

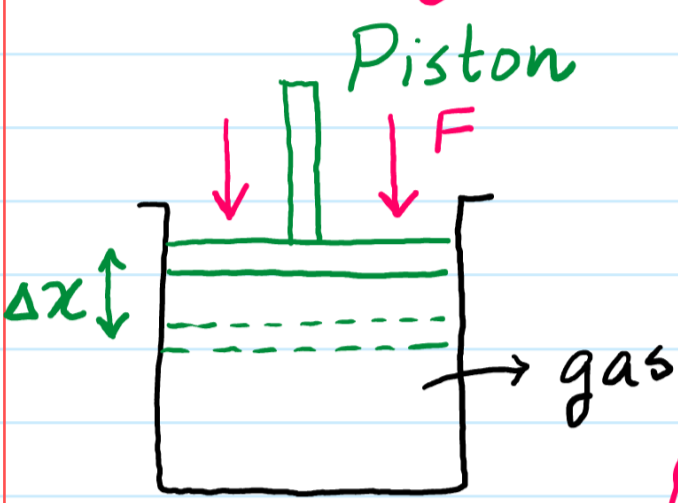
Formula for calculating Work done in case of gases.

The diagram below shows a container filled with a gas. The gas pressure is denoted as  $P$ .

A piston is positioned as shown. The area of the piston is denoted by  $A$ . We apply a force  $F$  downwards on the piston so that the piston moves through a small distance  $\Delta x$ . In this case, since the gas molecules will get "compressed"  $\therefore$  we use the term

Work is done ON the gas.

This value can be calculated as shown



W.d on the gas

$$F \cdot \Delta x$$

$$\downarrow$$

$$P \cdot A \cdot \Delta x$$

$$W = P \cdot \Delta V$$

$$A \cdot x = V$$

$$A \cdot \Delta x = \Delta V$$

where  $\Delta V$  represents "Change in Volume"

Q: A press. of 100 KPa causes volume of a gas to change from 50 cm<sup>3</sup> to 35 cm<sup>3</sup>

$$\begin{aligned} \text{W.d on the gas} &= P \cdot \Delta V \\ &= 100 \times 10^3 \times (15 \times 10^{-6}) \\ &= 1.5 \text{ J} \end{aligned}$$

Reverse application

W. done BY the gas:

If the gas undergoes expansion which causes the piston to move upwards, then we use the term W. done BY the gas.

$$W.d \text{ by the gas} = P \cdot \Delta V$$

Q  $P = 100 \text{ KPa}$   
Volume of the gas changes from 100 cm<sup>3</sup> to 140 cm<sup>3</sup>.

$$\begin{aligned} \text{W.d BY the gas} &= P \times \Delta V \\ &= 100 \times 10^3 \times 40 \times 10^{-6} \\ &= 4 \text{ J.} \end{aligned}$$

Graph. If a graph of Press. against Volume.

Then Area under graph gives a value for W. done

