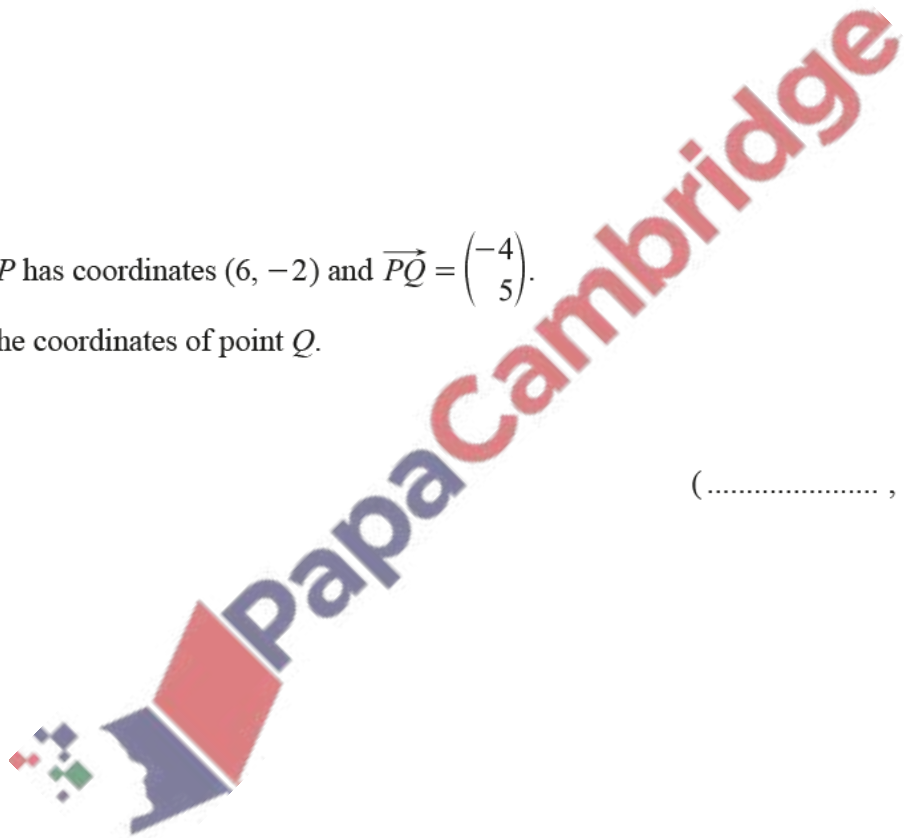
(ii) $\mathbf{b} - 2\mathbf{c}$

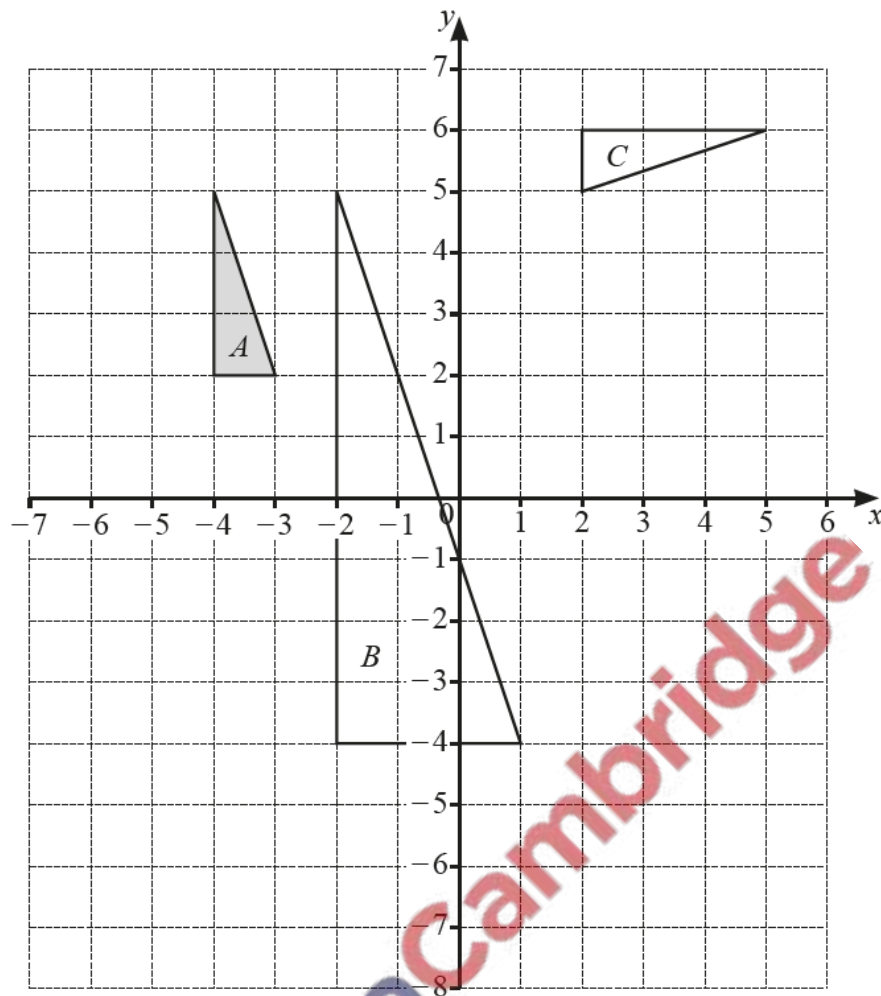
$\begin{pmatrix} \\ \end{pmatrix}$ [2]

(c) Point P has coordinates $(6, -2)$ and $\overrightarrow{PQ} = \begin{pmatrix} -4 \\ 5 \end{pmatrix}$.

Find the coordinates of point Q .

(.....,) [1]





(a) Draw the image of shape A after a translation by the vector $\begin{pmatrix} 8 \\ -6 \end{pmatrix}$. [2]

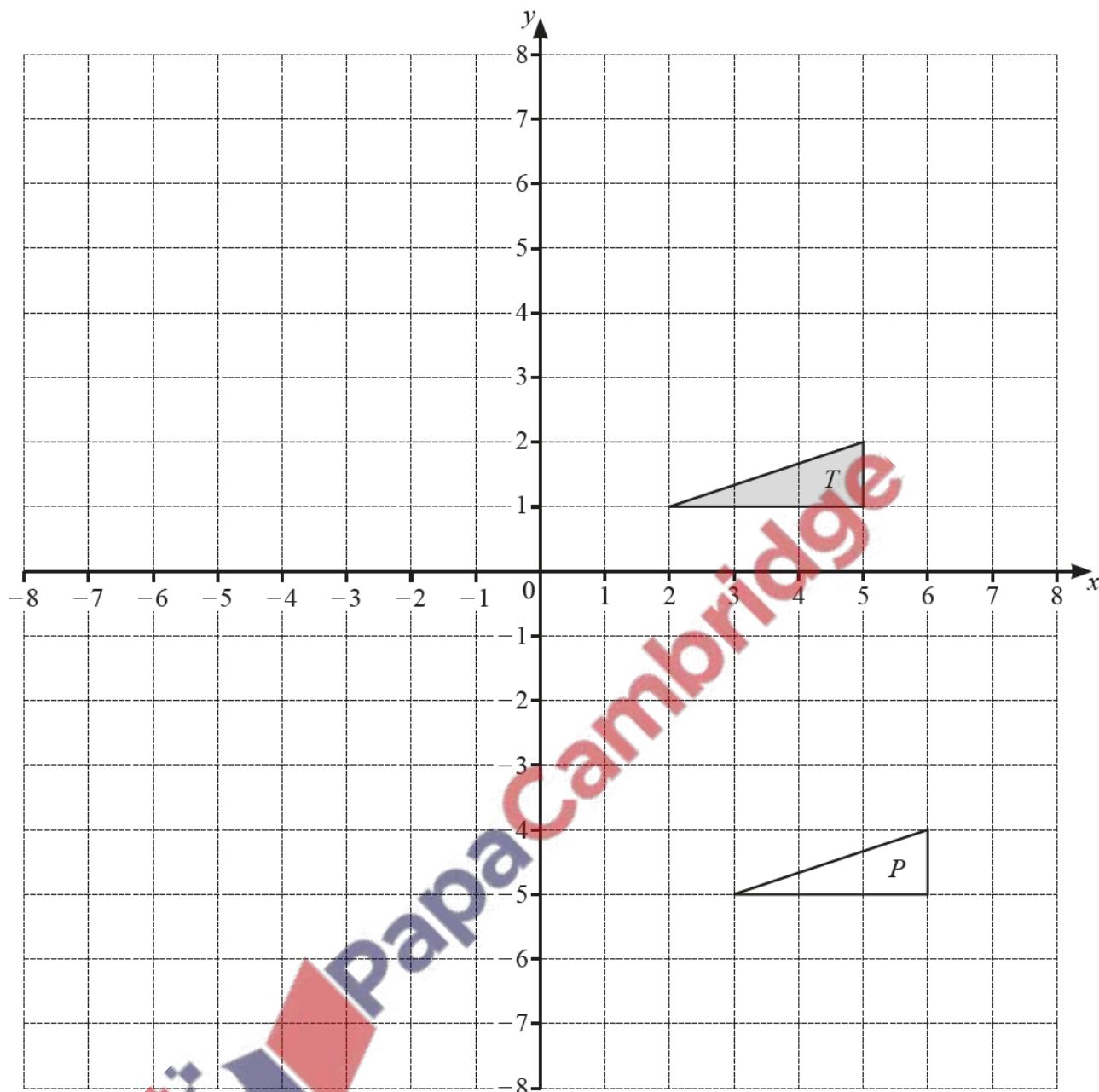
(b) Draw the image of shape A after a reflection in the line $y = -1$. [2]

(c) Describe fully the **single** transformation that maps shape A onto shape B .

..... [3]

(d) Describe fully the **single** transformation that maps shape A onto shape C .

..... [3]



(a) Describe fully the **single** transformation that maps triangle T onto triangle P .

.....

[2]

(b) (i) Reflect triangle T in the line $x = 1$.

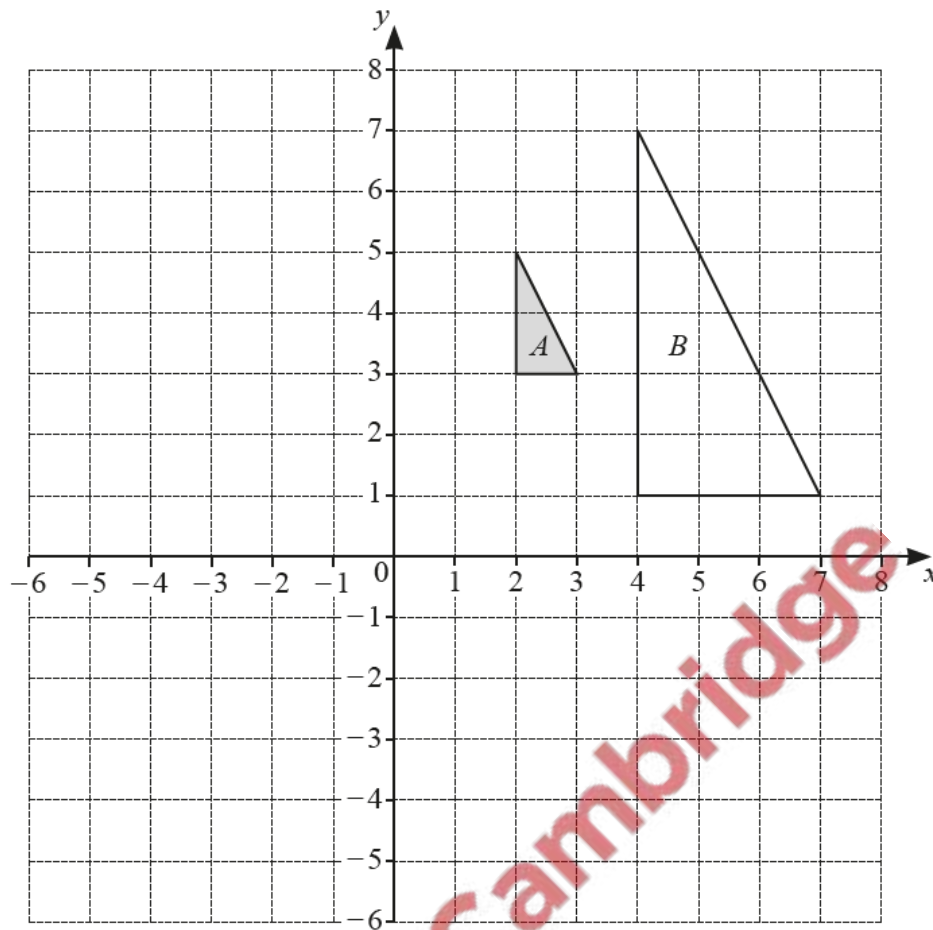
[2]

(ii) Rotate triangle T through 90° anticlockwise about $(6, 0)$.

[2]

(iii) Enlarge triangle T by a scale factor of -2 , centre $(1, 0)$.

[2]



(a) On the grid, draw the image of

(i) triangle A after a rotation of 90° anticlockwise about $(0, 0)$, [2]

(ii) triangle A after a translation by the vector $\begin{pmatrix} 3 \\ -5 \end{pmatrix}$. [2]

(b) Describe fully the **single** transformation that maps triangle A onto triangle B .

..... [3]

(a) $\vec{AB} = \begin{pmatrix} 6 \\ -1 \end{pmatrix}$ $\vec{BC} = \begin{pmatrix} -2 \\ 5 \end{pmatrix}$ $\vec{DC} = \begin{pmatrix} 2 \\ -3 \end{pmatrix}$

Find

(i) \vec{AC} ,

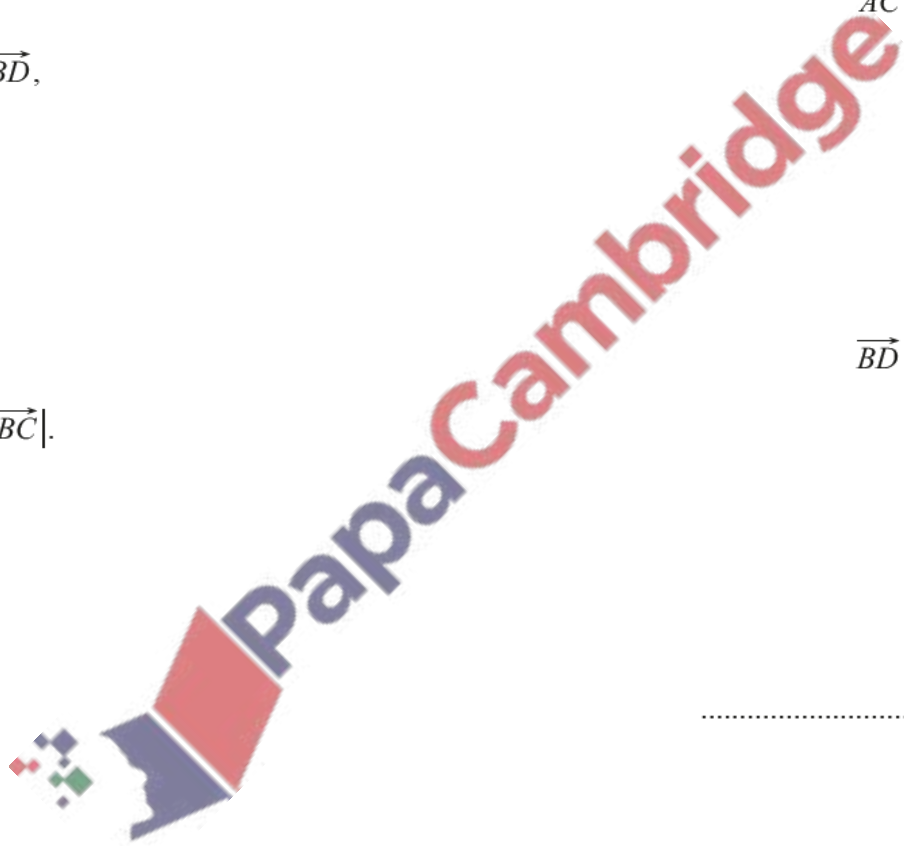
(ii) \vec{BD} ,

(iii) $|\vec{BC}|$.

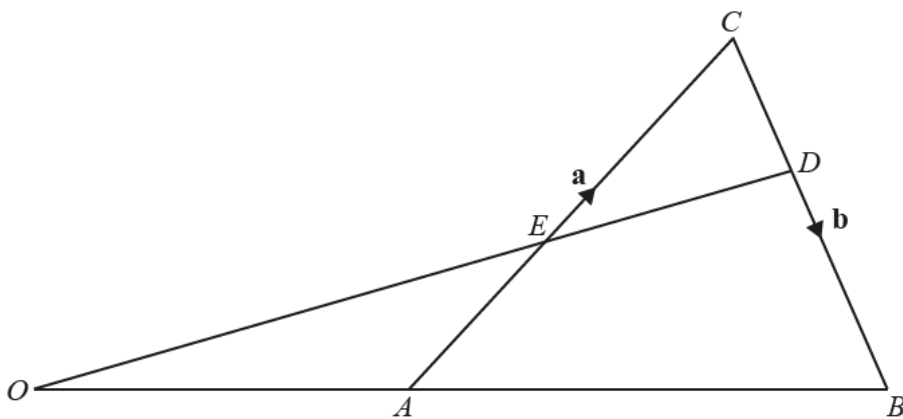
$\vec{AC} = \begin{pmatrix} \\ \end{pmatrix}$ [2]

$\vec{BD} = \begin{pmatrix} \\ \end{pmatrix}$ [2]

..... [2]



(b)



NOT TO SCALE

In the diagram, OAB and OED are straight lines.

O is the origin, A is the midpoint of OB and E is the midpoint of OC .

$\vec{AC} = \mathbf{a}$ and $\vec{CB} = \mathbf{b}$.

Find, in terms of \mathbf{a} and \mathbf{b} , in its simplest form

(i) \vec{AB} ,

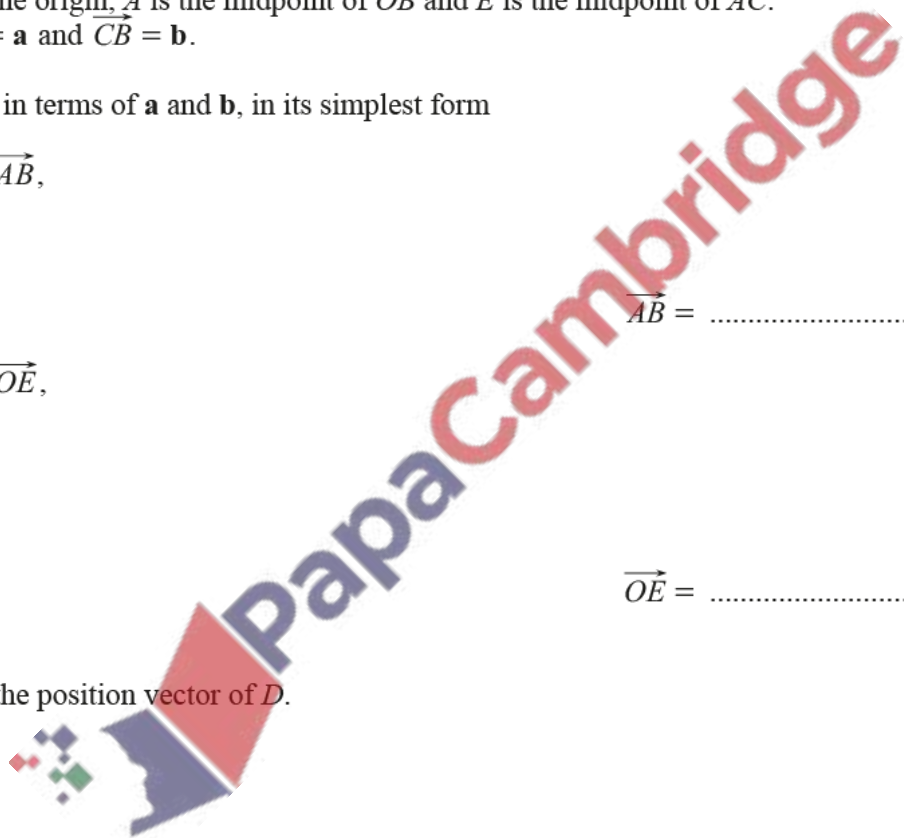
$\vec{AB} = \dots\dots\dots$ [1]

(ii) \vec{OE} ,

$\vec{OE} = \dots\dots\dots$ [2]

(iii) the position vector of D .

$\dots\dots\dots$ [3]

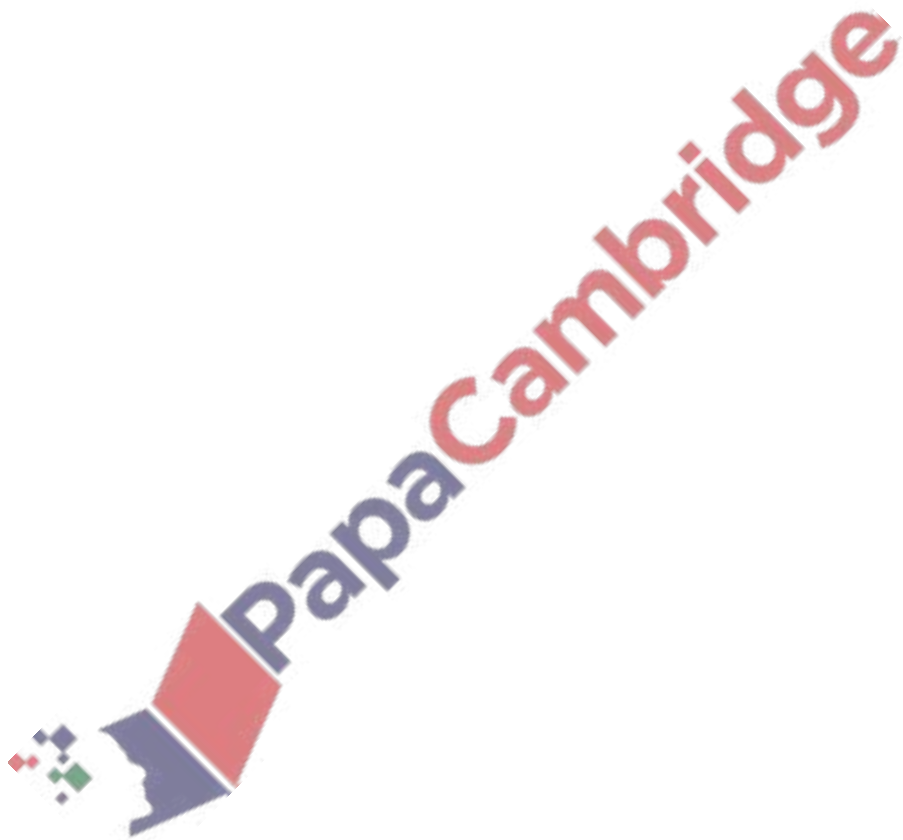


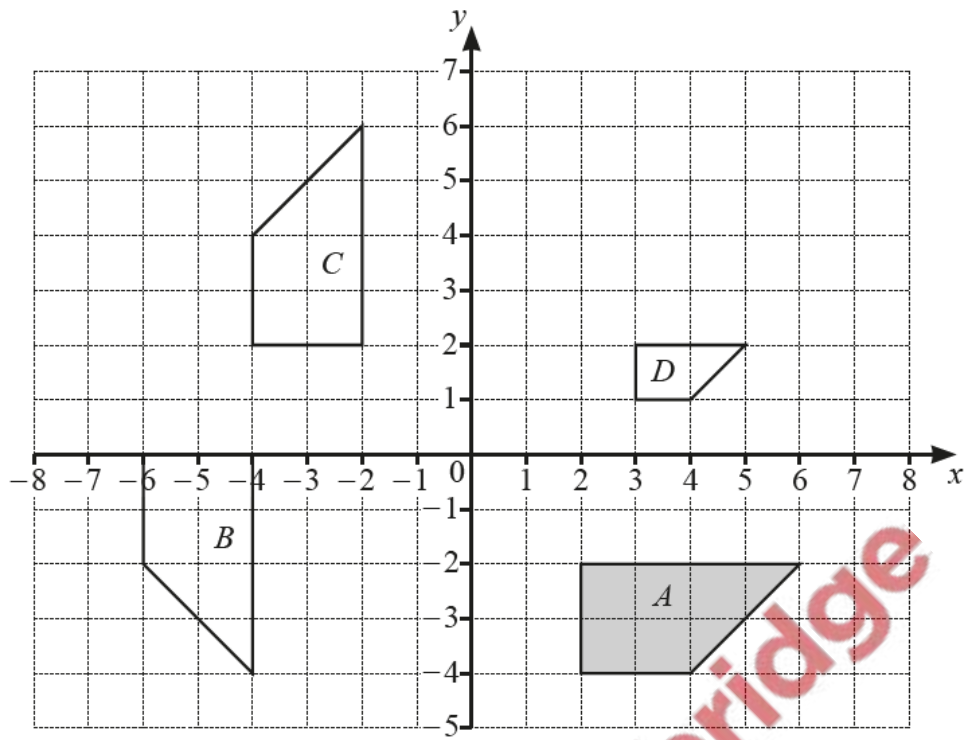
11. March/2020/Paper_12/No.10

Point A has coordinates $(6, 4)$ and point B has coordinates $(2, 7)$.

Write \overrightarrow{AB} as a column vector.

$$\overrightarrow{AB} = \begin{pmatrix} \quad \\ \quad \end{pmatrix} \quad [1]$$





Describe fully the **single** transformation that maps

- (a) shape *A* onto shape *B*,

.....
 [3]

- (b) shape *A* onto shape *C*,

.....
 [2]

- (c) shape *A* onto shape *D*.

.....
 [3]

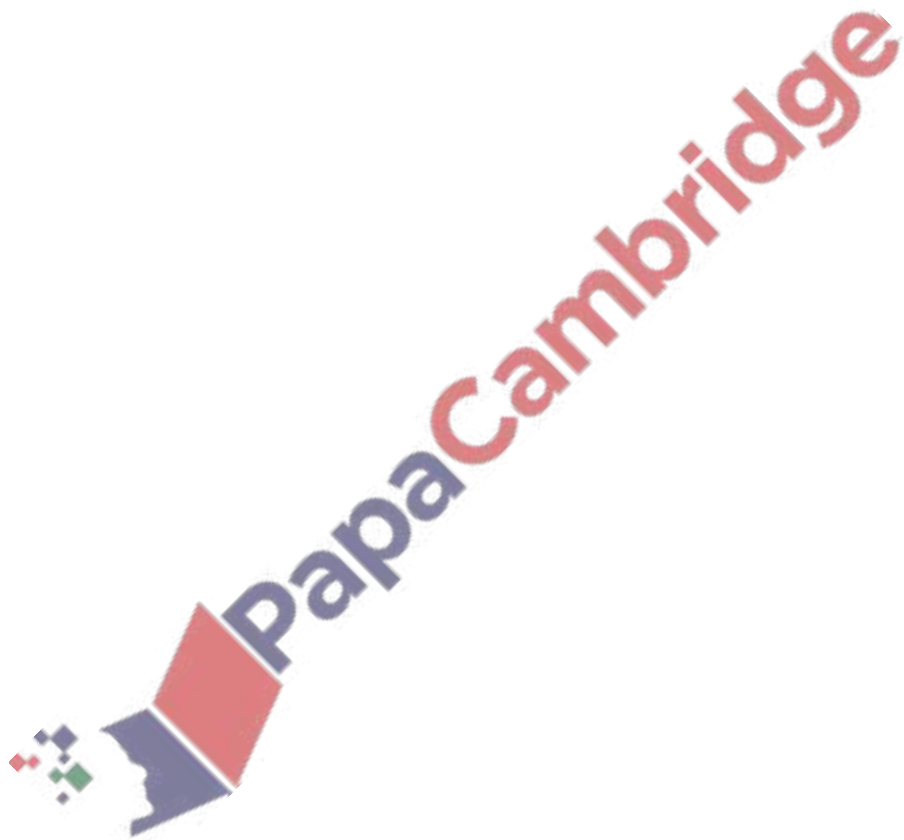
13. March/2020/Paper_22/No.21

$$\vec{XY} = 3\mathbf{a} + 2\mathbf{b} \quad \text{and} \quad \vec{ZY} = 6\mathbf{a} + 4\mathbf{b}.$$

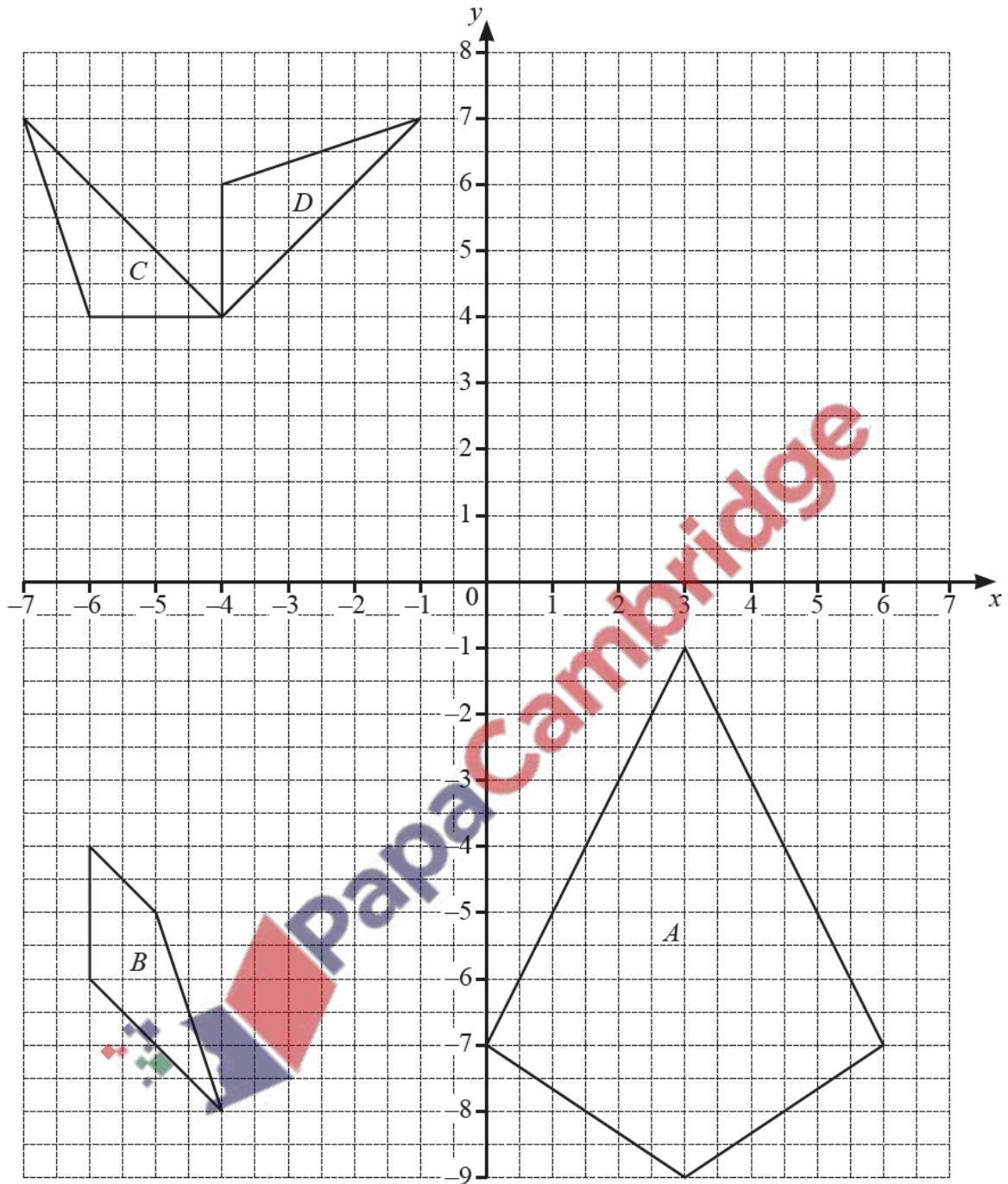
Write down two statements about the relationship between the points X , Y and Z .

1

2 [2]



(a)



(i) On the grid, draw the image of

(a) shape *A* after an enlargement with scale factor $\frac{1}{2}$, centre $(3, -5)$, [2]

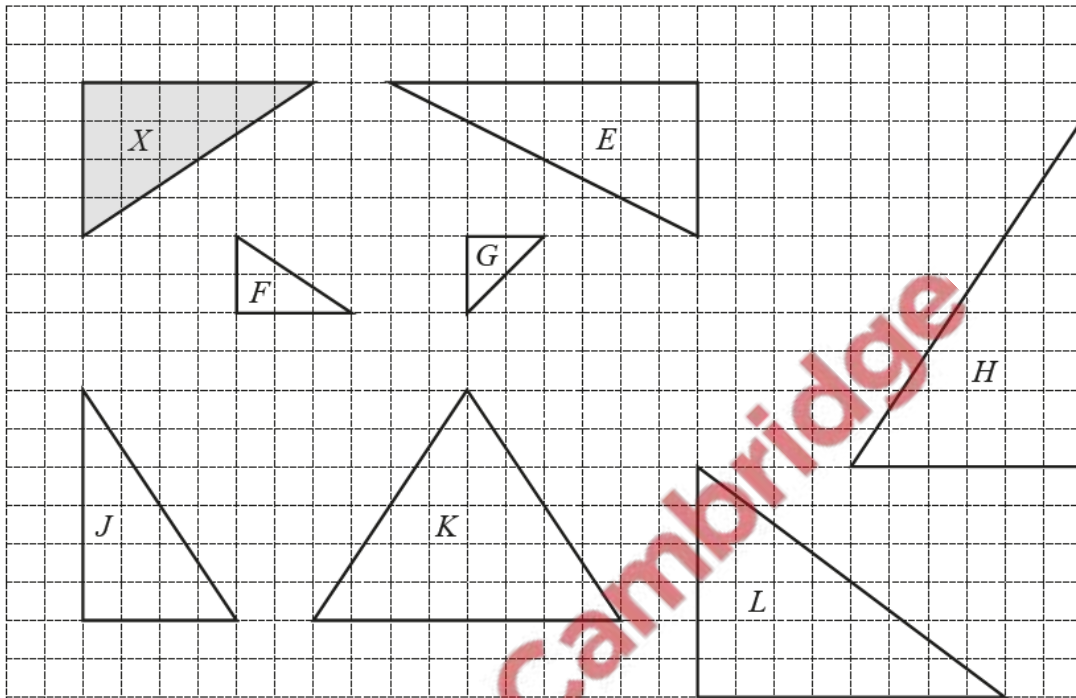
(b) shape *B* after a reflection in the line $y = -3$. [2]

(ii) Describe fully the **single** transformation that maps triangle *C* onto triangle *D*.

.....

..... [3]

(b)



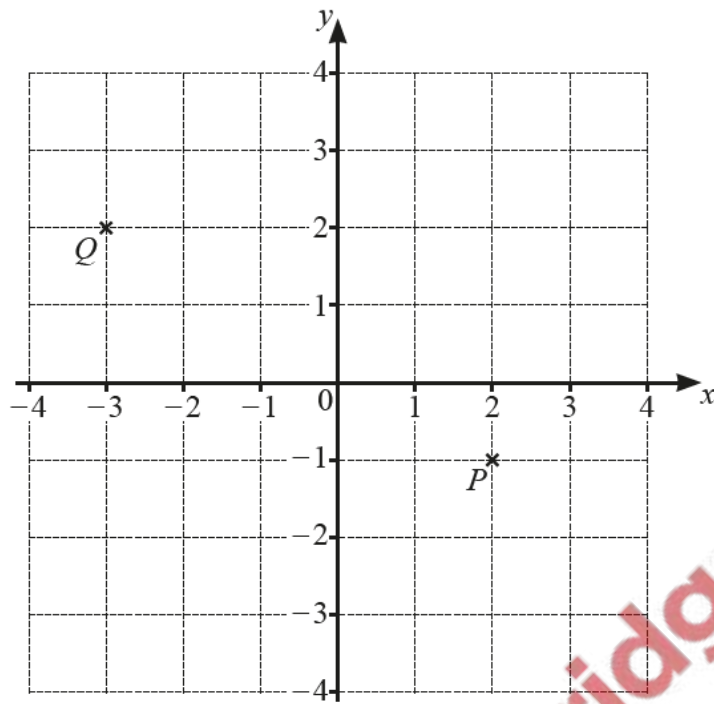
For the triangles shown on the grid, write down the letter of each triangle that is

(i) congruent to triangle *X*.

..... [1]

(ii) similar to triangle *X*.

..... [2]

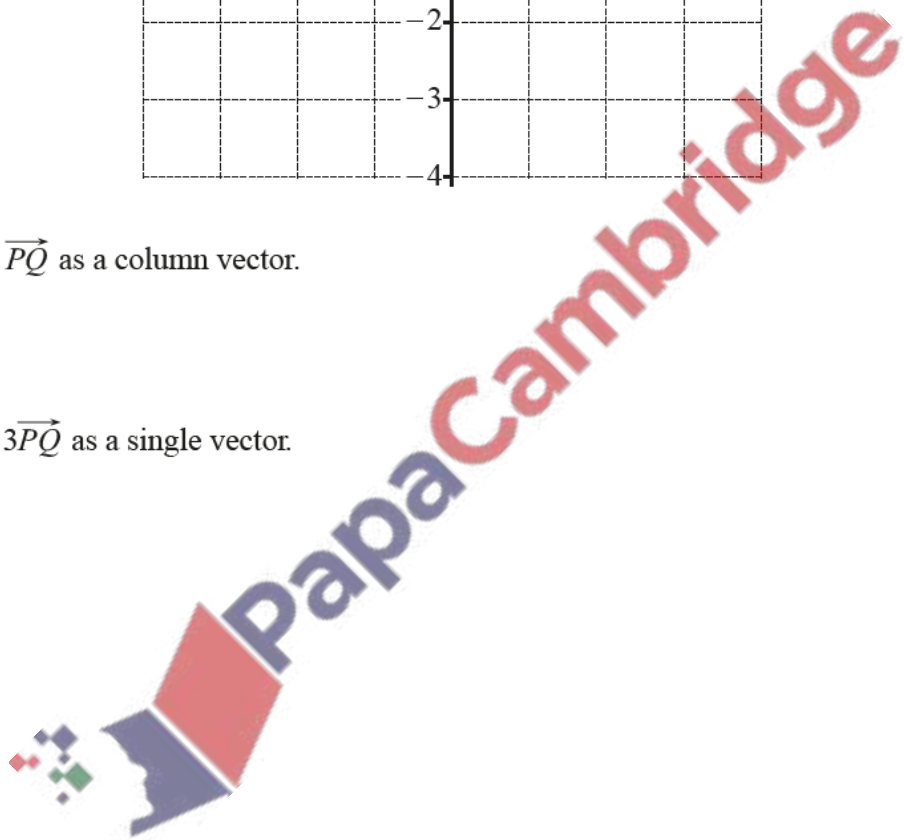


(a) Write \vec{PQ} as a column vector.

$$\begin{pmatrix} \\ \end{pmatrix} [1]$$

(b) Write $3\vec{PQ}$ as a single vector.

$$\begin{pmatrix} \\ \end{pmatrix} [1]$$



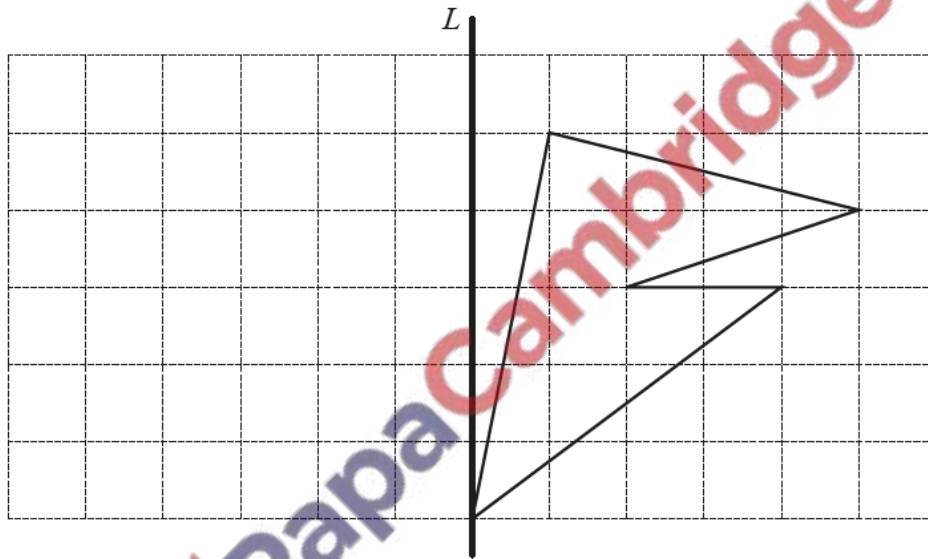
16. June/2020/Paper_13/No.7

(a) Write down the mathematical name of a quadrilateral that has

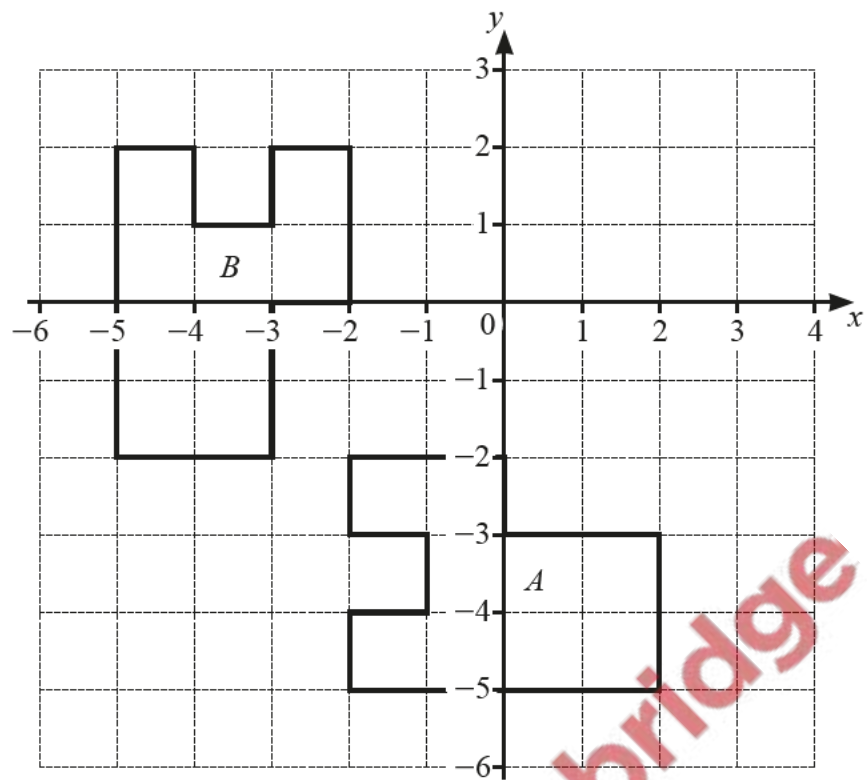
- rotational symmetry of order 1
- and
- only one line of symmetry.

..... [1]

(b) Reflect the shape in line L .



[2]

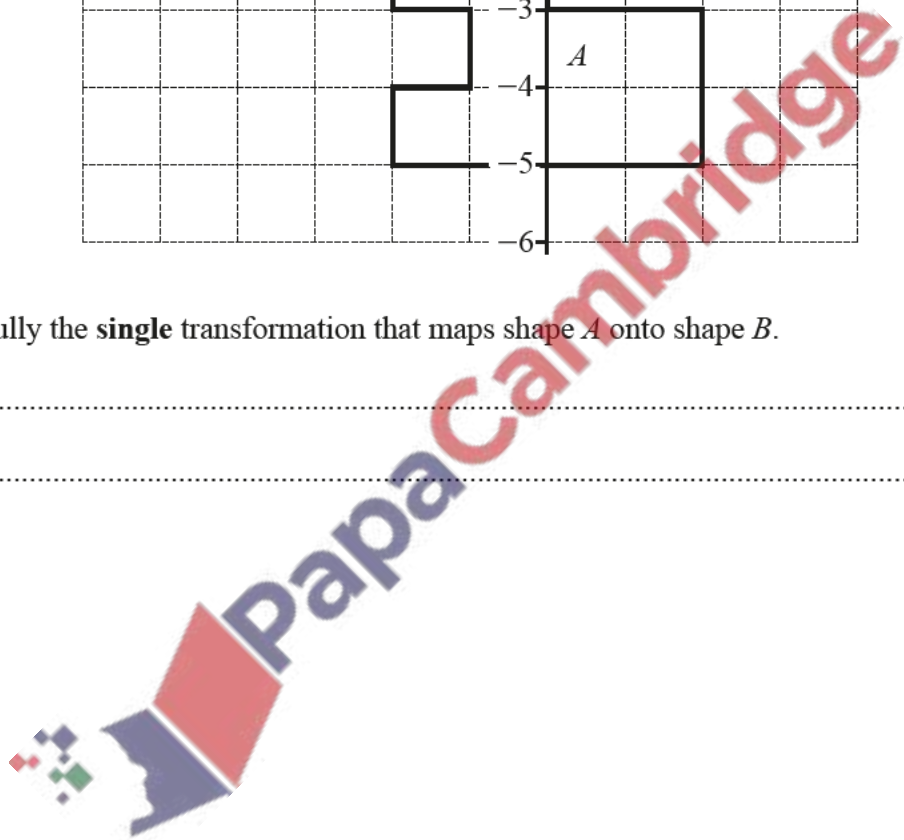


Describe fully the **single** transformation that maps shape *A* onto shape *B*.

.....

.....

[3]



(a) (i) $\mathbf{m} = \begin{pmatrix} 5 \\ 7 \end{pmatrix}$

Find $3\mathbf{m}$.

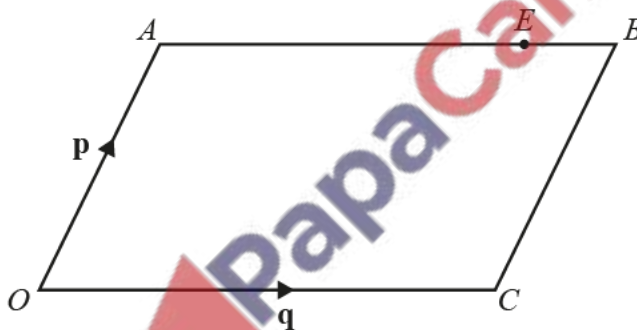
$\begin{pmatrix} \\ \end{pmatrix}$ [1]

(ii) $\overrightarrow{VW} = \begin{pmatrix} 10 \\ -24 \end{pmatrix}$

Find $|\overrightarrow{VW}|$.

..... [2]

(b)



NOT TO SCALE

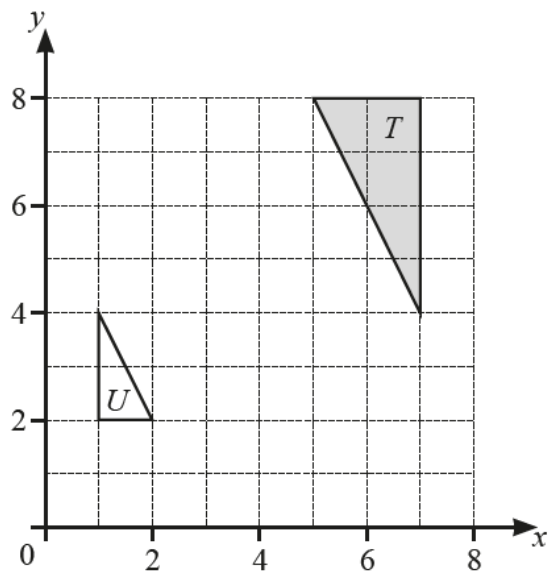
OABC is a parallelogram.

$\overrightarrow{OA} = \mathbf{p}$ and $\overrightarrow{OC} = \mathbf{q}$.

E is the point on *AB* such that $AE : EB = 3 : 1$.

Find \overrightarrow{OE} , in terms of \mathbf{p} and \mathbf{q} , in its simplest form.

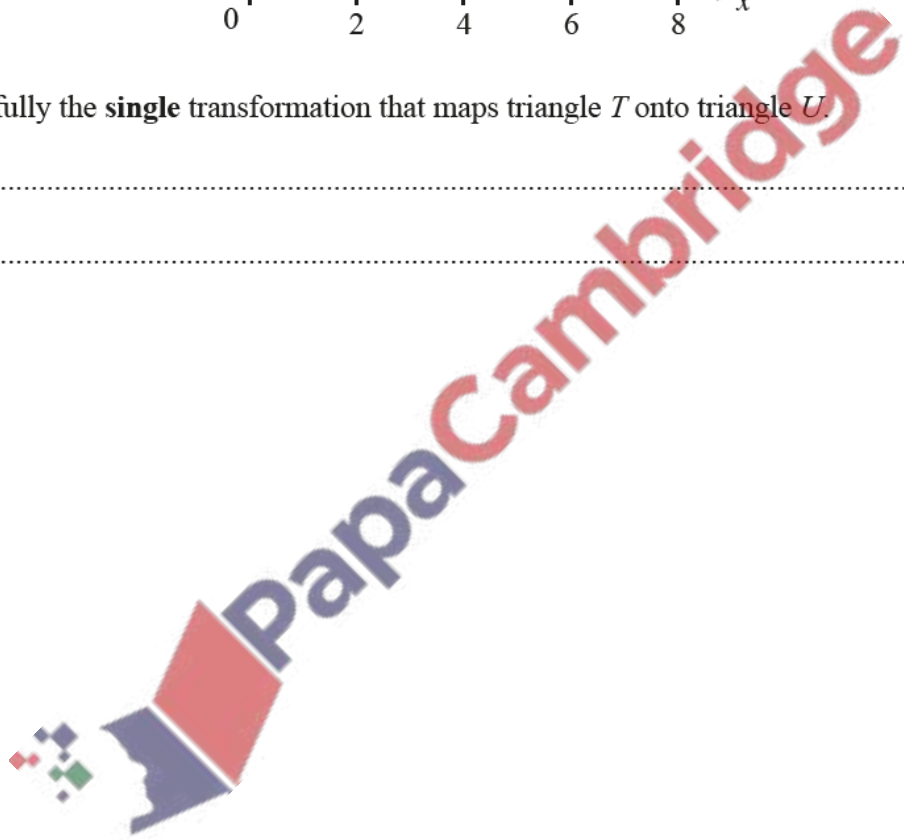
$\overrightarrow{OE} = \dots\dots\dots$ [2]

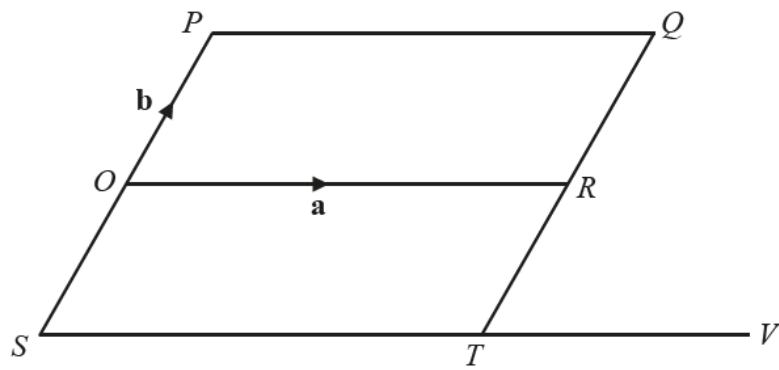


Describe fully the **single** transformation that maps triangle T onto triangle U .

.....

..... [3]





NOT TO SCALE

O is the origin and $OPQR$ is a parallelogram.
 SOP is a straight line with $SO = OP$.
 TRQ is a straight line with $TR = RQ$.
 STV is a straight line and $ST : TV = 2 : 1$.
 $\vec{OR} = \mathbf{a}$ and $\vec{OP} = \mathbf{b}$.

(a) Find, in terms of \mathbf{a} and \mathbf{b} , in its simplest form,

(i) the position vector of T ,

..... [2]

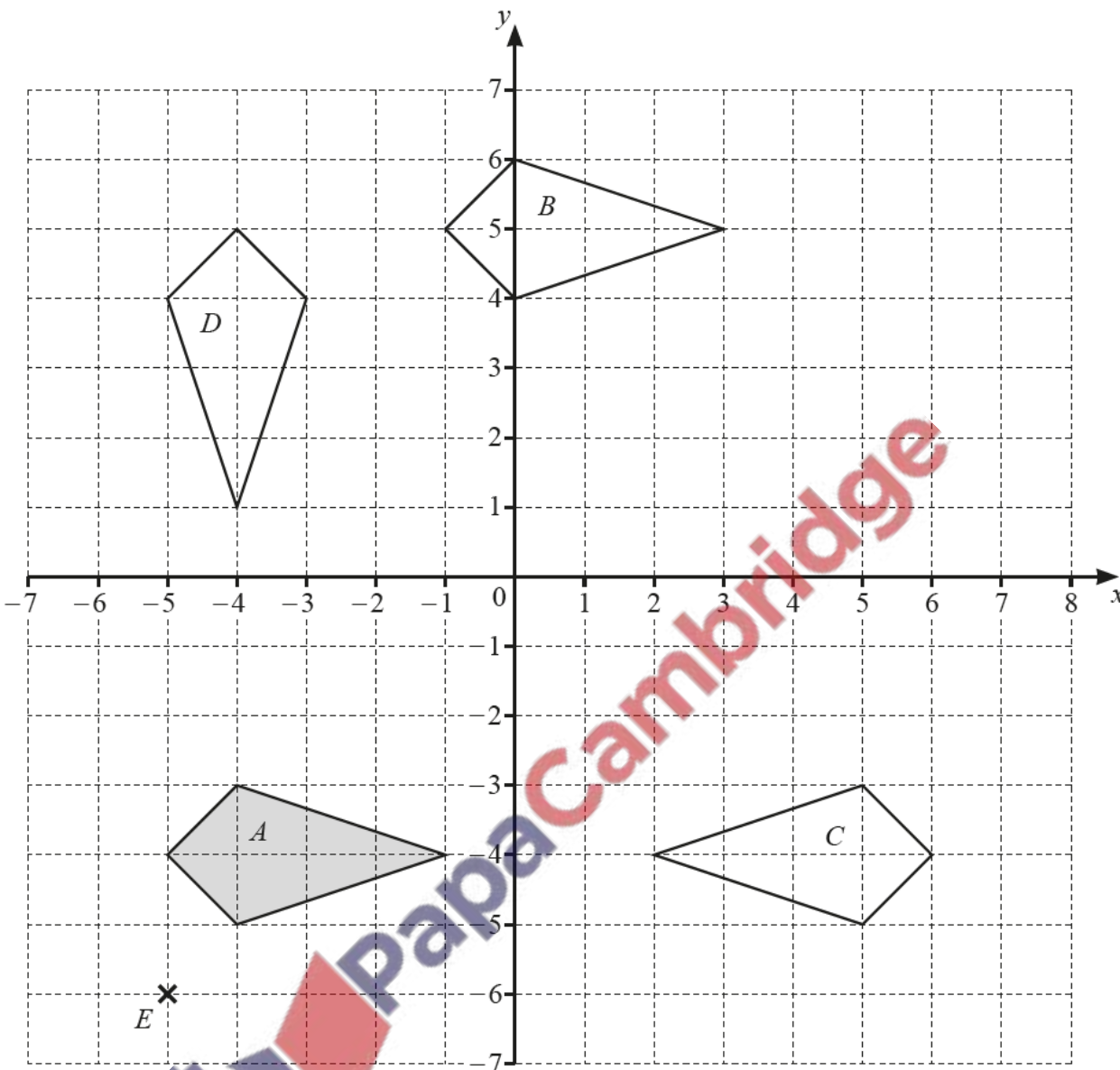
(ii) \vec{RV} .

$\vec{RV} =$ [1]

(b) Show that PT is parallel to RV .

[2]

The grid shows a point E and four quadrilaterals, A , B , C and D .



(a) Write down the mathematical name of shape A .

..... [1]

(b) Describe fully the **single** transformation that maps

(i) shape *A* onto shape *B*,

.....
..... [2]

(ii) shape *A* onto shape *C*,

.....
..... [2]

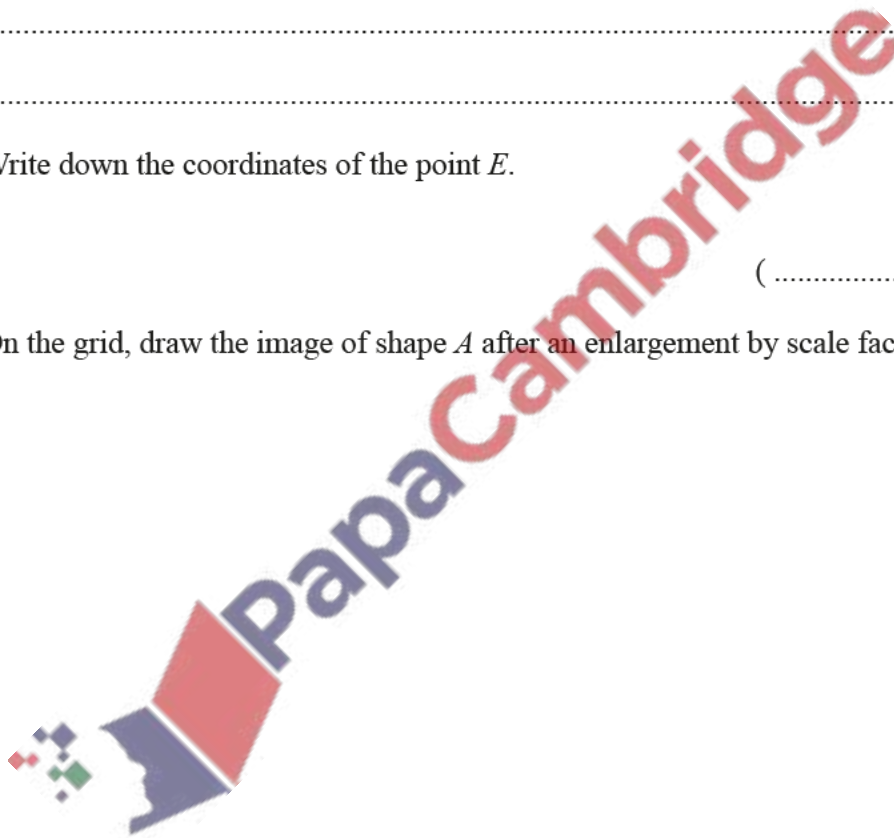
(iii) shape *A* onto shape *D*.

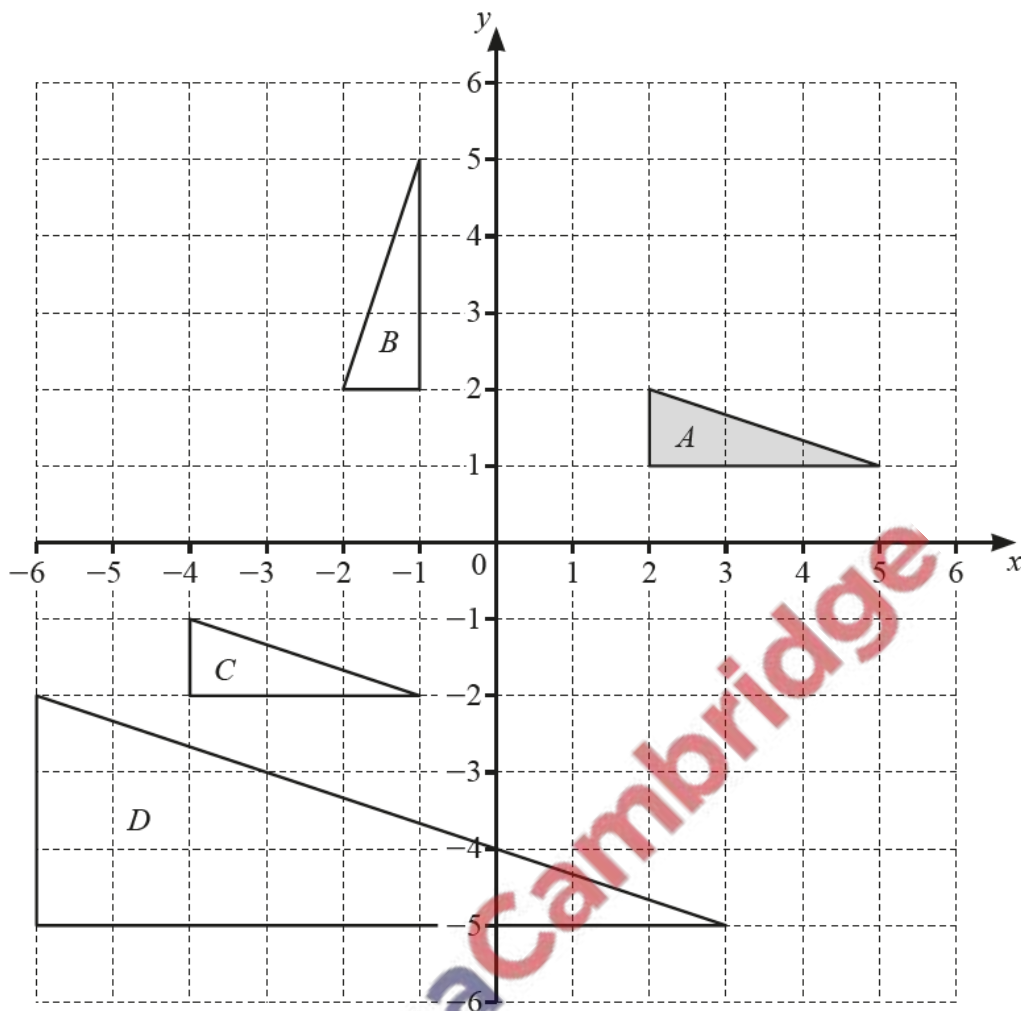
.....
..... [3]

(c) (i) Write down the coordinates of the point *E*.

(..... ,) [1]

(ii) On the grid, draw the image of shape *A* after an enlargement by scale factor 3, centre *E*. [2]





(a) Describe fully the **single** transformation that maps

(i) triangle *A* onto triangle *B*,

.....
 [3]

(ii) triangle *A* onto triangle *C*,

.....
 [2]

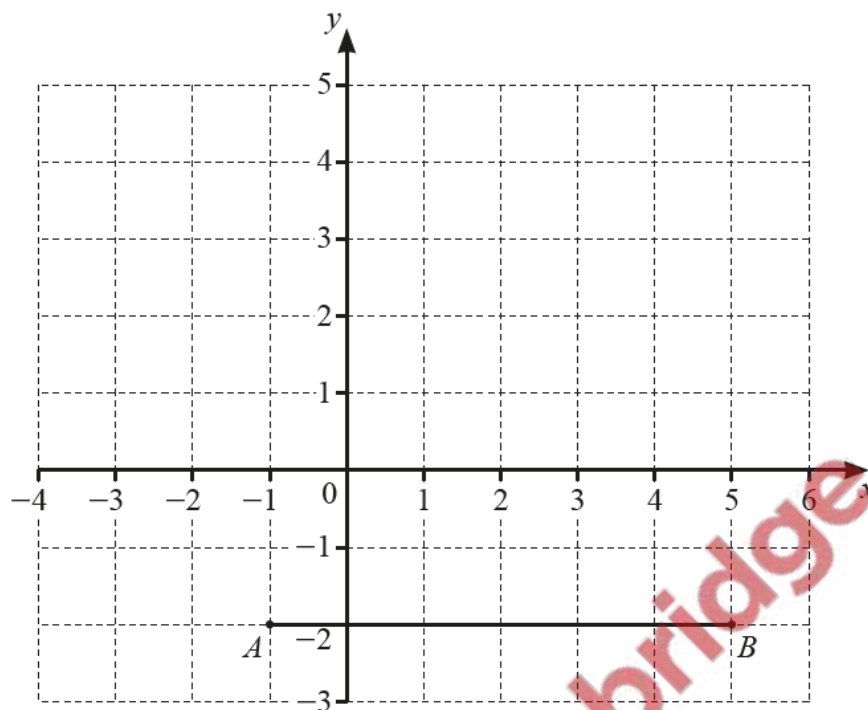
(iii) triangle *A* onto triangle *D*.

.....
 [3]

(b) On the grid, draw the image of triangle *A* after a reflection in the line $y = -1$.

[2]

The diagram shows a line AB on a 1 cm^2 grid.



(a) Write down the coordinates of point A .

(.....,) [1]

(b) Write down the vector \vec{AB} .

$\begin{pmatrix} \\ \end{pmatrix}$ [1]

(c) $\vec{BC} = \begin{pmatrix} -2 \\ 5 \end{pmatrix}$

Mark point C on the grid.

[1]

(d) (i) Work out $\vec{AB} + \vec{BC}$.

$\begin{pmatrix} \\ \end{pmatrix}$ [1]

(ii) Complete this statement.

$$\vec{AB} + \vec{BC} = \vec{}$$

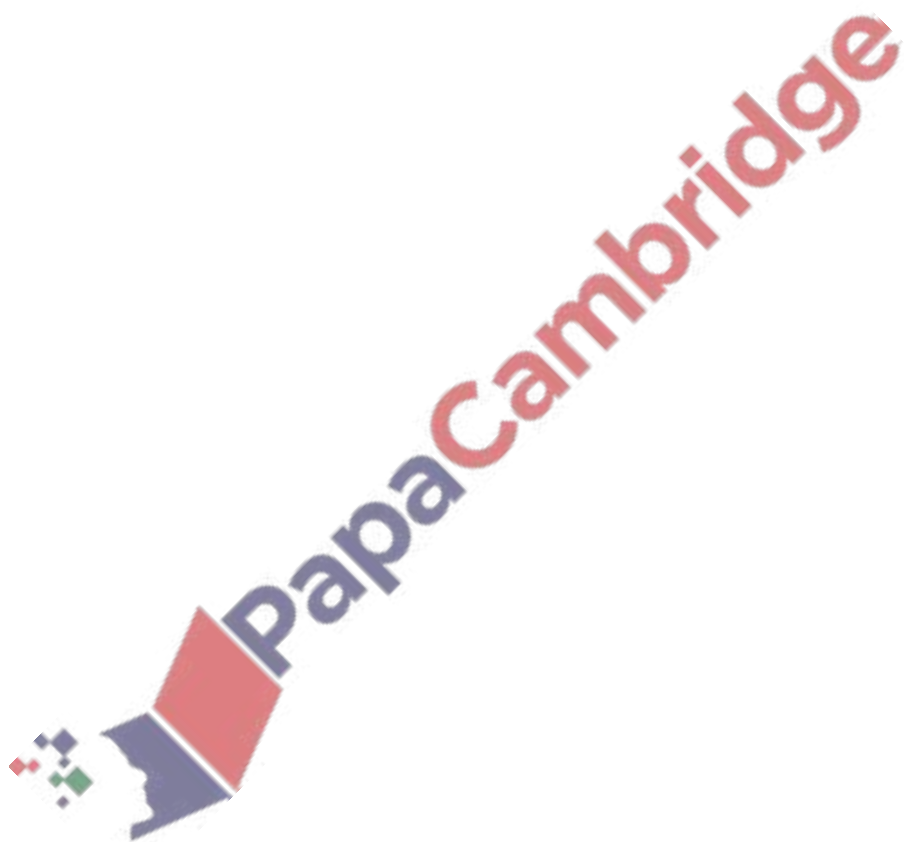
[1]

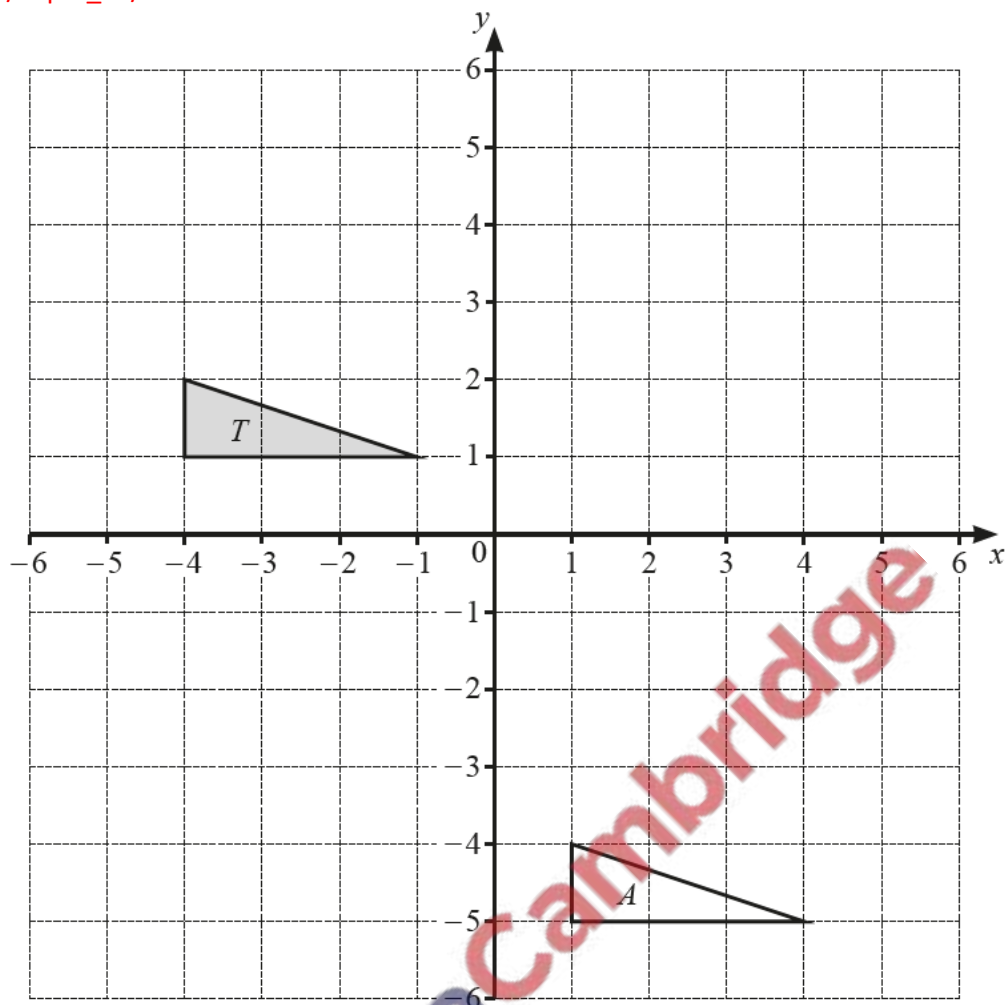
(e) A , B and C are three vertices of a parallelogram, $ABCD$.

(i) Mark point D on the diagram and draw the parallelogram $ABCD$. [1]

(ii) Work out the area of the parallelogram.
Give the units of your answer.

..... [2]





- (a) Draw the image of triangle T after a reflection in the line $y = -1$. [2]
- (b) Draw the image of triangle T after a rotation through 90° clockwise about $(0, 0)$. [2]
- (c) Describe fully the **single** transformation that maps triangle T onto triangle A .

.....

..... [2]

(a) $\mathbf{p} = \begin{pmatrix} 4 \\ 5 \end{pmatrix}$ $\mathbf{q} = \begin{pmatrix} -2 \\ 7 \end{pmatrix}$

(i) Find $2\mathbf{p} + \mathbf{q}$.

$\left(\quad \right)$ [2]

(ii) Find $|\mathbf{p}|$.

(b) A is the point $(4, 1)$ and $\overrightarrow{AB} = \begin{pmatrix} -3 \\ 1 \end{pmatrix}$.

Find the coordinates of B .

..... [2]

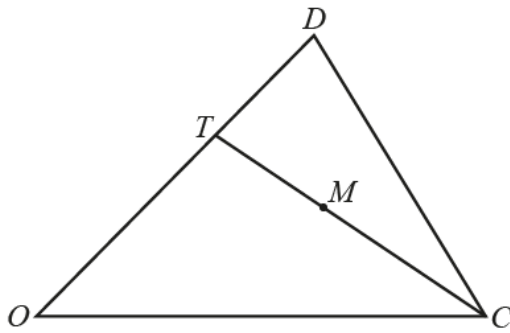
(..... ,) [1]

(c) The line $y = 3x - 2$ crosses the y -axis at G .

Write down the coordinates of G .

(..... ,) [1]

(d)



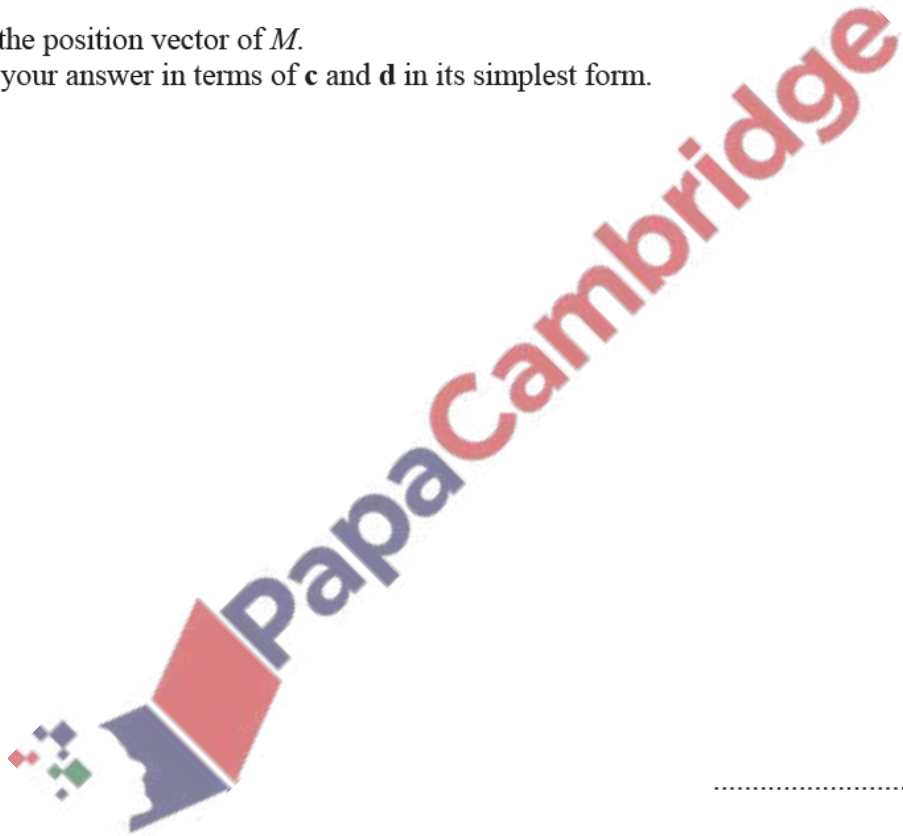
NOT TO
SCALE

In the diagram, O is the origin, $OT = 2TD$ and M is the midpoint of TC .

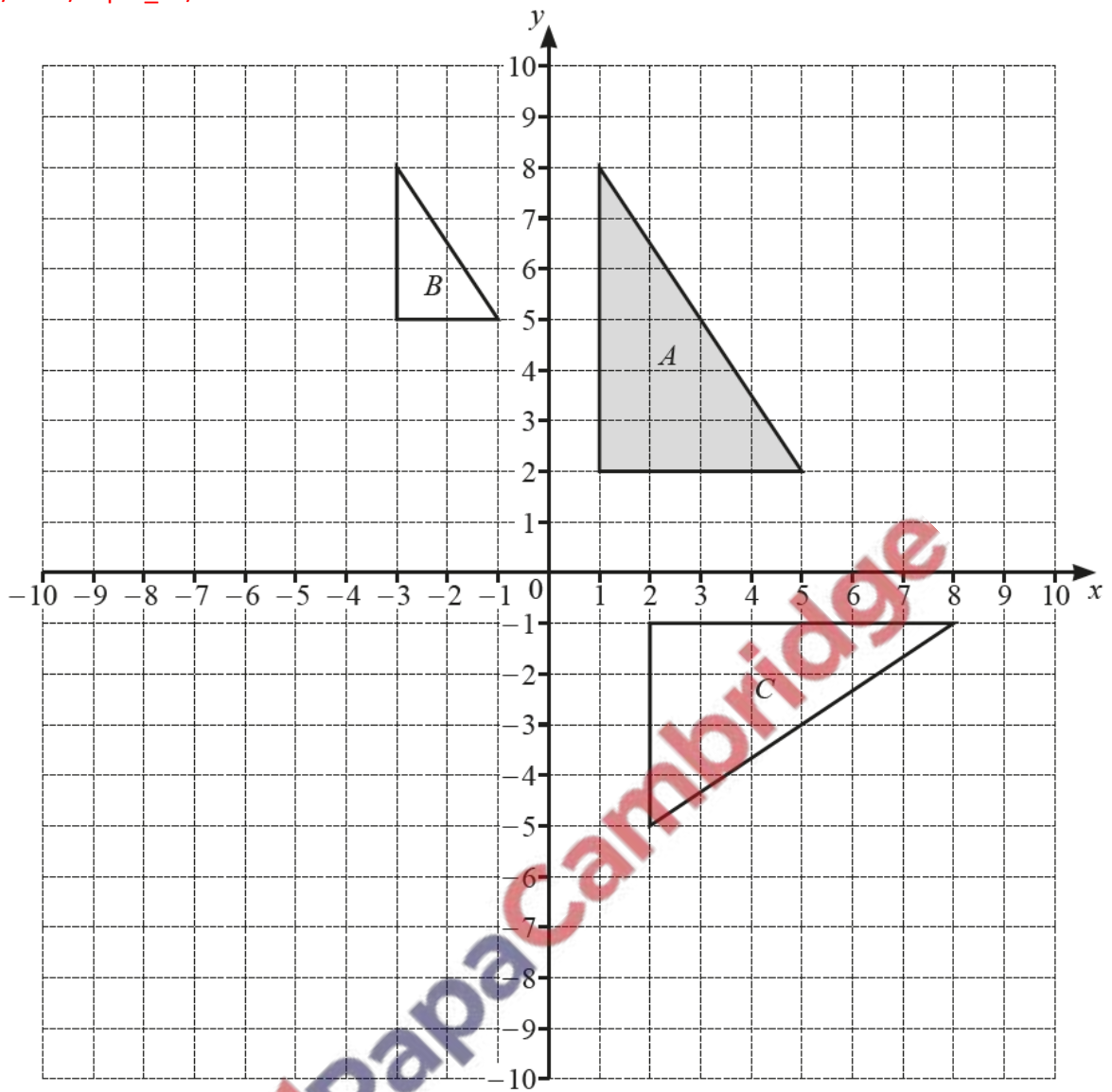
$\vec{OC} = \mathbf{c}$ and $\vec{OD} = \mathbf{d}$.

Find the position vector of M .

Give your answer in terms of \mathbf{c} and \mathbf{d} in its simplest form.



..... [3]



(a) (i) Draw the image of triangle A after a reflection in the line $y = -x$. [2]

(ii) Draw the image of triangle A after a translation by the vector $\begin{pmatrix} -2 \\ -9 \end{pmatrix}$. [2]

(b) Describe fully the **single** transformation that maps

(i) triangle A onto triangle B ,

.....
 [3]

(ii) triangle A onto triangle C .

.....
 [3]