MARK SCHEME
Maximum Mark: 96

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Mark schemes should be read in conjunction with the question paper and the Principal Examiner Report for Teachers.

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## MARK SCHEME NOTES

The following notes are intended to aid interpretation of mark schemes in general, but individual mark schemes may include marks awarded for specific reasons outside the scope of these notes.

## Types of mark

M Method marks, awarded for a valid method applied to the problem.
A Accuracy mark, awarded for a correct answer or intermediate step correctly obtained. For accuracy marks to be given, the associated Method mark must be earned or implied.

B Mark for a correct result or statement independent of Method marks.
When a part of a question has two or more 'method' steps, the M marks are in principle independent unless the scheme specifically says otherwise; and similarly where there are several B marks allocated. The notation 'dep' is used to indicate that a particular $M$ or $B$ mark is dependent on an earlier mark in the scheme.

## Abbreviations

awrt answers which round to
cao correct answer only
dep dependent
FT follow through after error
isw ignore subsequent working
nfww not from wrong working
oe or equivalent
rot rounded or truncated
SC Special Case
soi seen or implied

| Question | Answer | Marks | Partial Marks |
| :---: | :---: | :---: | :---: |
| 1(a) | 298 | 2 | M1 for diagram with 118 correctly marked together with the relative positions of Calais and Dover or $118+180$ or 62 seen. |
| 1(b)(i) | 29 ml with three correct consistent values worked out. | 3 | M2 for 3 correct consistent divisions soi <br> or M1 for one correct division |
| 1(b)(ii) | 30.22 or 30.21 | 4 | M1 for $\frac{1000}{1.358}$ or better <br> M1 for $1040 \times .679$ or better M1 for a correct, or correct ft, difference in a consistent currency e.g. their 736 -their 706 |
| 1(c)(i) | 204 | 2 | $\text { M1 for } \frac{340}{16-11}$ |
| 1(c)(ii) | 9:1 | 1 |  |
| 1(d)(i) | 47575 cao | 1 |  |
| 1(d)(ii) | $4.76 \times 10^{4}$ cao | 1 |  |
| 2(a)(i) |  | 3 | B2 for five numbers correct or for four numbers correct and a total of 60 <br> or $\mathbf{B 1}$ for three or four numbers correctly placed. |
| 2(a)(ii) | 44 | 1 | FT $23+4+$ their $(7+10)$ |
| 2(b)(i) | $A \cap B$ oe | 1 |  |
| 2(b)(ii) | $(A \cup B){ }^{\prime}$ oe | 1 |  |
| 3(a) | $12 x-2$ or $2(6 x-1)$ | 2 | M1 for $2(4 x-2)+2(2 x+1)$ oe or $8 x-4$ or $4 x+2$ <br> or $\mathbf{B 1}$ for $12 x+k$ or $k x-2$ |


| Question | Answer | Marks | Partial Marks |
| :---: | :---: | :---: | :---: |
| 3(b)(i) | $(4 x)^{2}=(4 x-2)^{2}+(2 x+1)^{2}$ oe | M1 |  |
|  | $16 x^{2}-8 x-8 x+4$ oe or $4 x^{2}+2 x+2 x+1$ oe | B1 |  |
|  | $16 x^{2}=16 x^{2}-16 x+4+4 x^{2}+4 x+1$ <br> leading to $4 x^{2}-12 x+5=0$ | A1 |  |
| 3(b)(ii) | Correct working leading to answer of 10 only. | 4 | M1 for $(2 x+a)(2 x+b)[=0]$ where $a b=5$ or $a+b=-6$ <br> or $(4 x+c)(x+d)[=0]$ where $c d=5$ or $c+4 d=-12$ <br> A1 for $(2 x-1)(2 x-5)[=0]$ <br> B1FT <br> for $x=$ their 0.5 and $x=$ their 2.5 dep on M1 <br> B1 for 10 only |
| 4(a)(i) | 5529.6[0] | 2 | M1 for [6000 $\times$ ] $(0.96)^{2}$ oe |
| 4(a)(ii) | $6000 \times(0.96)^{k}$ | 1 |  |
| 4(b) | $3000 \times(1.04)^{k}$ | 1 |  |
| 4(c)(i) | $3000 \times(1.04)^{n}=6000 \times(0.96)^{n}$ | M1 | FT their (a)(ii) provided of form $6000 a^{n} \quad 0<a<1$ <br> and their $(\mathrm{b})(\mathrm{i})$ provided of form $3000 b^{n} \quad b>1$ |
|  | $\begin{aligned} & \frac{1.04^{n}}{0.96^{n}}=\frac{6000}{3000} \\ & \text { leading to }\left(\frac{13}{12}\right)^{n}=2 \end{aligned}$ | A1 | A1 dep |


| Question | Answer | Marks | Partial Marks |
| :---: | :---: | :---: | :---: |
| 4(c)(ii) | 9 | 2 | M1 $\operatorname{for}\left(\frac{13}{12}\right)^{8}=1.89[7 \ldots]$ or $\left(\frac{13}{12}\right)^{9}=2.05[5 \ldots]$ or for at least 2 other trials correctly evaluated. <br> If zero scored $\mathbf{S C 1}$ for answer of 8 or '8 to 9 ' |
| 4(d) | Exponentially decreasing graph drawn from 6000 | 2 | M1 for exponentially decreasing graph from $y$-axis or for decreasing graph starting from 6000 |
| 5(a)(i) | Clear evidence with geometric reasons that $\angle B A E=\angle C D E, \angle A B E=\angle D C E$ and $\angle B E A=\angle C E D$ therefore 3 equal angles, hence similar. | 3 | M2 for two of: <br> $\angle B A E=\angle C D E$, angles in same segment are equal. <br> $\angle A B E=\angle D C E$ angles in same segment are equal $\angle B E A=\angle C E D$ vertically opposite <br> or M1for one of the above. or for 3 pairs of angles and no, or incorrect, reasons. <br> A1 for three of the above or two of the above and for clear statement that therefore that $3^{\text {rd }}$ pair is equal <br> and hence that $\triangle A B E$ and $\triangle D C E$ have 3 equal angles and are therefore similar. |
| 5(a)(ii) | 8 | 2 | M1 for $\frac{12}{7.2}$ oe or $\frac{4.8}{7.2}$ oe or $\frac{C E}{4.8}=\frac{12}{7.2}$ oe |
| 5(b) | 63 with at least 2 geometric reasons. | 4 | B1 for $\triangle E F G$ is isosceles triangle or equal tangents $E F=E G$ <br> B1 for $\angle F G E$ (or $\angle G F E$ ) $=56$ <br> B1 $\angle F H G=\angle E F G($ or $\angle E G F)$ alternate segment theorem <br> B1 for 63 |


| Question | Answer | Marks | Partial Marks |
| :---: | :---: | :---: | :---: |
| 6(a)(i) | 130 | 5 | B1 for at least 3 correct midpoints seen $25,35,50,70$ <br> B1 for $50 \times 61.2$ or 3060 seen <br> M1FT for $\begin{aligned} & 25 \times 5+35 \times 7+50 \times 16+70 \times 12+ \\ & ‘ x \prime \times 10=50 \times 61.2 \\ & \mathbf{A 1}{ }^{\prime} x^{\prime}=105 \end{aligned}$ |
| 6(a)(ii) | 3 correct bars drawn and frequency density axis correctly labelled | 4 | FT their $k$ <br> M1FT for at least 3 correct frequency densities soi $0.5,0.7,0.8,0.6$, their 0.2 <br> A1 for a correct bar drawn. <br> A1 for 3 bars correct. <br> B1 for vertical axis labelled 'frequency density' and correct scale plotted. |
| 6(b) | $\frac{5}{18} \mathrm{oe}$ | 6 | M1 for $\frac{4}{n}$ and $\frac{3}{n-1}$ or $\frac{4}{n}$ and $\frac{3}{n}$ seen M1FT dep for $\frac{4}{n} \times \frac{3}{n-1}$ or $\frac{4}{n} \times \frac{3}{n}$ A1 for $\frac{4}{n} \times \frac{3}{n-1}=\frac{1}{6}$ oe or $n(n-1)=72$ <br> A1 for $n=9$ <br> M1FT for $\frac{(\text { their } n)-4}{\text { their } n} \times \frac{(\text { their } n)-5}{(\text { their } n)-1}$, |
| 7(a) | $\sqrt{40}$ or $2 \sqrt{10}$ | 2 | M1 for $6^{2}+2^{2}$ |
| 7(b) | $x^{2}+y^{2}=40$ | 2 | FT their $\sqrt{40}$ <br> B1 for $x^{2}+y^{2}=k$, where $k>0$ |
| 7(c) | $\text { gradient } O P=\frac{2}{6} \text { oe }$ | M1 |  |
|  | perpendicular gradient $=-3$ | M1 | Dependent on first M1 |
|  | $2=-3 \times 6+c$ and $c=20$ | A1 |  |


| Question | Answer | Marks | Partial Marks |
| :---: | :---: | :---: | :---: |
| 7(d) | 141 or 140.9 to $141.0 \ldots$ | 6 | M1 for $\pi \times$ their $(\sqrt{40})^{2}$ <br> B1 for 20 and $\frac{20}{3}$ oe seen <br> M1 for $k \times 20 \times \frac{20}{3}$ where $k=0.5,1$ or 2 <br> A1 for $\frac{800}{3}$ <br> M1 for their $\frac{800}{3}$-their $40 \pi$ |
| 8(a)(i) | Enlargement <br> [Scale factor] -2 <br> Centre $O$ oe | 3 | B1 for each |
| 8(a)(ii) | $\left(\begin{array}{rr}-2 & 0 \\ 0 & -2\end{array}\right)$ | 2 | M1 for $\left(\begin{array}{rr}-k & 0 \\ 0 & -k\end{array}\right)$ or $\left(\begin{array}{ll}2 & 0 \\ 0 & 2\end{array}\right)$ |
| 8(b)(i) | Reflection <br> $y$-axis or $x=0$ | 2 | B1 for each |
| 8(b)(ii) | $\left(\begin{array}{ll}1 & 0 \\ 0 & 1\end{array}\right)$ | 1 |  |
| 8(b)(iii) | Two reflections in $y$-axis are equivalent to the identity transformation. oe | 1 |  |
| 9(a) | $3 x^{2}-12 x+9$ | 2 | M1 for one correct term |
| 9(b) | -3 | 2 | M1 for $x=2$ substituted into their $\frac{\mathrm{d} y}{\mathrm{~d} x}$ |
| 9(c)(i) | $(3,0),(1,4)$ | 4 | M1 for their $\left(3 x^{2}-12 x+9\right)=0$ <br> M1FTdep <br> for $[3](x+a)(x+b)[=0]$ <br> where $a b=3$ or $a+b=-4$ <br> or for $(3 x+c)(x+d)[=0]$ where $c d=9 \text { or } c+3 d=-12$ <br> or for correct use of quadratic formula, allow one error <br> A1 for $x=3$ and $x=1$ <br> A1 $(3,0)$ and $(1,4)$ |


| Question | Answer | Marks | Partial Marks |
| :---: | :--- | ---: | :--- |
| $9(\mathrm{c})$ (ii) | $(1,4)$ is a max correctly justified <br> and <br> $(3,0)$ is a min correctly justified | 3 <br> M1FT for $\frac{\mathrm{d}^{2} y}{\mathrm{~d} x^{2}}=6 x-12$ <br> A1 for $x=1, \frac{\mathrm{~d}^{2} y}{\mathrm{~d} x^{2}}=-6<0$ max <br> A1 for $x=3, \frac{\mathrm{~d}^{2} y}{\mathrm{~d} x^{2}}=6>0$ min |  |
| Alternative method <br> M1FT for considering $\frac{\mathrm{d} y}{\mathrm{~d} x}$ both sides <br> of $x=1$ or $x=3$ <br> A1 for $x=1$ is a max with valid points <br> tested correctly <br> A1 for $x=3$ is a min with valid points <br> tested correctly |  |  |  |

