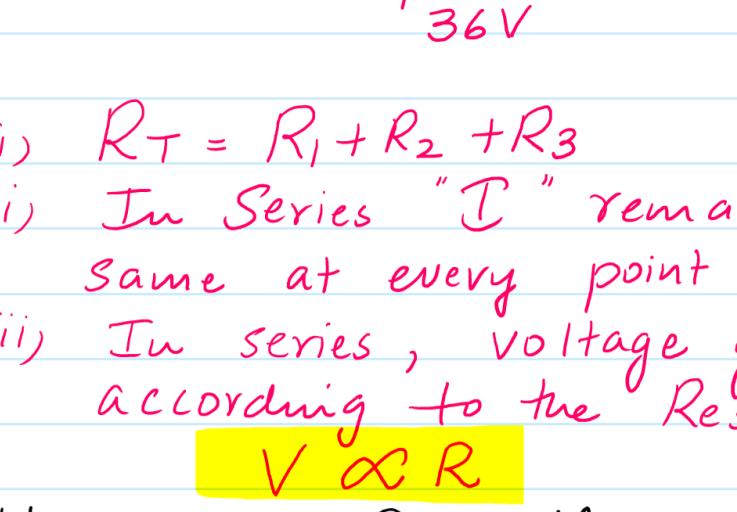


Resistors in Series.



- $R_T = R_1 + R_2 + R_3$
- In Series "I" remains the same at every point
- In series, voltage gets divided according to the Resistor

$$V \propto R$$

We can use RATIO METHOD to calculate Voltage in Series

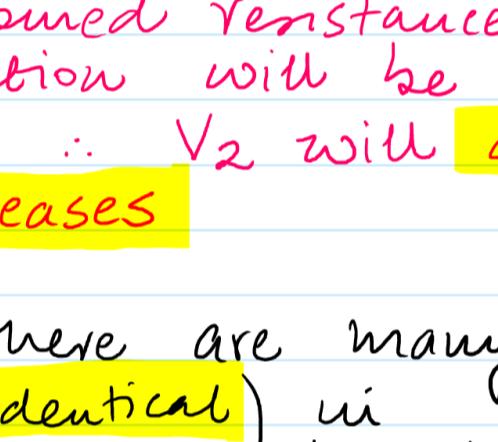
$$R_1 \rightarrow \frac{4}{4+6+8} \times 36 = 8V$$

$$R_2 \rightarrow \frac{6}{4+6+8} \times 36 = 12V$$

$$R_3 \rightarrow \frac{8}{4+6+8} \times 36 = 16V$$

- If resistance of any one resistor increases, its corresponding voltage will also increase & the voltage across other resistors will decrease

Resistors in Parallel



- $\frac{1}{R_T} = \frac{1}{R_1} + \frac{1}{R_2}$

* If only 2 resistors than total Resistance can also be obtained using

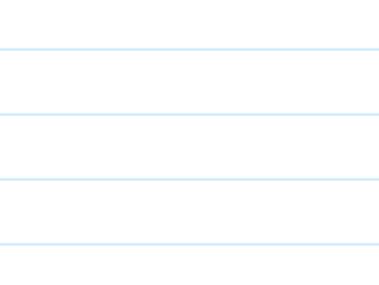
$$R_T = 2\Omega .$$

$$R_T = \frac{\text{Product}}{\text{Sum}}$$

$$R_T = \frac{6 \times 3}{6+3} = \frac{18}{9}$$

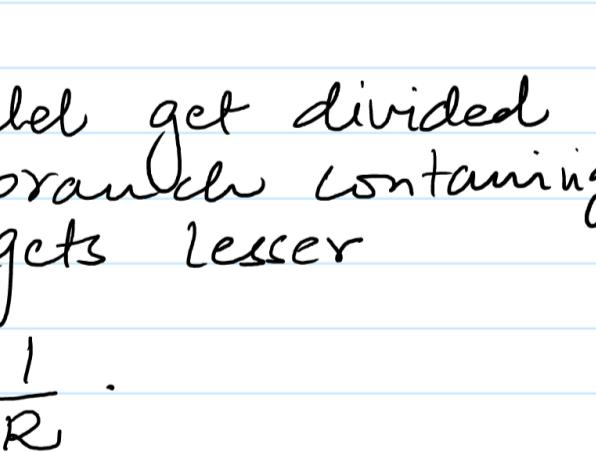
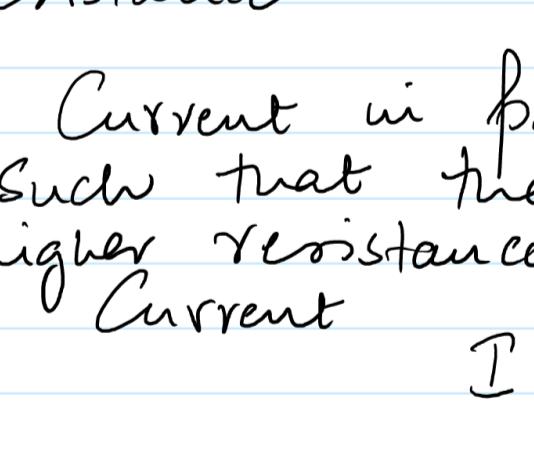
$$R_T = 2\Omega$$

- If you keep adding more Resistors in parallel, the combined Resistance keeps decreasing eg



$$\frac{1}{R_T} = \frac{1}{6} + \frac{1}{3} + \frac{1}{2}$$

$$\therefore R_T = 1\Omega$$



- Suggest what happens to V_1 & V_2 if an extra resistor Z is added to the combination

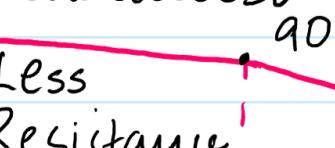
The combined resistance of parallel combination will be LESS than Y alone $\therefore V_2$ will decrease & V_1 increases

- If there are many resistors (all identical) in a parallel combination, the total resistance can be worked out as follows

$$R_T = \frac{R}{N}$$

R = resistance of any one Resistor

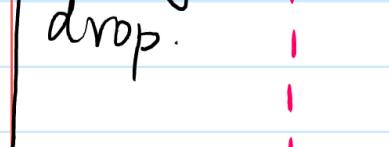
N = Total # of Resistors



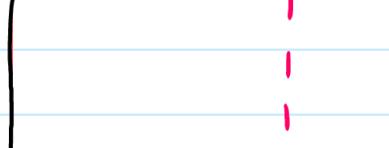
$$R_T = \frac{20}{4} = 5\Omega$$



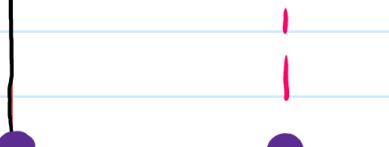
$$R_T = \frac{20}{4} = 5\Omega$$



$$R_T = \frac{20}{4} = 5\Omega$$



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