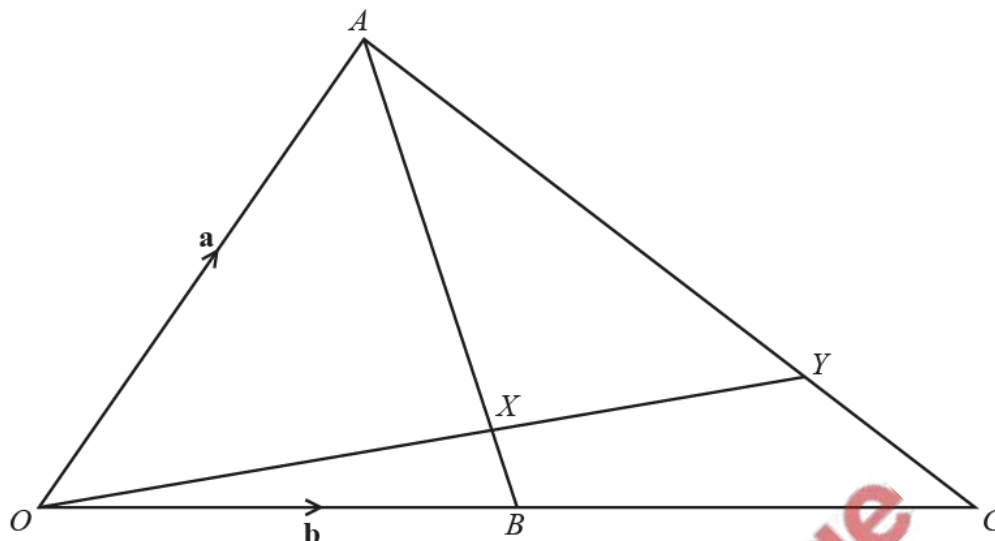
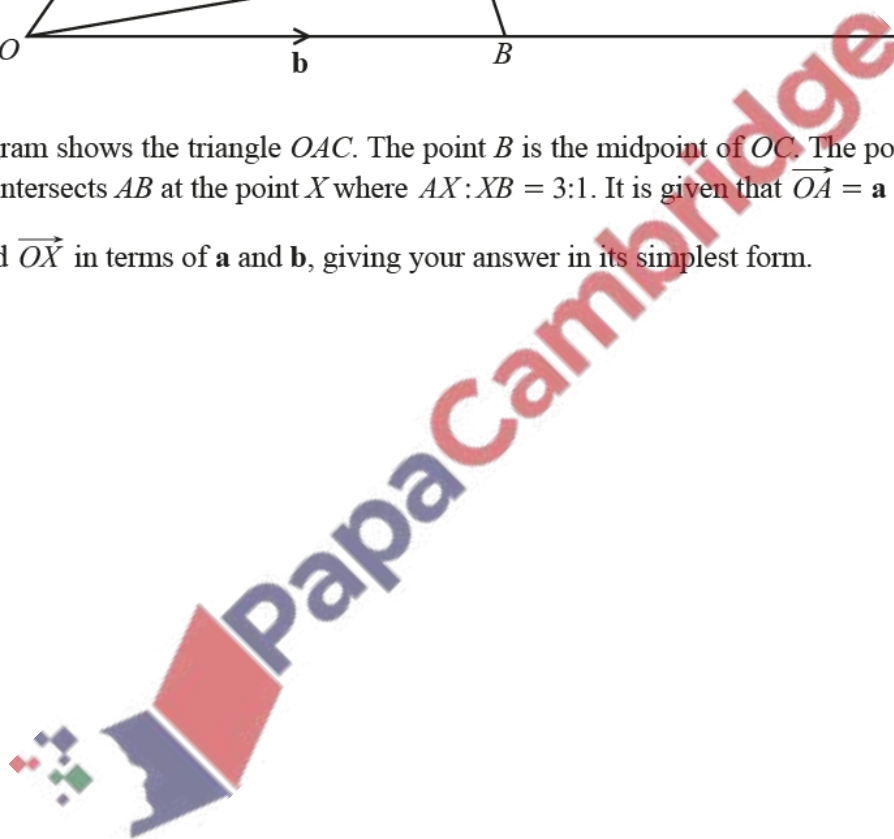


1. Nov/2020/Paper_13/No.9



The diagram shows the triangle OAC . The point B is the midpoint of OC . The point Y lies on AC such that OY intersects AB at the point X where $AX:XB = 3:1$. It is given that $\vec{OA} = \mathbf{a}$ and $\vec{OB} = \mathbf{b}$.

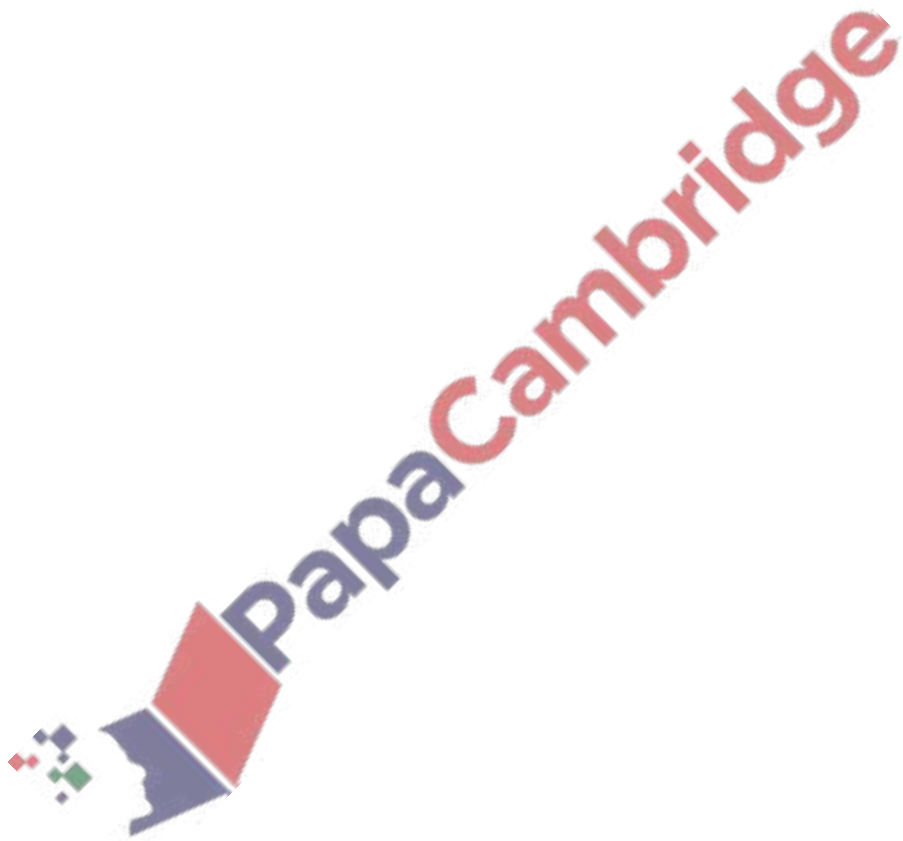
(a) Find \vec{OX} in terms of \mathbf{a} and \mathbf{b} , giving your answer in its simplest form. [3]

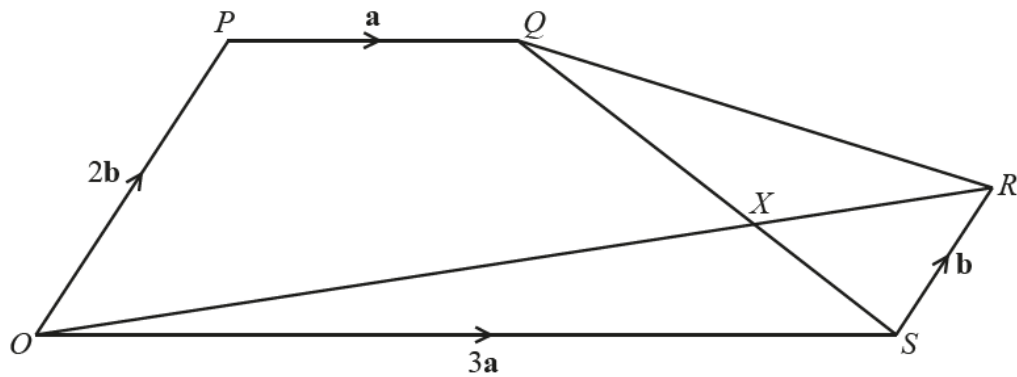


(b) Find \vec{AC} in terms of \mathbf{a} and \mathbf{b} . [1]

(c) Given that $\vec{OY} = h\vec{OX}$, find \vec{AY} in terms of \mathbf{a} , \mathbf{b} and h . [1]

(d) Given that $\vec{AY} = m\vec{AC}$, find the value of h and of m . [4]





In the diagram $\vec{OP} = 2\mathbf{b}$, $\vec{OS} = 3\mathbf{a}$, $\vec{SR} = \mathbf{b}$ and $\vec{PQ} = \mathbf{a}$. The lines OR and QS intersect at X .

(a) Find \vec{OQ} in terms of \mathbf{a} and \mathbf{b} . [1]

(b) Find \vec{QS} in terms of \mathbf{a} and \mathbf{b} . [1]

(c) Given that $\vec{QX} = \mu\vec{QS}$, find \vec{OX} in terms of \mathbf{a} , \mathbf{b} and μ . [1]

(d) Given that $\vec{OX} = \lambda\vec{OR}$, find \vec{OX} in terms of \mathbf{a} , \mathbf{b} and λ . [1]

(e) Find the value of λ and of μ .

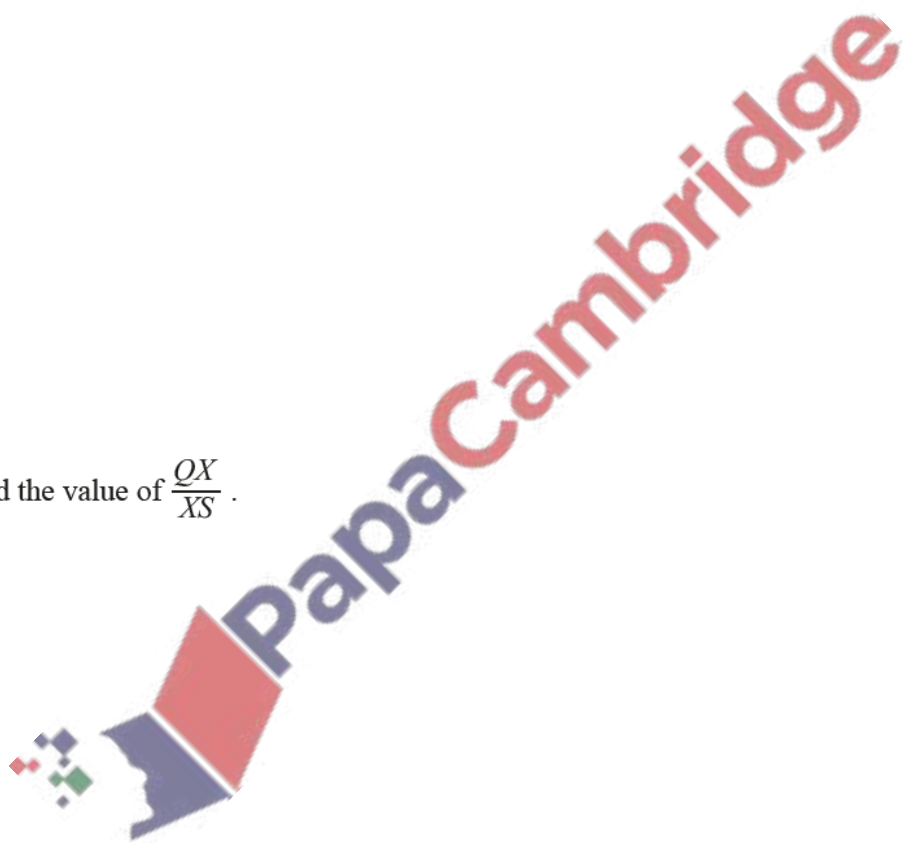
[3]

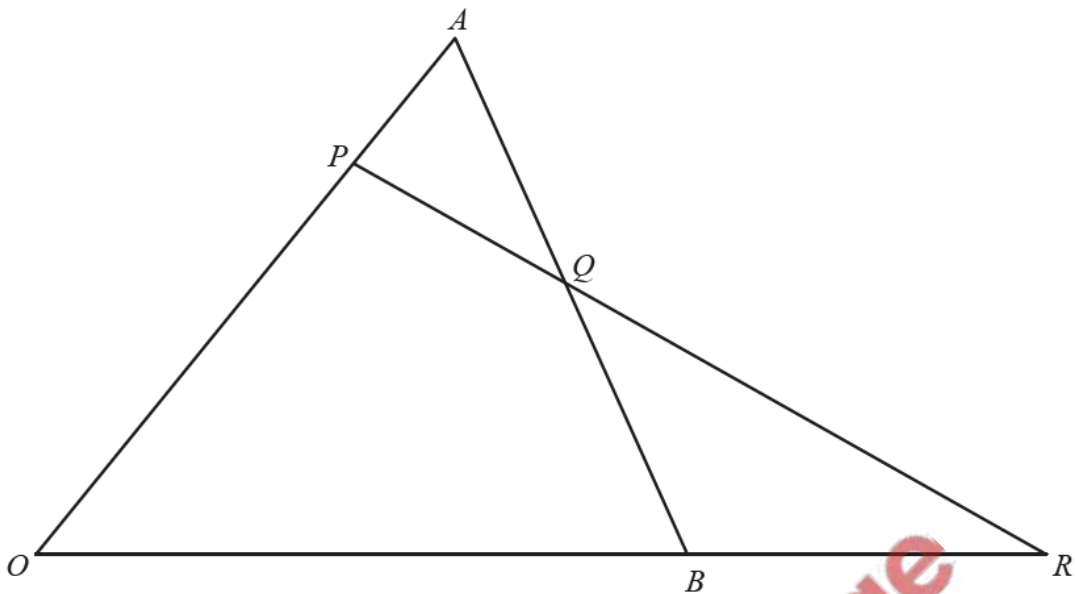
(f) Find the value of $\frac{OX}{XS}$.

[1]

(g) Find the value of $\frac{OR}{OX}$.

[1]





The diagram shows a triangle OAB such that $\vec{OA} = \mathbf{a}$ and $\vec{OB} = \mathbf{b}$. The point P lies on OA such that $OP = \frac{3}{4}OA$. The point Q is the mid-point of AB . The lines OB and PQ are extended to meet at the point R . Find, in terms of \mathbf{a} and \mathbf{b} ,

(a) \vec{AB} , [1]

(b) \vec{PQ} . Give your answer in its simplest form. [3]

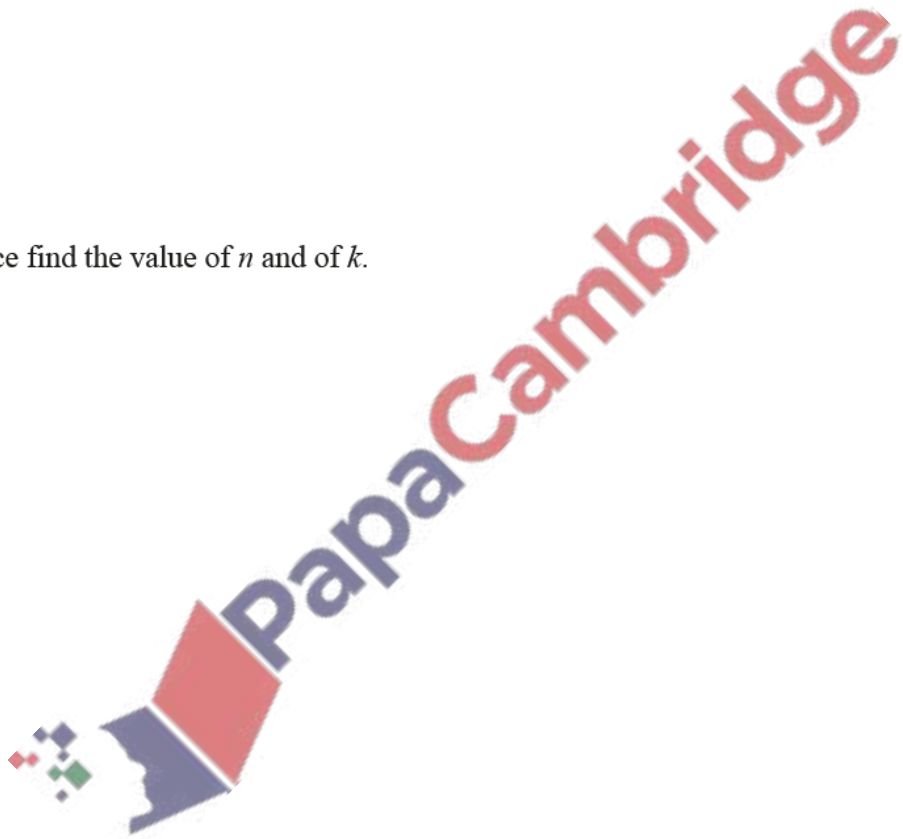


It is given that $n\vec{PQ} = \vec{QR}$ and $\vec{BR} = k\mathbf{b}$, where n and k are positive constants.

(c) Find \vec{QR} in terms of n , \mathbf{a} and \mathbf{b} . [1]

(d) Find \vec{QR} in terms of k , \mathbf{a} and \mathbf{b} . [2]

(e) Hence find the value of n and of k . [3]



4. June/2020/Paper_21/No.5

The vectors \mathbf{a} and \mathbf{b} are such that $\mathbf{a} = \alpha\mathbf{i} + \mathbf{j}$ and $\mathbf{b} = 12\mathbf{i} + \beta\mathbf{j}$.

(a) Find the value of each of the constants α and β such that $4\mathbf{a} - \mathbf{b} = (\alpha + 3)\mathbf{i} - 2\mathbf{j}$. [3]

(b) Hence find the unit vector in the direction of $\mathbf{b} - 4\mathbf{a}$. [2]

