

Vectors in two dimensions – 2020 O Level Math D

1. Nov/2020/Paper_21/No.9

(a) H is the point $(5, 2)$ and J is the point $(-3, 6)$.

(i) Find \vec{HJ} .

$$\vec{HJ} = \begin{pmatrix} \quad \\ \quad \end{pmatrix} \quad [1]$$

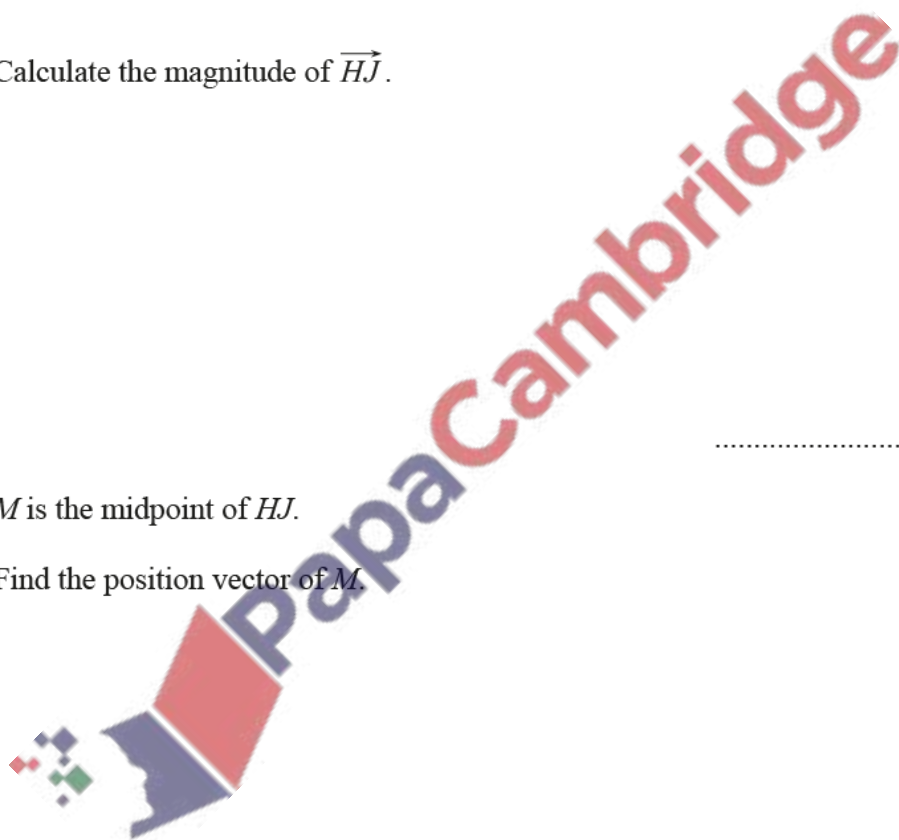
(ii) Calculate the magnitude of \vec{HJ} .

..... [2]

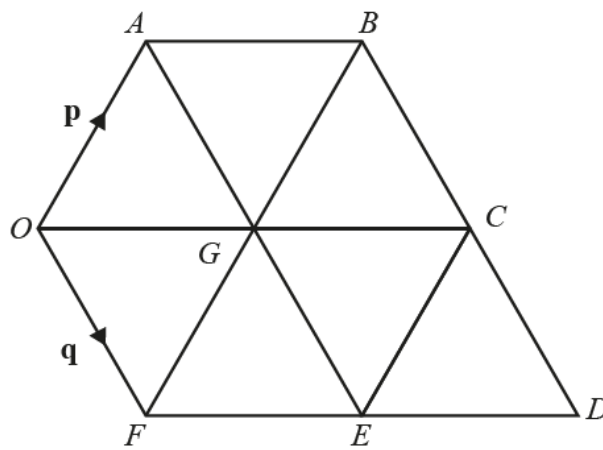
(iii) M is the midpoint of HJ .

Find the position vector of M .

$$\begin{pmatrix} \quad \\ \quad \end{pmatrix} \quad [2]$$



(b)



The diagram shows a shape made from seven identical equilateral triangles.
 $\vec{OA} = \mathbf{p}$ and $\vec{OF} = \mathbf{q}$.

(i) Express, as simply as possible, in terms of \mathbf{p} and/or \mathbf{q}

(a) \vec{FB} ,

$\vec{FB} = \dots\dots\dots$ [1]

(b) \vec{FE} .

$\vec{FE} = \dots\dots\dots$ [1]

(ii) X is a point on FB and $FX : XB = 3 : 1$.

Express \vec{OX} , as simply as possible, in terms of \mathbf{p} and/or \mathbf{q} .



$\vec{OX} = \dots\dots\dots$ [2]

(iii) Y is a point on BD .
Quadrilateral $OXYF$ is a trapezium.

Express \vec{XY} , as simply as possible, in terms of \mathbf{p} and/or \mathbf{q} .

$\vec{XY} = \dots\dots\dots$ [3]

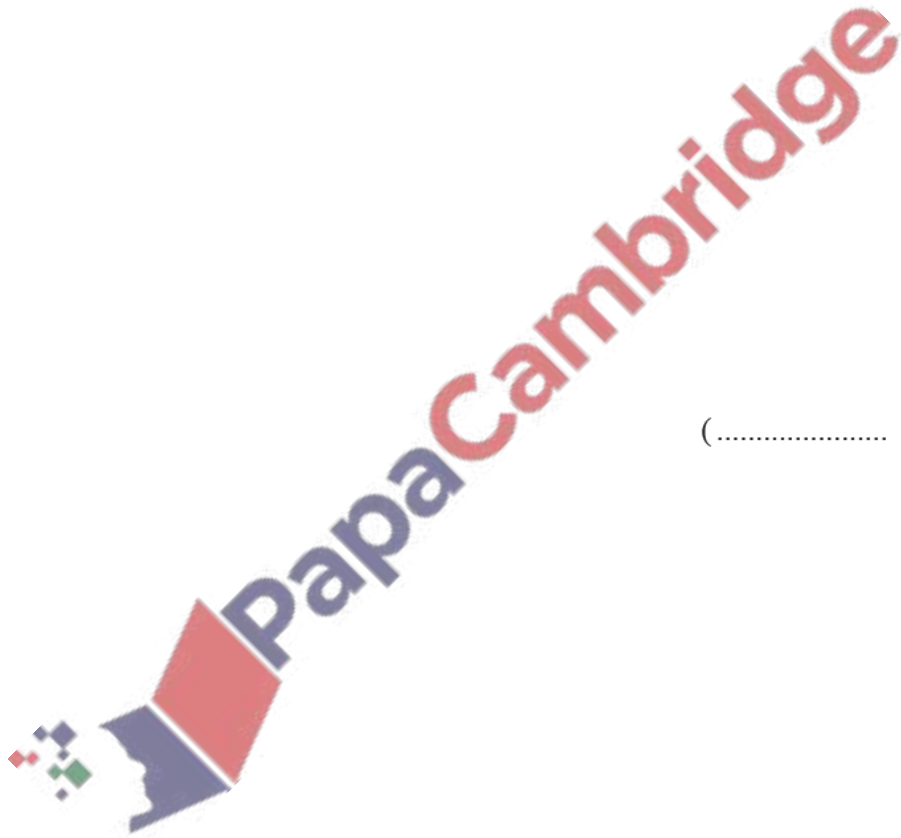
(a) H is the point $(-7, 4)$ and $\vec{HJ} = \begin{pmatrix} 10 \\ -6 \end{pmatrix}$.

(i) Calculate the magnitude of \vec{HJ} .

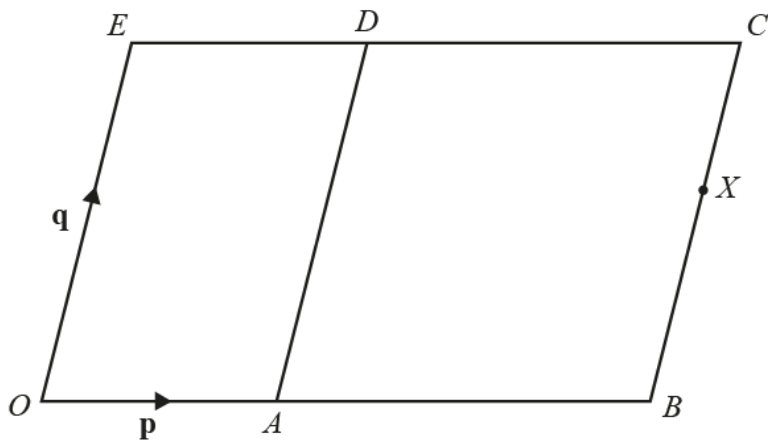
..... [2]

(ii) Given that $\vec{HK} = 3\vec{HJ}$, find the coordinates of point K .

(..... ,) [2]



(b)



NOT TO
SCALE

The diagram shows a parallelogram $OBCE$.

$\vec{OA} = \mathbf{p}$ and $\vec{OE} = \mathbf{q}$.

AD is parallel to OE and $OA : AB = 1 : 3$.

X is a point on BC such that $BX : XC = 3 : 2$.

Express, as simply as possible, in terms of \mathbf{p} and/or \mathbf{q}

(i) \vec{OC} ,

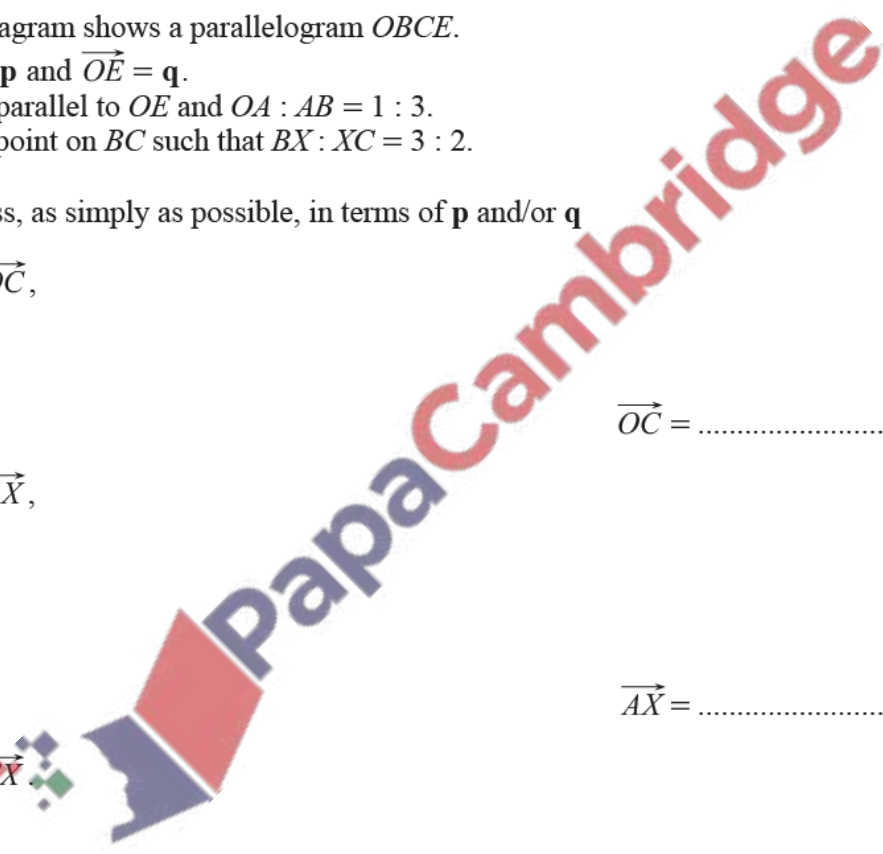
$\vec{OC} = \dots\dots\dots$ [1]

(ii) \vec{AX} ,

$\vec{AX} = \dots\dots\dots$ [2]

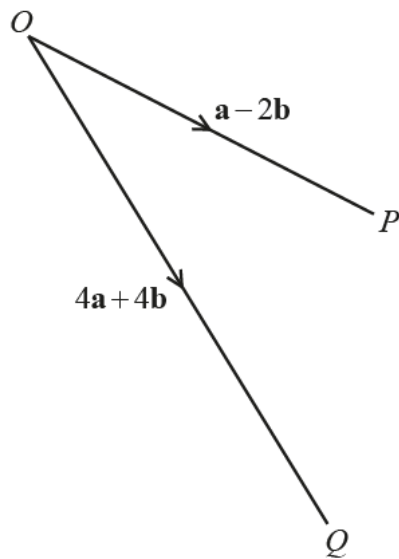
(iii) \vec{EX} ,

$\vec{EX} = \dots\dots\dots$ [2]



3. June/2020/Paper_11/No.25

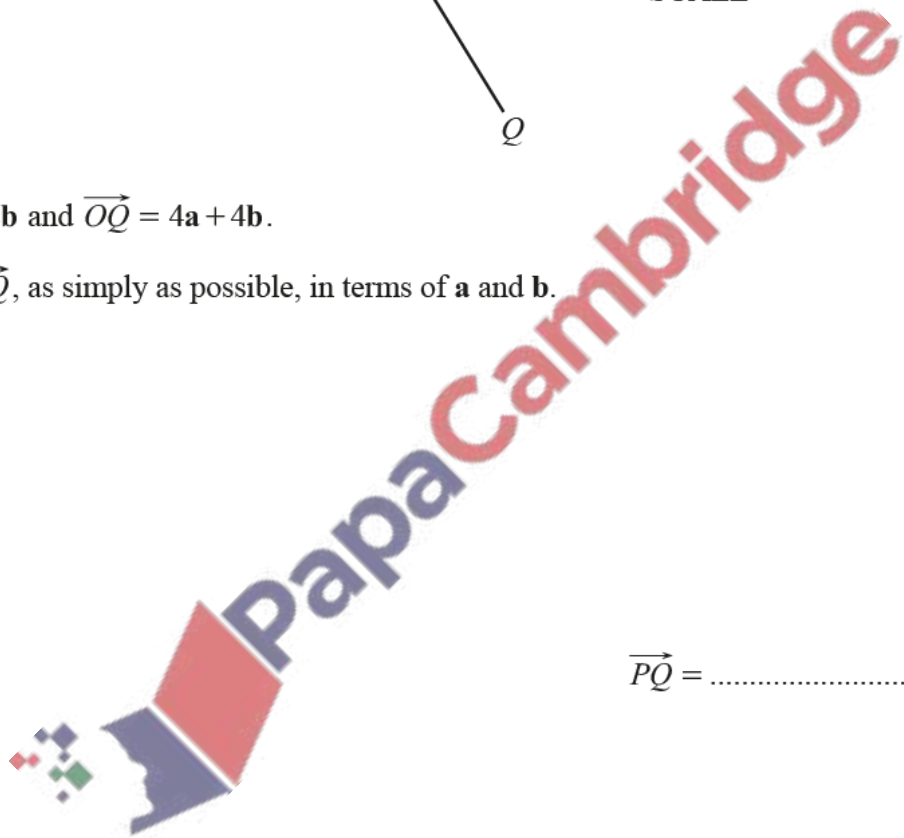
O , P and Q are points as shown in the diagram.



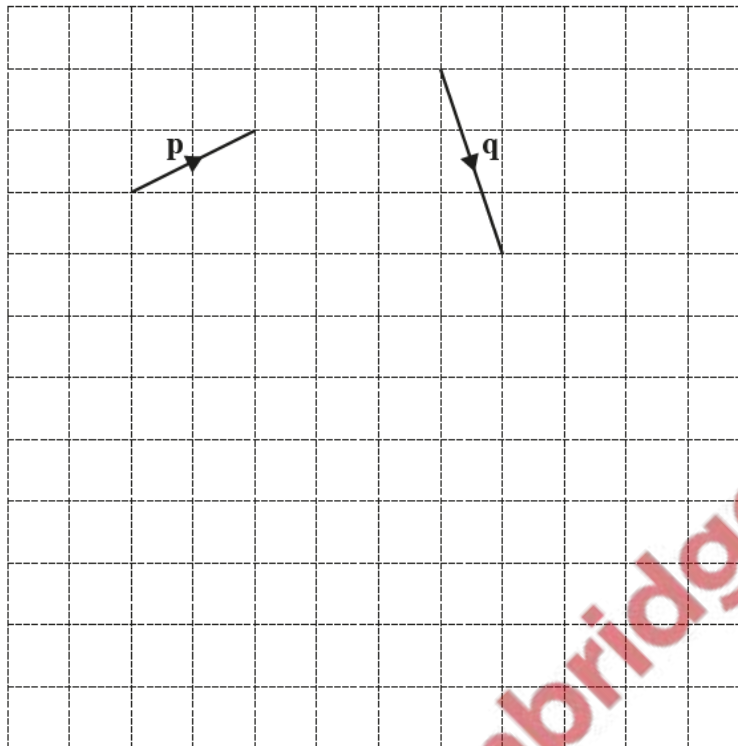
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$\vec{OP} = \mathbf{a} - 2\mathbf{b}$ and $\vec{OQ} = 4\mathbf{a} + 4\mathbf{b}$.

Express \vec{PQ} , as simply as possible, in terms of \mathbf{a} and \mathbf{b} .



$\vec{PQ} = \dots\dots\dots$ [2]



Vectors \mathbf{p} and \mathbf{q} are shown on the grid.

On the grid, draw the vector

(a) $3\mathbf{p}$,

[1]

(b) $\mathbf{q} - \mathbf{p}$.

[1]

