

Cambridge IGCSE[™]

	CANDIDATE NAME			
	CENTRE NUMBER		CANDIDATE NUMBER	
*		INTERNATIONAL MATHEMATICS		0607/32
	CAMBRIDGE	INTERNATIONAL MATHEMATICS		0007/32
	Paper 3 (Core)		Oct	tober/November 2023
				1 hour 45 minutes
	You must answ	er on the question paper.		
	You will need:	Geometrical instruments		

You will need: Geometrical instruments

INSTRUCTIONS

- Answer all questions. •
- Use a black or dark blue pen. You may use an HB pencil for any diagrams or graphs. •
- Write your name, centre number and candidate number in the boxes at the top of the page. •
- Write your answer to each question in the space provided.
- Do not use an erasable pen or correction fluid. •
- Do not write on any bar codes.
- You should use a graphic display calculator where appropriate. •
- You may use tracing paper. •
- You must show all necessary working clearly and you will be given marks for correct methods, including sketches, even if your answer is incorrect.
- Give non-exact numerical answers correct to 3 significant figures, or 1 decimal place for angles in • degrees, unless a different level of accuracy is specified in the question.
- For π , use your calculator value. •

INFORMATION

- The total mark for this paper is 96.
- The number of marks for each question or part question is shown in brackets [].

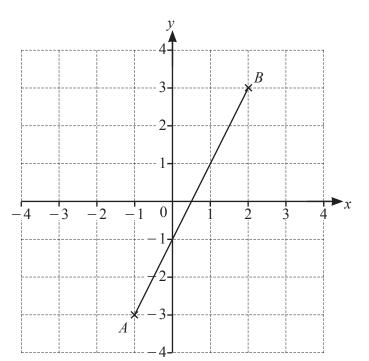
Formula List

Area, A , of triangle, base b , height h .	$A = \frac{1}{2}bh$
Area, A, of circle, radius r.	$A = \pi r^2$
Circumference, C, of circle, radius r.	$C = 2\pi r$
Curved surface area, A , of cylinder of radius r , height h .	$A=2\pi rh$
Curved surface area, A , of cone of radius r , sloping edge l .	$A = \pi r l$
Curved surface area, A , of sphere of radius r .	$A=4\pi r^2$
Volume, V , of prism, cross-sectional area A , length l .	V = Al
Volume, V , of pyramid, base area A , height h .	$V = \frac{1}{3}Ah$
Volume, V , of cylinder of radius r , height h .	$V = \pi r^2 h$
Volume, V , of cone of radius r , height h .	$V = \frac{1}{3}\pi r^2 h$
Volume, V , of sphere of radius r .	$V = \frac{4}{3}\pi r^3$

© UCLES 2023

Answer all the questions.

1 The line *AB* is drawn on a 1 cm square grid.



(a) Write down the coordinates of point *A* and point *B*.

	A	1 = ()
	Е	B = () [2]
(b)	Write down the coordinates of the mid-point of <i>AB</i> .	
		() [1]
(c)	On the grid, plot point C at $(2, -2)$.	[1]
(d)	On the grid, draw a straight line through C , parallel to AB .	. [1]
(e)	On the grid, draw a straight line through <i>B</i> , perpendicular	to <i>AB</i> . [1]

2	(a) (i)	Write 17852 in words.
		[1]
	(ii)	Write 17852 correct to the nearest 100.
	(iii)	
	(b) (i)	Write down a multiple of 10.
	(ii)	
	(iii)	Write down a prime number between 10 and 20.
	(c) Fi	nd the value of [1]
	(i)	6^2
	(;;)	
	(ii)	4.
	(d) (i)	Find the value of <i>n</i> when $\frac{3}{10} = \frac{n}{30}$.
		n = [1]
	(ii)	
		$\frac{2}{5}$ $\frac{1}{3}$ $\frac{11}{30}$ $\frac{3}{10}$

- (e) Work out the following, giving your answers as fractions.
- (i) $\frac{2}{5} \frac{1}{3}$ (ii) $1\frac{1}{2} \times \frac{11}{30}$ (a) Simplify. 3x + 5y + 7 - 2x + 4y - 9......[3] (b) Factorise completely. $6x + 15x^2$ (c) Solve. 4(x+7) = 20(d) (i) Solve the inequality 3x-2 < 4. (ii) Write down the largest possible integer value of x for 3x-2 < 4.

3

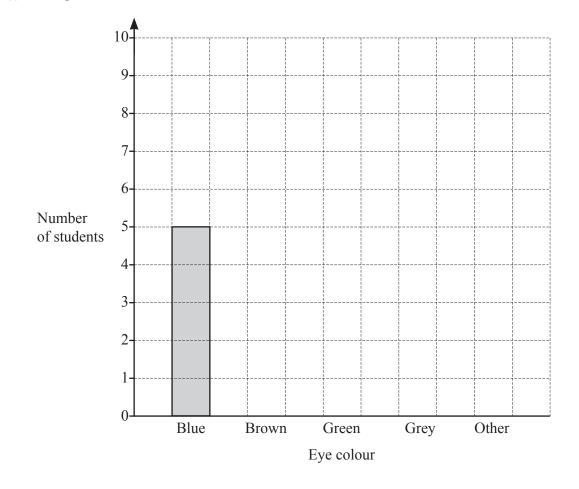
[Turn over

4 Inaya surveys the eye colour of everyone in her class. The table shows her results.

Eye colour	Blue	Brown	Green	Grey	Other 2	
Number of students	5	8	10	7		
(a) Find how many st	tudents are in th	e survey.				
						[
(b) What is the most	common eye co	lour?				
						[
(c) One of the studen	ts is chosen at r	andom.				
Find the probabili	ity that this stud	ent has grey ey	es.			
						[
(d) One of the studen	ts is chosen at r	andom.				
Find the probabili	ity that this stud	ent has blue ey	es or brown eye	es.		
						[
(e) There are 256 stu	dents in the sch	ool.				

Work out an estimate of how many of these students have green eyes.

.....[2]



(f) Complete the bar chart to show the information in the table.

[2]

5 This is a sign at a golf club.

AAA GOLF CLUB

One round of golf: \$24 each player

Golf balls: \$2.25 each

(a) 4 friends go to the golf club to play one round of golf. They each buy 3 golf balls.

Work out the total that they pay.

\$[3]

(b) Ali and Ben are senior golf players. The golf club offers each senior player a 12% discount. Ali pays for them both to play one round of golf.

Work out how much he pays.

\$[3]

(c) There are 288 members of AAA Golf Club. The members are in the ratio male : female = 5 : 4.

Work out how many males and how many females are members of AAA Golf Club.

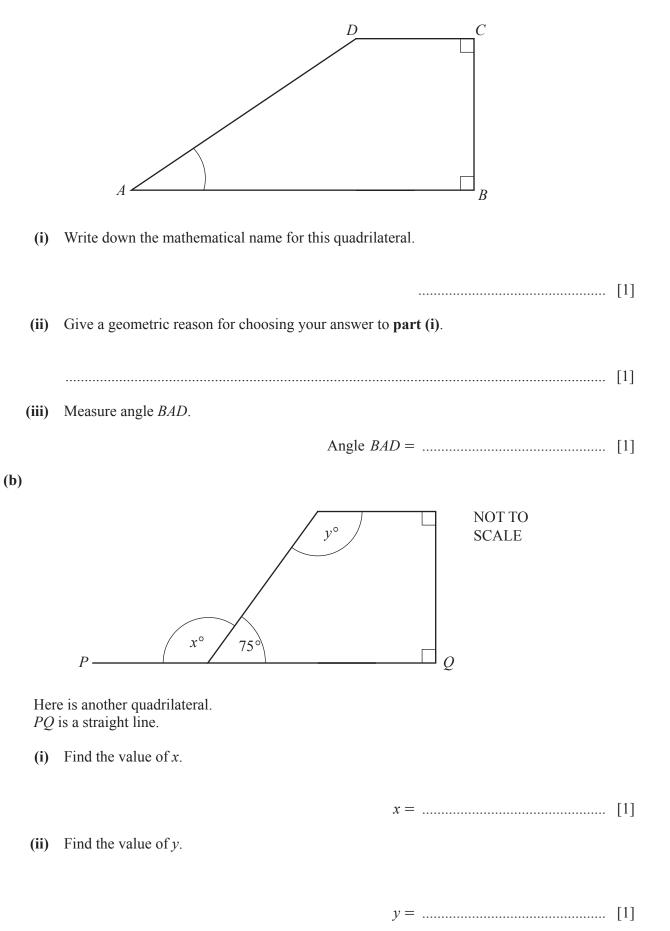
male

	4			· 10	,					
(d) Th	ese are the	scores	Lennie h	as in 10	rounds	of golf.				
	91	76	102	73	82	89	88	71	92	86
(i)	Find the	mean								
(1)	i ind the	incun.								
										[1]
(ii)	Find the	median								
										[1]
(iii)	Draw a s	stem-and	l-leaf dia	agram fo	or the te	n scores	5.			
							Key :		1	means [3]
(iv)	Find the	range o	f the ten	scores						
()		8								
										[1]
(v)	Lennie p After thi									
	Work ou	t the pos	ssible sc	ores for	that las	t round	of golf.	•		

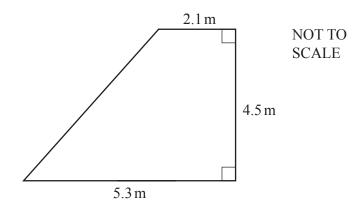
9

[Turn over

6 (a) The diagram shows a quadrilateral *ABCD*.



(c) Here is a different quadrilateral.

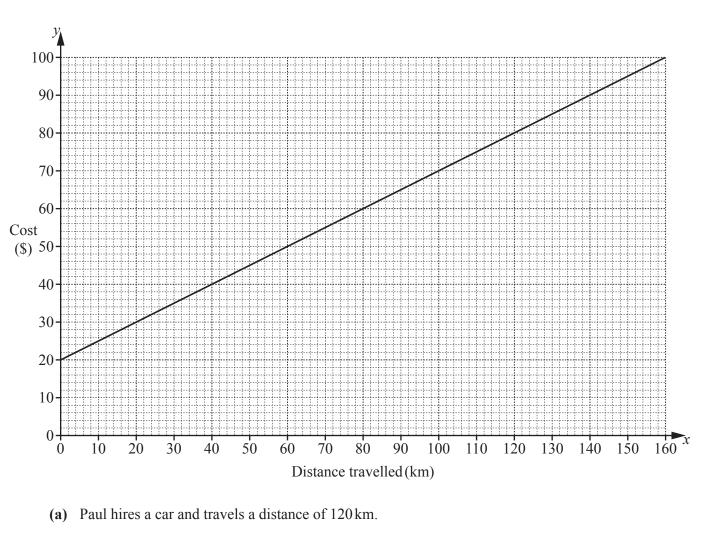


(i) Find the area of this quadrilateral.

...... m² [3]

(ii) Find the perimeter of this quadrilateral.

..... m [4]



Find how much this costs him.

The graph shows the cost of hiring a car.

The cost, y, depends on the distance, *x* km, travelled in the car.

(b) Bushra hires a car. It costs her \$50.

Find the distance she travels.

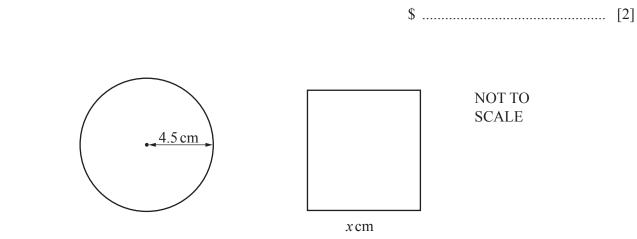
..... km [1]

(c) Find the equation of the line drawn on the grid. Give your answer in the form y = mx + c.

.....[3]

(d) Carmen hires a car and travels a distance of 350 km.

Using your answer to part (c), work out how much this costs her.



The area of the circle is equal to the area of the square. The length of one side of the square is x cm.

Find the value of *x*.

8

9 (a) Simplify.

(i) $x^6 \times x^3$

(ii)
$$\frac{10x^7}{5x^2}$$

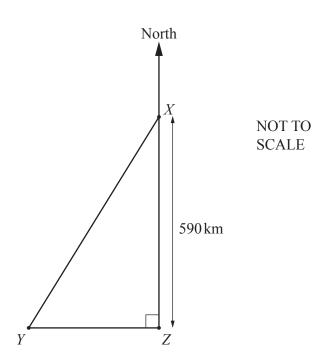
(b) Expand and simplify.

$$(x+9)(x-4)$$

.....[2]

(c) Rearrange
$$P = \frac{K+B}{2}$$
 to make K the subject.





X, Y and Z are three towns. Z is 590 km due South of X. Y is due West of Z. The bearing of Y from X is 220° .

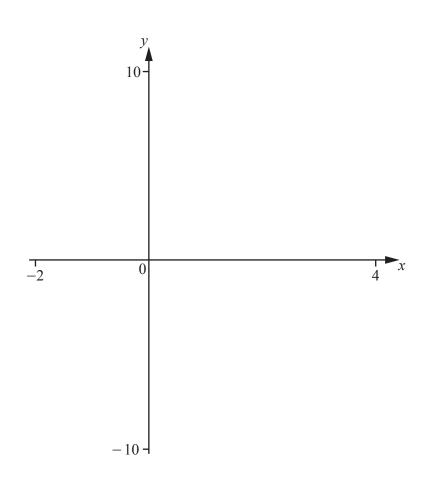
(a) Use trigonometry to calculate the distance *XY*.

..... km [4]

(b) Work out the bearing of *X* from *Y*.

......[1]

Question 11 is printed on the next page.



(a) (i) On the diagram, sketch the graph of $y = x^2 - x - 4$ for $-2 \le x \le 4$. [2]

- (ii) Find the coordinates of the local minimum.
- (.....) [2]
- (b) On the diagram, sketch the graph of $y = -x^2 + 3x + 2$ for $-2 \le x \le 4$. [2]
- (c) Find the x-coordinate of each point of intersection of $y = x^2 x 4$ and $y = -x^2 + 3x + 2$.

 $x = \dots$ and $x = \dots$ [2]

Permission to reproduce items where third-party owned material protected by copyright is included has been sought and cleared where possible. Every reasonable effort has been made by the publisher (UCLES) to trace copyright holders, but if any items requiring clearance have unwittingly been included, the publisher will be pleased to make amends at the earliest possible opportunity.

To avoid the issue of disclosure of answer-related information to candidates, all copyright acknowledgements are reproduced online in the Cambridge Assessment International Education Copyright Acknowledgements Booklet. This is produced for each series of examinations and is freely available to download at www.cambridgeinternational.org after the live examination series.

Cambridge Assessment International Education is part of Cambridge Assessment. Cambridge Assessment is the brand name of the University of Cambridge Local Examinations Syndicate (UCLES), which is a department of the University of Cambridge.